

Appendix to Carsten Q. Schneider (2023): Set-Theoretic Multi-Method Research: A Guide to Combining QCA and Case Studies, Cambridge University Press

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This document contains all the analyses presented in the book. Beyond this, additional, auxiliary analyses are provided, mostly to further analyze the properties of the data (skeweness, simplifying assumptions etc.) and to visualize the QCA solution formulas.

All replication files (datasets in csv format and an RMarkdown file that produces this document) can be found in the Harvard Dataverse at <https://doi.org/10.7910/DVN/URMOVC>

System setting and parameters under which the analyses were performed:

- MacOS: Sonoma 14.0
- R: 4.2.2 “Innocent and Trusting”
- RStudio: 2023.06.0+421

1 Chapter 1: C. Q. Schneider and Makszin (2014)

The data come from Carsten Q. Schneider and Kristin Makszin 2014 article “Forms of welfare capitalism and education-based participatory inequality.”

[<https://doi.org/10.1093/ser/mwu010>] The paper analyses whether the degree of political inequality between social groups is shaped by features of the welfare capitalist system. This example is used in chapters 1 and 5.

Outcome:

- LPI = Low participatory inequality

Conditions:

- WC = High wage coordination
- UN = High union density
- EP = High employment protection
- LM = High labor market expenditure

1.1 Loading and checking the data for skeweness and ambiguous cases

To begin with, we load the data and check for skeweness and the presence of ambiguous cases (that is, cases with 0.5 fuzzy set membership score in a condition or the outcome set).

```
MACRO.d <- read.csv('SchneiderMakszin2014.csv', row.names = 1)
```

```
head(MACRO.d)
```

```
      LPI      WC      UN      EP      LM
AT00 0.00253846 0.908674751 0.7000518 0.724116810 0.5498694
AT05 0.00004670 0.908674751 0.1574641 0.545822265 0.5948249
BG95 0.90867475 0.091325249 0.9762687 0.975303710 0.4724572
BG00 0.83529226 0.010000000 0.6056057 0.908674751 0.1248358
BG05 0.50765793 0.010000000 0.2492102 0.500000000 0.0222146
CA95 0.72104641 0.000471777 0.6249398 0.003192034 0.8029896
```

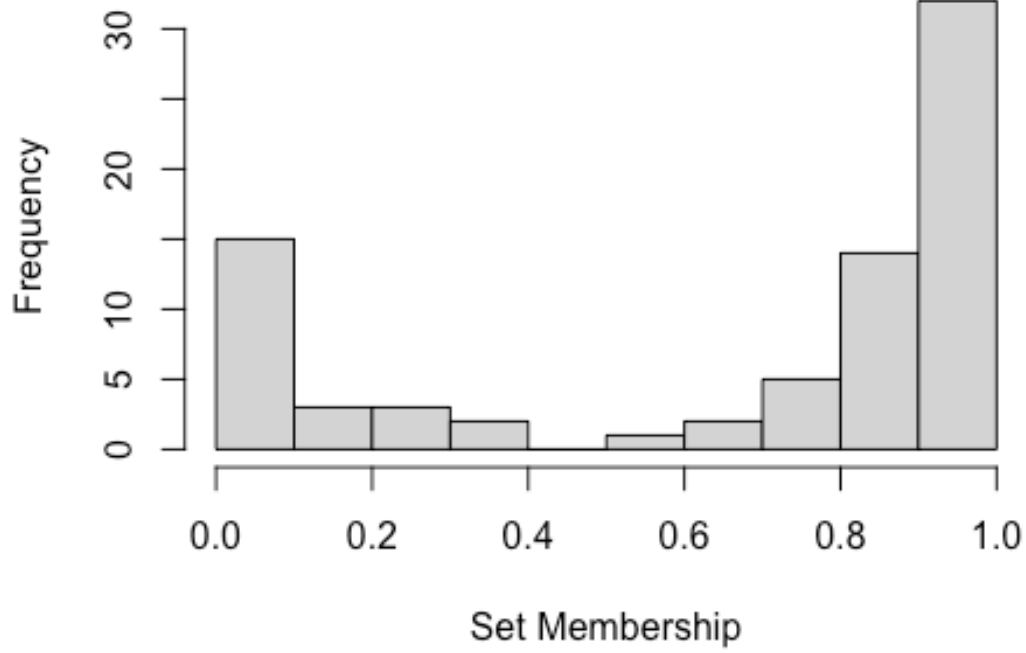
```
# conditions
```

```
conds <- c("WC", "UN", "EP", "LM")
```

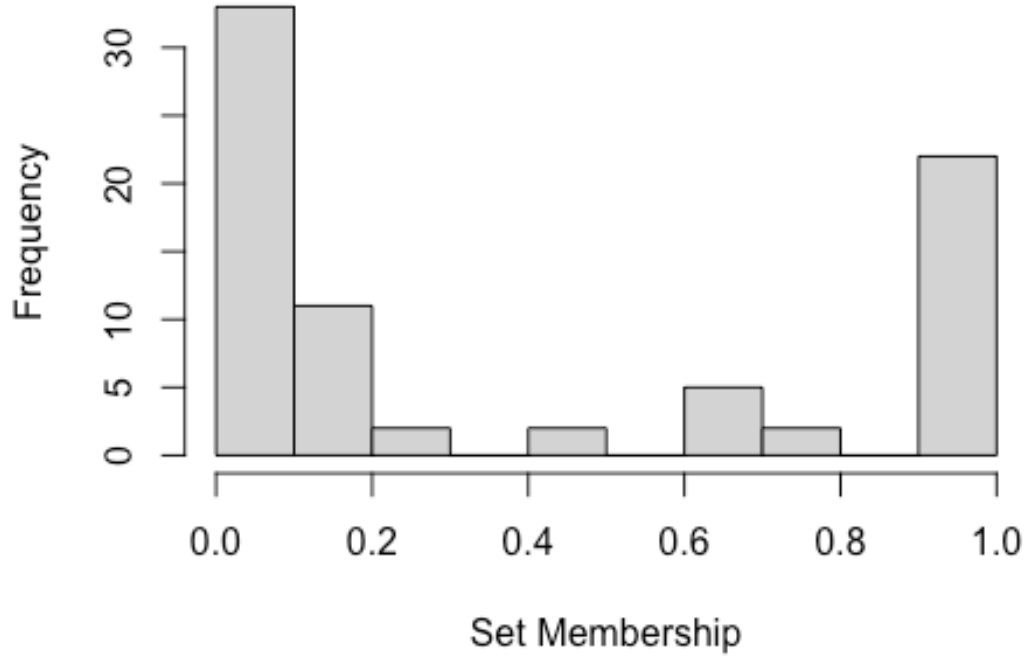
```
# data diagnostics
```

```
skew.check(data = MACRO.d,
            hist = TRUE)
```

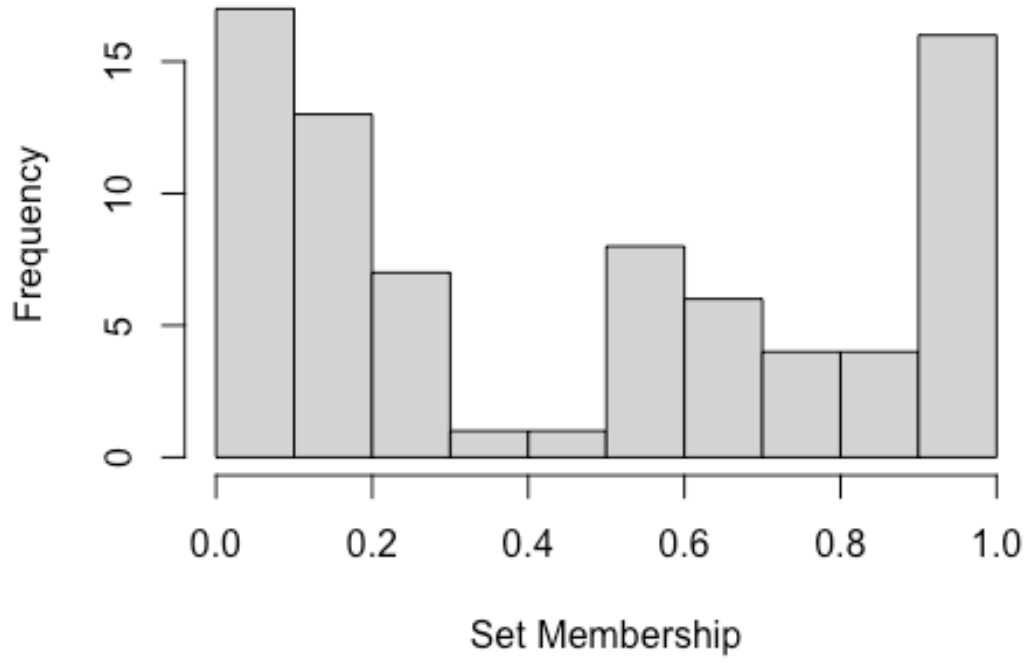
LPI



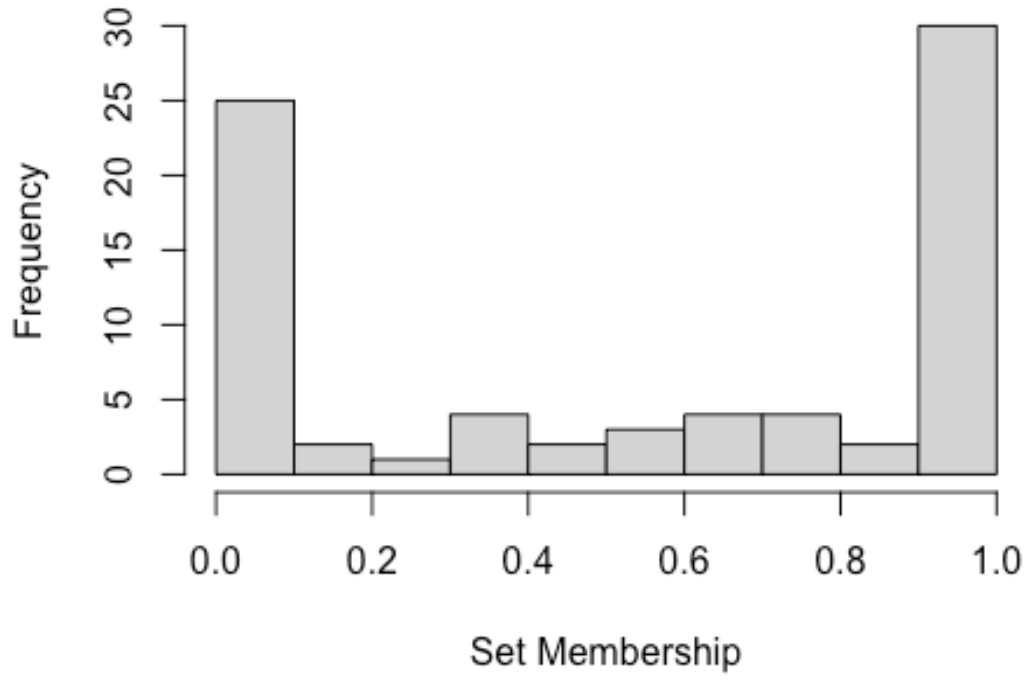
WC



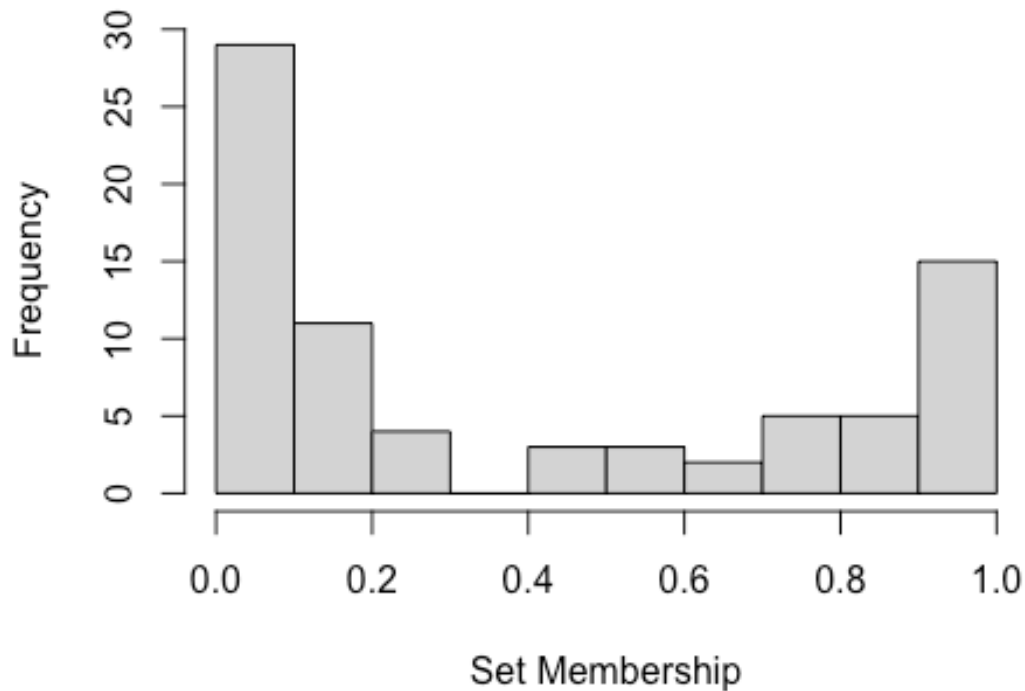
UN



EP



LM



```
[1] "Set LPI - Cases > 0.5 / Total number of cases: 54 / 77 = 70.13 %"  
[2] "Set WC - Cases > 0.5 / Total number of cases: 29 / 77 = 37.66 %"  
[3] "Set UN - Cases > 0.5 / Total number of cases: 38 / 77 = 49.35 %"  
[4] "Set EP - Cases > 0.5 / Total number of cases: 43 / 77 = 55.84 %"  
[5] "Set LM - Cases > 0.5 / Total number of cases: 30 / 77 = 38.96 %"
```

```
# ambiguous cases
```

```
ambig.cases(MACRO.d)
```

```
   row col  
BG05   5   4
```

```
# BG05 in high employment protection
```

No single set is too skewed. Bulgaria in 2005 holds a membership of 0.5 in condition high employment protection.

1.2 Analysis of sufficiency, outcome *LPI*

In a first step, we produce a truth table.

```
# truth table  
tt_y <- truthTable(data = MACRO.d,  
                   outcome = 'LPI',
```

```

conditions = conds,
incl.cut = 0.8,
sort.by = c('OUT', 'incl'),
complete = TRUE,
show.cases = TRUE)

```

tt_y

OUT: output value
n: number of cases in configuration
incl: sufficiency inclusion score
PRI: proportional reduction in inconsistency

	WC	UN	EP	LM	OUT	n	incl	PRI
4	0	0	1	1	1	4	0.911	0.871
8	0	1	1	1	1	5	0.900	0.833
12	1	0	1	1	1	7	0.873	0.839
3	0	0	1	0	1	9	0.825	0.744
14	1	1	0	1	1	2	0.825	0.698
11	1	0	1	0	1	2	0.818	0.730
16	1	1	1	1	1	6	0.800	0.663
15	1	1	1	0	0	5	0.781	0.683
13	1	1	0	0	0	4	0.769	0.666
6	0	1	0	1	0	5	0.759	0.618
7	0	1	1	0	0	5	0.754	0.576
5	0	1	0	0	0	6	0.726	0.578
2	0	0	0	1	0	1	0.686	0.476
9	1	0	0	0	0	3	0.642	0.486
1	0	0	0	0	0	12	0.537	0.399
10	1	0	0	1	?	0	-	-

cases

4	FR00,FR05,ES95,ES00
8	DK95,FI95,SI95,SE00,SE05
12	AT05,DE00,DE05,NL95,NL00,NL05,ES05
3	EE05,KR05,LT05,MX95,MX00,MX05,PT95,PT00,PT05
14	DK00,IE00
11	KR95,KR00
16	AT00,FI00,FI05,DE95,N095,SE95
15	IT00,N000,N005,SI00,SI05
13	CZ95,IS05,IT05,SK00
6	CA95,DK05,HU95,NZ95,PL95
7	BG95,BG00,LU00,R095,R000
5	CA00,CZ00,HU00,IL05,UK95,UK00
2	NZ00
9	JP95,JP00,CH95
1	CZ05,HU05,JP05,NZ05,PL00,PL05,SK05,CH00,CH05,UK05,US95,US00
10	

only one logical remainder

We logically minimize the truth table to obtain the most parsimonious solution, reveal the simplifying assumptions, and display the XY plots of the solution.

```
# most parsimonious solution
sol_yp <- minimize(input = tt_y,
                  include = '?',
                  details = TRUE)

sol_yp

M1: WC*LM + ~UN*EP + EP*LM -> LPI

      inclS  PRI  covS  covU
-----
1  WC*LM  0.813  0.760  0.257  0.044
2  ~UN*EP  0.859  0.828  0.414  0.208
3  EP*LM  0.868  0.835  0.346  0.056
-----
M1  0.839  0.804  0.598

      cases
-----
1  WC*LM  AT05,DE00,DE05,NL95,NL00,NL05,ES05; DK00,IE00;
AT00,FI00,FI05,DE95,N095,SE95
2  ~UN*EP  EE05,KR05,LT05,MX95,MX00,MX05,PT95,PT00,PT05; FR00,FR05,ES95,ES00;
KR95,KR00;
      AT05,DE00,DE05,NL95,NL00,NL05,ES05
3  EP*LM  FR00,FR05,ES95,ES00; DK95,FI95,SI95,SE00,SE05;
AT05,DE00,DE05,NL95,NL00,NL05,ES05;
      AT00,FI00,FI05,DE95,N095,SE95
-----

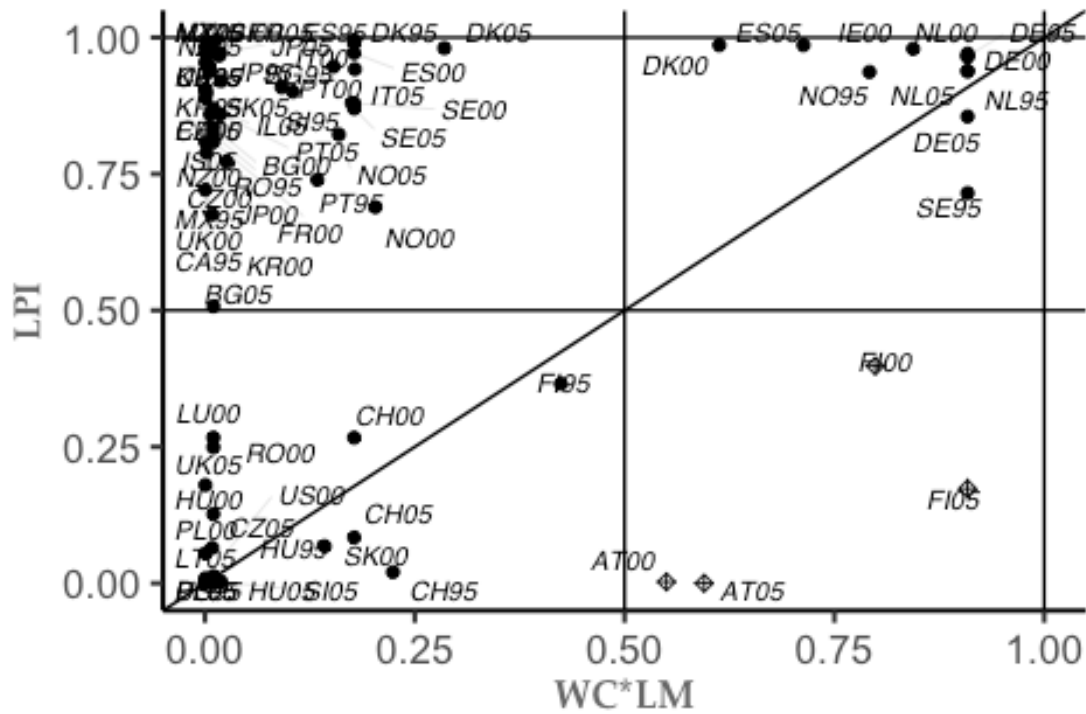
# simplifying assumptions
sol_yp$SA

$M1
  WC UN EP LM
10  1  0  0  1

# XY plots
pimplot(data = MACRO.d,
        outcome = 'LPI',
        results = sol_yp,
        all_labels = TRUE,
        jitter = TRUE)
```

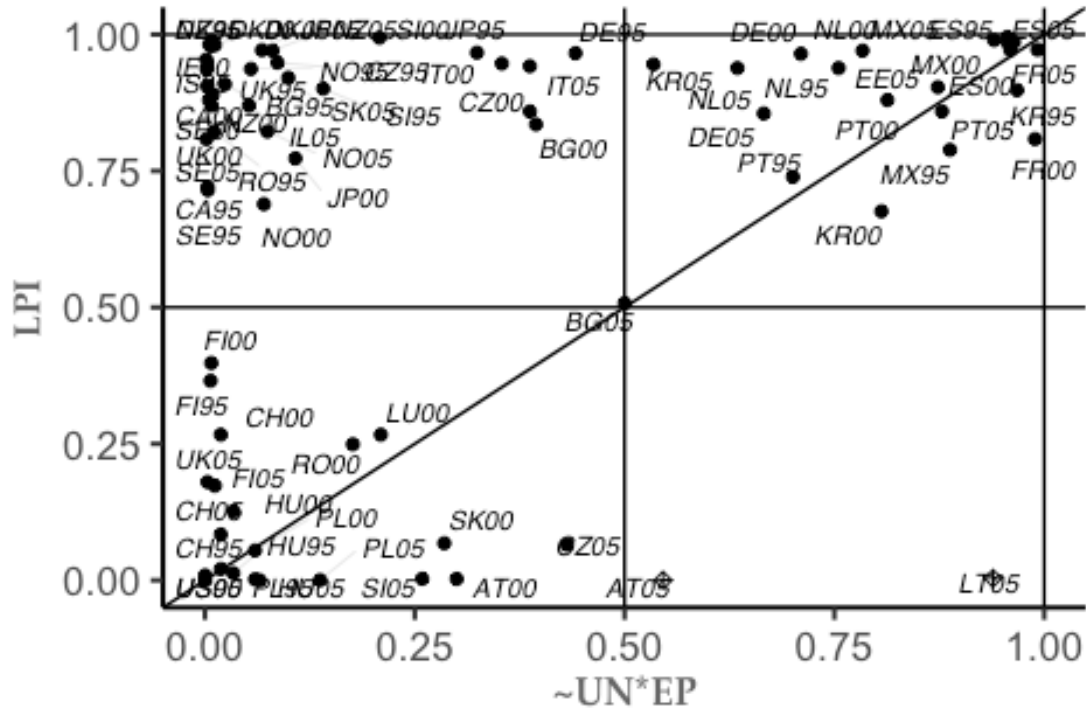
Sufficiency Plot

Cons.Suf: 0.813; Cov.Suf: 0.257; PRI: 0.760



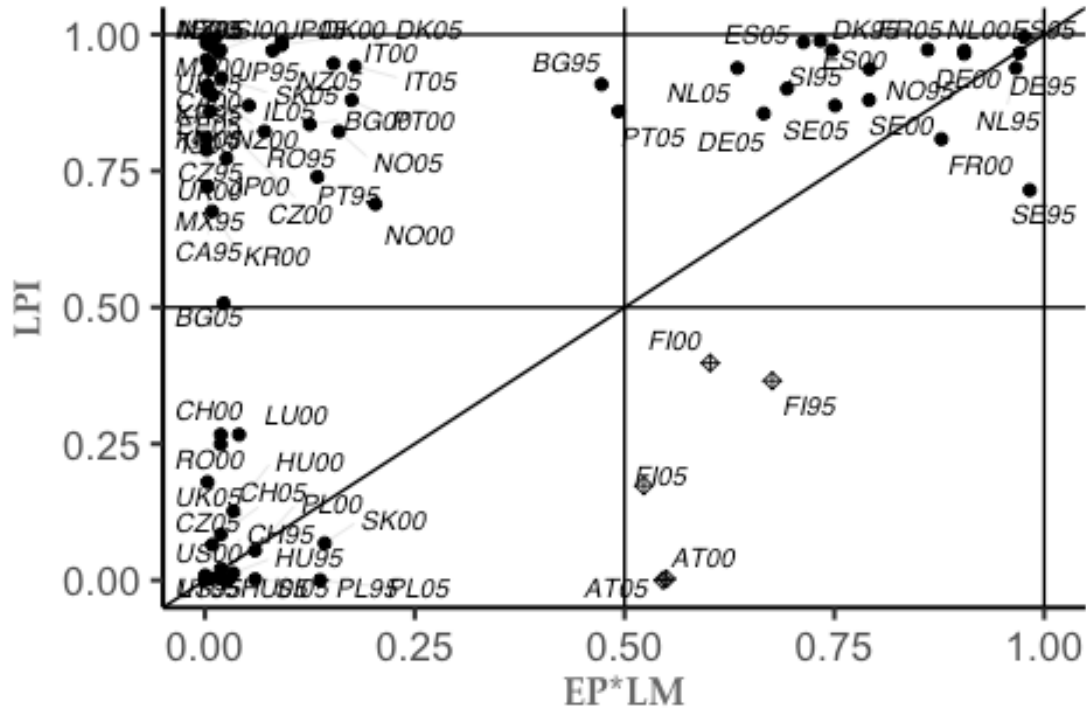
Sufficiency Plot

Cons.Suf: 0.859; Cov.Suf: 0.414; PRI: 0.828



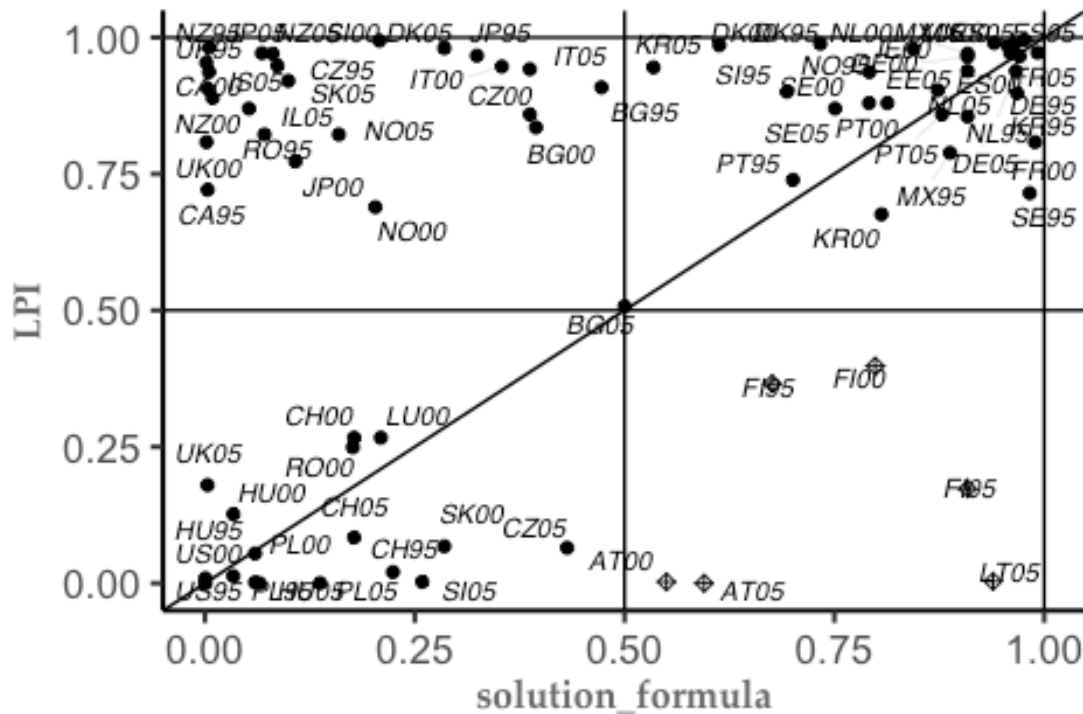
Sufficiency Plot

Cons.Suf: 0.868; Cov.Suf: 0.346; PRI: 0.835



Sufficiency Plot

Cons.Suf: 0.839; Cov.Suf: 0.598; PRI: 0.804



We establish each case's membership in *supportive welfare regimes* by intersecting their membership scores in the conjunctions $LM * WC$ and $LM * EP$. We then display the result in an XY plot. It corresponds to the one shown as figure 1.2 in the book.

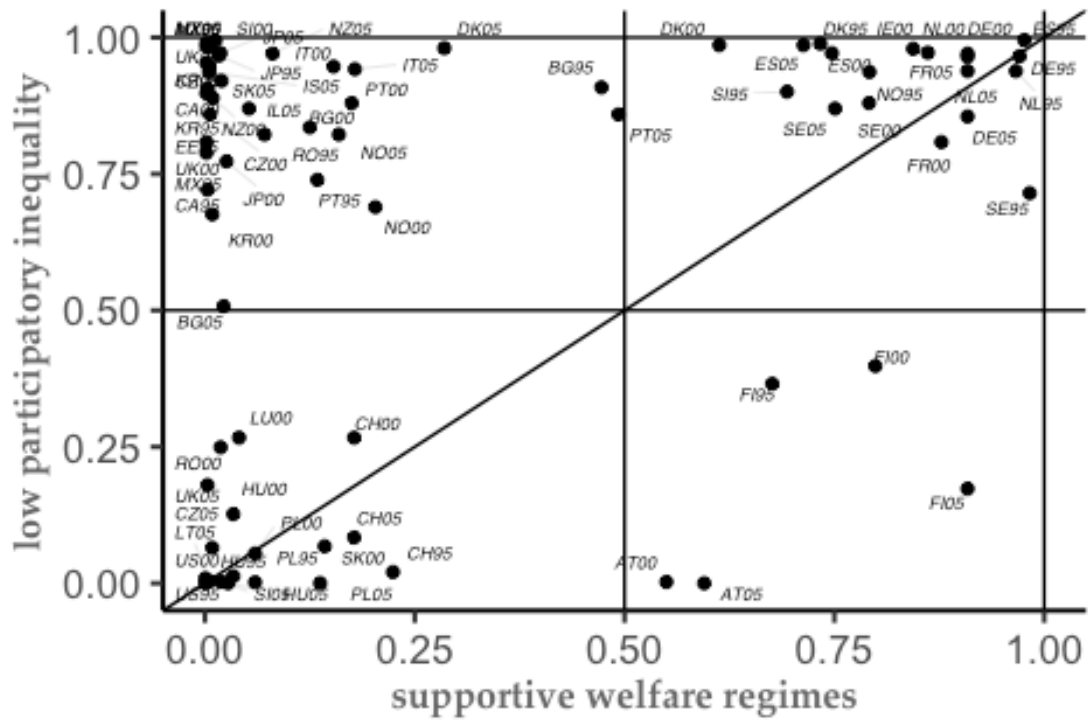
```
# create XY plot for supportive welfare regime LM(WC+EP)
MACRO.d$SUP1 <- with(MACRO.d, fuzzyor(WC, EP))
```

```
MACRO.d$SUPPORT <- with(MACRO.d, fuzzyand(LM, SUP1))
```

```
xy.plot(data = MACRO.d,
        x = 'SUPPORT',
        y = 'LPI',
        xlab = 'supportive welfare regimes',
        ylab = 'low participatory inequality',
        fontsize = 2,
        jitter = TRUE)
```

XY plot

Cons.Suf: 0.844; Cov.Suf: 0.391; PRI: 0.809



2 Chapter 2: Vis (2009)

In chapter 2, I use the example by Vis (2009). The solution formula consists of a single set. We can therefore postpone all those challenges for SMMR that arise from disjunctions (equifinality) and conjunctions (conjunctural causation).

Outcome

- U = Unpopular welfare state reforms

Conditions

- P = Weak political position
- S = Weak socio-economic position
- R = Right-leaning government

I start by producing the solution formula and then turn first to single-case and then to comparative-case SMMR designs.

2.1 Producing the solution formula

We begin by loading the data

```
VIS_fs <- read.csv("Vis_09_fs.csv", row.names = 1)
VIS_fs
```

	P	S	R	U
Lubbers1	0.33	0.83	1.00	0.83
Lubbers2	0.17	0.33	1.00	0.33
Lubbers3	0.33	0.67	0.60	0.67
Kok1	0.17	0.40	0.40	0.67
Kok2	0.33	0.33	0.40	0.17
Balkenende2	0.67	0.67	1.00	0.83
Kohl1	0.17	0.33	1.00	0.33
Kohl2	0.33	0.17	1.00	0.17
Kohl3	0.17	0.33	1.00	0.33
Kohl4	0.67	0.67	1.00	0.67
Schroeder1	0.33	0.40	0.00	0.17
Schroeder2	0.83	0.83	0.00	0.83
Schlueter1	0.33	0.33	1.00	0.33
Schlueter2	0.33	0.60	1.00	0.67
Schlueter4	0.33	0.67	1.00	0.17
Schlueter5	0.60	0.67	1.00	0.33
NRasmussen1	0.17	0.17	0.40	0.17
NRasmussen2_3	0.60	0.60	0.25	0.83
NRasmussen4	0.33	0.33	0.25	0.67
Thatcher1	0.17	0.83	1.00	0.83
Thatcher2	0.33	0.33	1.00	0.67
Thatcher3	0.33	0.67	1.00	0.67

```

Major1      0.33 0.60 1.00 0.67
Blair1      0.17 0.33 0.00 0.40
Blair2      0.33 0.33 0.00 0.33

tt_fy <- truthTable(data = VIS_fs,
                    outcome = "U",
                    conditions = "P, S, R",
                    incl.cut = 0.8,
                    sort.by = "incl",
                    complete = TRUE)

```

```

tt_fy

OUT: output value
n: number of cases in configuration
incl: sufficiency inclusion score
PRI: proportional reduction in inconsistency

```

	P	S	R	OUT	n	incl	PRI
4	0	1	1	1	7	0.918	0.782
7	1	1	0	1	2	0.911	0.773
8	1	1	1	1	3	0.911	0.647
2	0	0	1	0	6	0.719	0.242
1	0	0	0	0	7	0.642	0.307
3	0	1	0	?	0	-	-
5	1	0	0	?	0	-	-
6	1	0	1	?	0	-	-

Based on this truth table, we obtain the following most parsimonious solution formula.

```

sol_fyp <- minimize(tt_fy,
                   include = "?",
                   details = TRUE)

```

```
sol_fyp
```

```
M1: S -> U
```

		inclS	PRI	covS	covU
1	S	0.901	0.787	0.878	-
M1		0.901	0.787	0.878	

The single condition 'socio-economic trouble' *S* is found to be sufficient for outcome 'unpopular reforms' *U*.

The solution can be visualized with an XY plot.

```

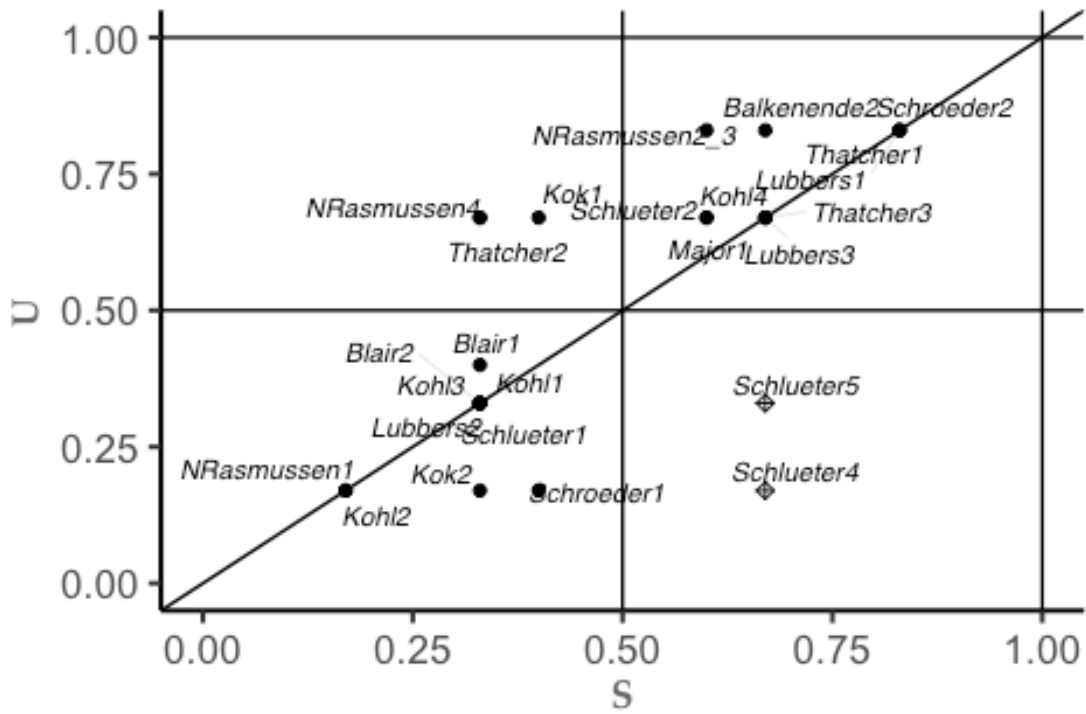
pimplot(data = VIS_fs,
        outcome = "U",

```

```
results = sol_fyp,  
jitter = TRUE,  
all_labels = TRUE)
```

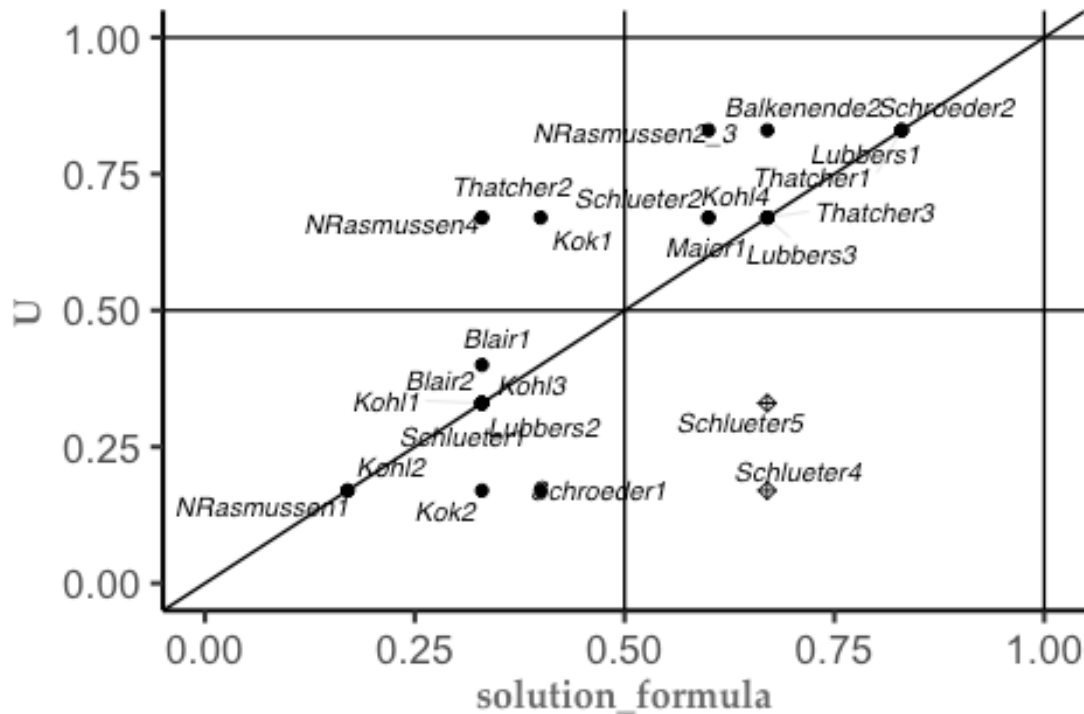
Sufficiency Plot

Cons.Suf: 0.901; Cov.Suf: 0.878; PRI: 0.787



Sufficiency Plot

Cons.Suf: 0.901; Cov.Suf: 0.878; PRI: 0.787

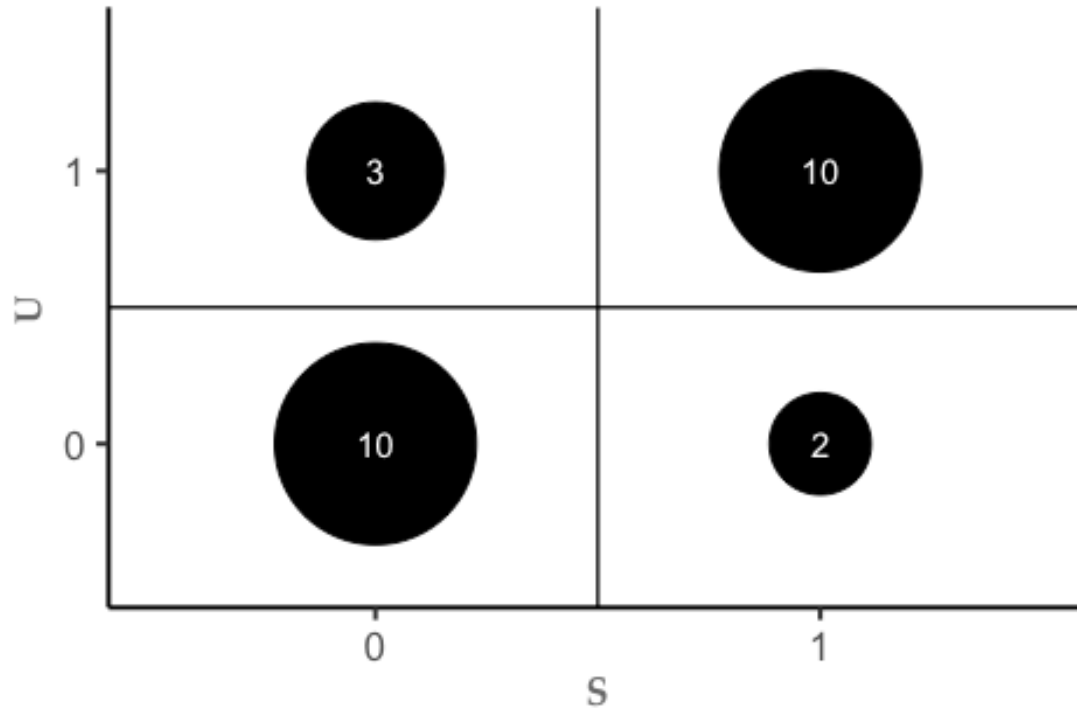


If the data was crisp, we could also use the `pimplot()` command and add the argument `crisp = TRUE`.

```
pimplot(data = VIS_fs,  
outcome = "U",  
results = sol_fyp,  
jitter = TRUE,  
all_labels = TRUE,  
crisp = TRUE)
```

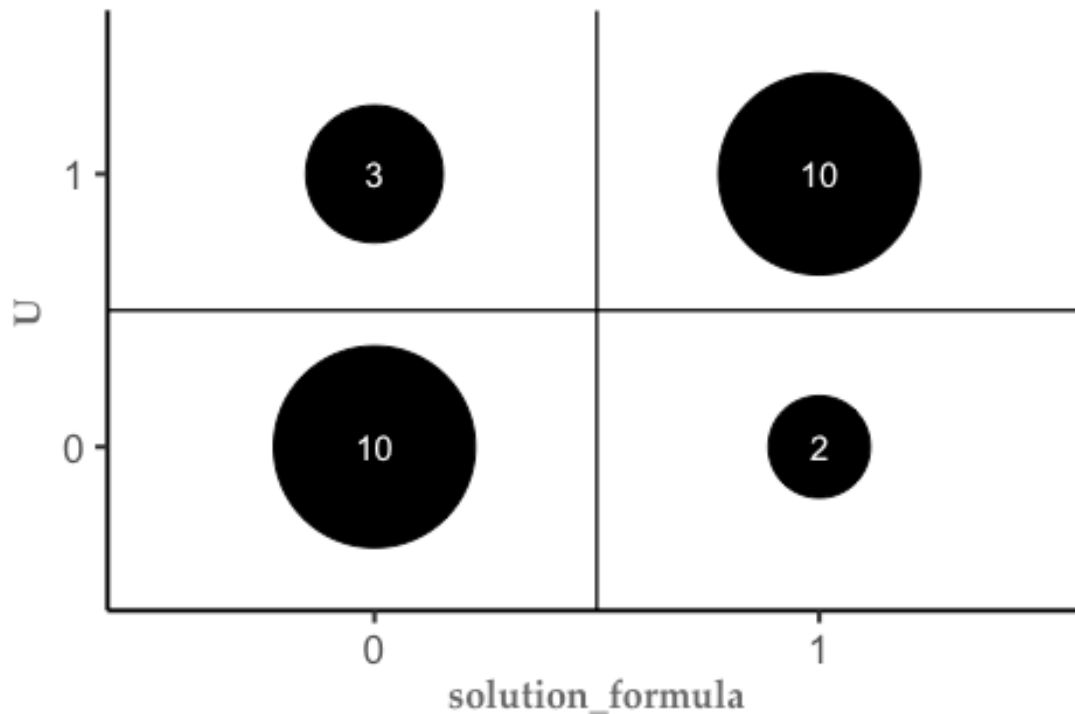
Sufficiency Plot

Cons.Suf: 0.901; Cov.Suf: 0.878; PRI: 0.787



Sufficiency Plot

Cons.Suf: 0.901; Cov.Suf: 0.878; PRI: 0.787



2.2 Single-case SMMR designs

There are two model-refining single-case designs: the study of a deviant coverage case for identifying a missing disjunct, on the one hand, and the study of a deviant consistency case for identifying a missing conjunct.

```
dcov <- smmr(results = sol_fyp,  
             outcome = "U",  
             match = FALSE,  
             cases = 4)
```

dcov

Deviant Coverage Cases :

```
-----
```

	Case	Sol	TT_P	TT_S	TT_R	TT_row	Outcome	TT<=Y	Best	MostDCOV
2	NRasmussen4	0.33	0	0	0	0.67	0.67	TRUE	0.33	TRUE
1	Kok1	0.40	0	0	0	0.60	0.67	TRUE	0.40	FALSE
3	Thatcher2	0.33	0	0	1	0.67	0.67	TRUE	0.33	TRUE

```
dcons <- smmr(results = sol_fyp,  
              outcome = "U",  
              match = FALSE,
```

```

cases = 3)
dcons
Deviant Consistency Cases :
-----
      Cases Term TermMemb Outcome Best MostDCONS
1 Schlueter4   S    0.67   0.17 0.83    TRUE
2 Schlueter5   S    0.67   0.33 0.99    FALSE

```

For causal inference SMMR designs, one option exists: the study of a typical case.

```

typ_term <- smmr(results = sol_fyp,
                 outcome = "U",
                 match = FALSE,
                 cases = 1)
typ_term
Typical Cases :
-----
      Case Term TermMemb Outcome UniqCov Best MostTyp
1   Lubbers1   S    0.83   0.83    TRUE 0.17    TRUE
5   Schroeder2 S    0.83   0.83    TRUE 0.17    TRUE
8   Thatcher1   S    0.83   0.83    TRUE 0.17    TRUE
2   Lubbers3   S    0.67   0.67    TRUE 0.33    FALSE
4     Kohl14   S    0.67   0.67    TRUE 0.33    FALSE
9   Thatcher3   S    0.67   0.67    TRUE 0.33    FALSE
6   Schlueter2 S    0.60   0.67    TRUE 0.54    FALSE
10  Major1     S    0.60   0.67    TRUE 0.54    FALSE
3   Balkenende2 S    0.67   0.83    TRUE 0.65    FALSE
7  NRasmussen2_3 S    0.60   0.83    TRUE 0.86    FALSE

```

2.3 Comparative-case SMMR designs

There are two comparative-case descriptive inference SMMR designs. The first matches deviant coverage cases with iir cases with the goal of identifying missing disjuncts.

```

dcoviir <- smmr(results = sol_fyp,
                 outcome = "U",
                 match = TRUE,
                 cases = 4)
dcoviir
Matching Deviant Coverage-IIR Cases :
-----
      DCOV      IIR TT_P TT_S TT_R TT_DCV<=Y Best
1   Kok1  Schroeder1  0  0  0    TRUE 1.30
2   Kok1      Kok2  0  0  0    TRUE 1.30
3   Kok1 NRasmussen1 0  0  0    TRUE 1.30
4 NRasmussen4      Kok2 0  0  0    TRUE 1.30
5 NRasmussen4 NRasmussen1 0  0  0    TRUE 1.30
6 Thatcher2      Kohl2 0  0  1    TRUE 1.16

```

7	Thatcher2	Lubbers2	0	0	1	TRUE	1.32
8	Thatcher2	Kohl3	0	0	1	TRUE	1.32
9	Thatcher2	Kohl1	0	0	1	TRUE	1.32
10	Thatcher2	Schlueter1	0	0	1	TRUE	1.32

The second design matches typical cases with deviant consistency cases with the goal of identifying missing conjuncts.

```
typdcons <- smmr(results = sol_fyp,
  outcome = "U",
  match = TRUE,
  cases = 3)
```

typdcons

Term S :

```
-----
```

	TYP	DCONS	Best	MostTypTerm	MostDCONS
1	Lubbers1	Schlueter4	1.00	TRUE	TRUE
3	Schroeder2	Schlueter4	1.00	TRUE	TRUE
4	Thatcher1	Schlueter4	1.00	TRUE	TRUE
2	Balkenende2	Schlueter4	1.00	FALSE	TRUE
5	NRasmussen2_3	Schlueter4	1.14	FALSE	TRUE

For causal inference, there are two comparative-case SMMR designs. The first matches typical cases with iir cases.

```
typiir_term <- smmr(results = sol_fyp,
  outcome = "U",
  match = TRUE,
  cases = 6,
  max_pairs = 10)
```

typiir_term

Term S :

```
-----
```

	TYP	IIR	UniqCov	ConsIIR	GlobUncov	Best	MostTyp
1	Lubbers1	Kohl2	TRUE	TRUE	TRUE	0.68	TRUE
2	Schroeder2	Kohl2	TRUE	TRUE	TRUE	0.68	TRUE
3	Thatcher1	Kohl2	TRUE	TRUE	TRUE	0.68	TRUE
4	Lubbers1	NRasmussen1	TRUE	TRUE	TRUE	0.68	TRUE
5	Schroeder2	NRasmussen1	TRUE	TRUE	TRUE	0.68	TRUE
6	Thatcher1	NRasmussen1	TRUE	TRUE	TRUE	0.68	TRUE
16	Lubbers1	Kohl3	TRUE	TRUE	TRUE	1.00	TRUE
17	Schroeder2	Kohl3	TRUE	TRUE	TRUE	1.00	TRUE
18	Thatcher1	Kohl3	TRUE	TRUE	TRUE	1.00	TRUE
19	Lubbers1	Schlueter1	TRUE	TRUE	TRUE	1.00	TRUE

The second matches the most typical with the just-so typical case.

```
typtyp_term <- smmr(results = sol_fyp,
  outcome = "U",
```

```
match = TRUE,  
cases = 5,  
max_pairs = 10)
```

typtyp_term

Term S :

```
-----  
      TYP1      TYP2 UniqCov Best MostTyp  
3  Schroeder2    Koh14   both 0.68  typ1  
17 Schroeder2  Lubbers3   both 0.68  typ1  
21  Thatcher1    Koh14   both 0.68  typ1  
25  Lubbers1  Thatcher3   both 0.68  typ1  
26  Thatcher1  Thatcher3   both 0.68  typ1  
46  Lubbers1    Koh14   both 0.68  typ1  
65 Schroeder2  Thatcher3   both 0.68  typ1  
75  Lubbers1  Lubbers3   both 0.68  typ1  
81  Thatcher1  Lubbers3   both 0.68  typ1  
10  Thatcher1    Major1   both 0.75  typ1
```

3 Chapter 3: Stevens (2016)

In chapter 3, the study by Stevens (2016) on corruption perception is used to illustrate how SMMR works in the presence of disjunctions (without conjunctions).

Outcome

- HC = High perceived corruption

Conditions

- LD = Low democracy
- HR = High rational secular orientation
- HS = High self expression orientation
- LH = Low human development
- HI = High income inequality

To bring to the fore the challenges and the solutions provided, I do alter the data by Stevens (2016) in several regards and as outlined in the following code.

```
# Get original data and manipulate to produce altered data set ####
STEVENS <- read.csv(file = 'Stevens_16_fs.csv',
                    sep = ';',
                    dec = ',',
                    row.names = 1)

STEVENS$D <- 1-STEVENS$D # invert scale so that the presence of condition
appears in sol
STEVENS$H <- 1-STEVENS$H # invert scale so that the presence of condition
appears in sol

# turn set labels from one-letter to two letter
names(STEVENS) <- c("LD", "HR", "HS", "LH", "HI", "HC")

# recalibrate specific cases to have more deviant cases consistency
STEVENS['Jordan',1] <- 0.7
STEVENS['Georgia',1] <- 0.6
STEVENS['Kazakhstan',1] <- 0.95
STEVENS['Ethiopia',1] <- 0.83
STEVENS['Belarus',1] <- 0.9
STEVENS['Vietnam',1] <- 0.85
STEVENS['Pakistan',4] <- 0.9
STEVENS['Tanzania',4] <- 0.89
STEVENS['Morocco',4] <- 0.62
STEVENS['Rwanda',4] <- 0.903
```

```
write.csv(STEVENS, file = 'Stevens_16_fs_altered.csv')
```

With the altered data set, I first produce the truth table and the most parsimonious solution, which is also visualized via XY plots.

```
STEV <- read.csv('Stevens_16_fs_altered.csv', row.names = 1)
```

```
# object containing the condition labels  
conds <- c("LD", "HR", "HS", "LH", "HI")
```

```
# truth table
```

```
TT_y <- truthTable(data = STEV,  
  outcome = 'HC',  
  conditions = conds,  
  incl.cut = 0.85,  
  show.cases = TRUE,  
  n.cut = 2,  
  sort.by = c('OUT', 'incl'),  
  complete = TRUE)
```

```
TT_y
```

OUT: output value
n: number of cases in configuration
incl: sufficiency inclusion score
PRI: proportional reduction in inconsistency

	LD	HR	HS	LH	HI	OUT	n	incl	PRI
22	1	0	1	0	1	1	3	1.000	1.000
23	1	0	1	1	0	1	2	1.000	1.000
19	1	0	0	1	0	1	4	0.995	0.992
3	0	0	0	1	0	1	2	0.994	0.983
25	1	1	0	0	0	1	3	0.990	0.981
8	0	0	1	1	1	1	3	0.990	0.974
26	1	1	0	0	1	1	2	0.986	0.963
17	1	0	0	0	0	1	3	0.950	0.892
4	0	0	0	1	1	1	3	0.946	0.874
20	1	0	0	1	1	1	7	0.938	0.889
9	0	1	0	0	0	0	9	0.735	0.432
6	0	0	1	0	1	0	6	0.730	0.498
5	0	0	1	0	0	0	3	0.603	0.199
14	0	1	1	0	1	0	2	0.515	0.113
13	0	1	1	0	0	0	20	0.240	0.013
11	0	1	0	1	0	?	1	1.000	1.000
7	0	0	1	1	0	?	1	0.983	0.918
18	1	0	0	0	1	?	1	0.919	0.765
1	0	0	0	0	0	?	1	0.882	0.643
10	0	1	0	0	1	?	1	0.837	0.596
2	0	0	0	0	1	?	0	-	-

12	0	1	0	1	1	?	0	-	-
15	0	1	1	1	0	?	0	-	-
16	0	1	1	1	1	?	0	-	-
21	1	0	1	0	0	?	0	-	-
24	1	0	1	1	1	?	0	-	-
27	1	1	0	1	0	?	0	-	-
28	1	1	0	1	1	?	0	-	-
29	1	1	1	0	0	?	0	-	-
30	1	1	1	0	1	?	0	-	-
31	1	1	1	1	0	?	0	-	-
32	1	1	1	1	1	?	0	-	-

cases

- 22 Ecuador, Thailand, Venezuela
- 23 Ethiopia, Vietnam
- 19 Egypt, Iraq, Tanzania, Yemen
- 3 Indonesia, Pakistan
- 25 Armenia, Belarus, Ukraine
- 8 Dominican Republic, Guatemala, Philippines
- 26 China, Russia
- 17 Azerbaijan, Jordan, Kazakhstan
- 4 Ghana, Kyrgyzstan, Zambia
- 20 Bangladesh, Burkina Faso, Morocco, Nigeria, Rwanda, Uganda, Zimbabwe
- 9 Albania, Bosnia and Herzegovina, Bulgaria, Estonia, Korea (South), Latvia, Macedonia, Montenegro, Romania
- 6 Argentina, Brazil, Chile, Colombia, Mexico, Peru
- 5 Cyprus, Poland, Trinidad and Tobago
- 14 United States, Uruguay
- 13 Australia, Canada, Croatia, Czech Republic, Finland, France, Germany, Hungary, Israel, Italy, Japan, Netherlands, Norway, Serbia, Slovakia, Slovenia, Spain, Sweden, Switzerland, United Kingdom
- 11 Moldova
- 7 India
- 18 Georgia
- 1 Turkey
- 10 Lebanon
- 2
- 12
- 15
- 16
- 21
- 24
- 27
- 28
- 29
- 30
- 31
- 32

a clear cutoff, both in terms of consistency and PRI

```

# most parsimonious solution
sol_yp <- minimize(TT_y,
                  details = TRUE,
                  include = '?')

sol_yp

M1: LD + LH -> HC

      inclS  PRI  covS  covU
-----
1 LD  0.872  0.823  0.564  0.138
2 LH  0.914  0.871  0.610  0.184
-----
M1  0.866  0.813  0.748

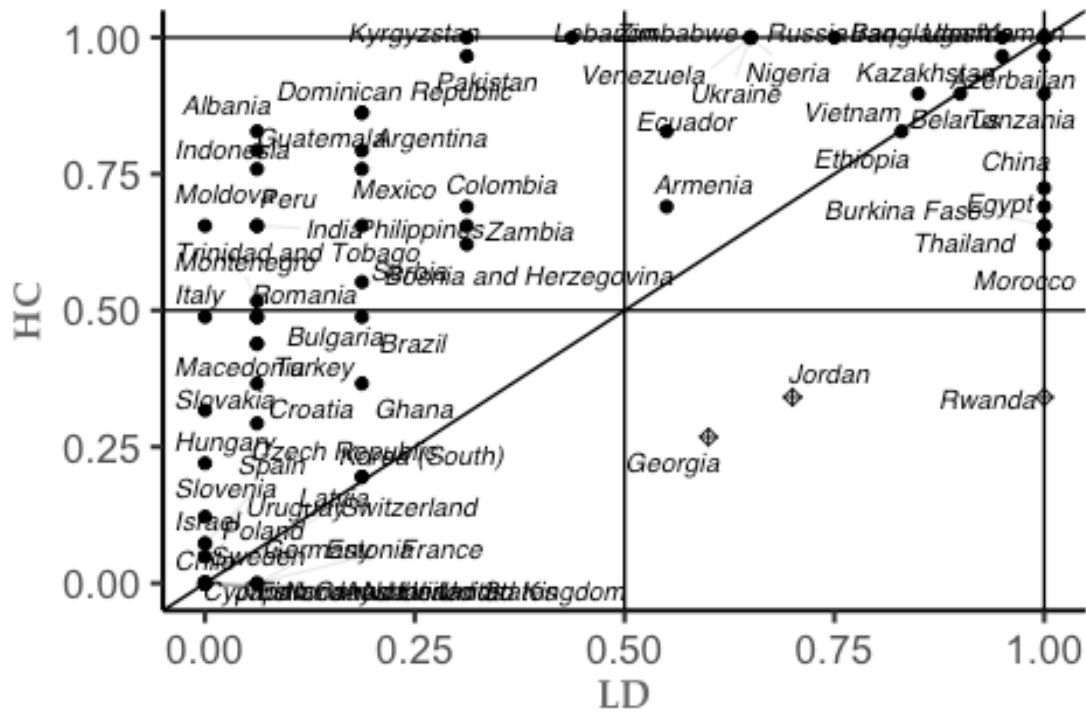
      cases
-----
1 LD  Azerbaijan, Jordan, Kazakhstan; Egypt, Iraq, Tanzania, Yemen;
Bangladesh, Burkina Faso, Morocco, Nigeria, Rwanda, Uganda, Zimbabwe;
      Ecuador, Thailand, Venezuela; Ethiopia, Vietnam; Armenia, Belarus, Ukraine;
China, Russia
2 LH  Indonesia, Pakistan; Ghana, Kyrgyzstan, Zambia; Dominican
Republic, Guatemala, Philippines;
      Egypt, Iraq, Tanzania, Yemen; Bangladesh, Burkina
Faso, Morocco, Nigeria, Rwanda, Uganda, Zimbabwe;
      Ethiopia, Vietnam
-----

# xy plot
pimplot(data = STEV,
        outcome = 'HC',
        results = sol_yp,
        jitter = TRUE,
        all_labels = TRUE)

```

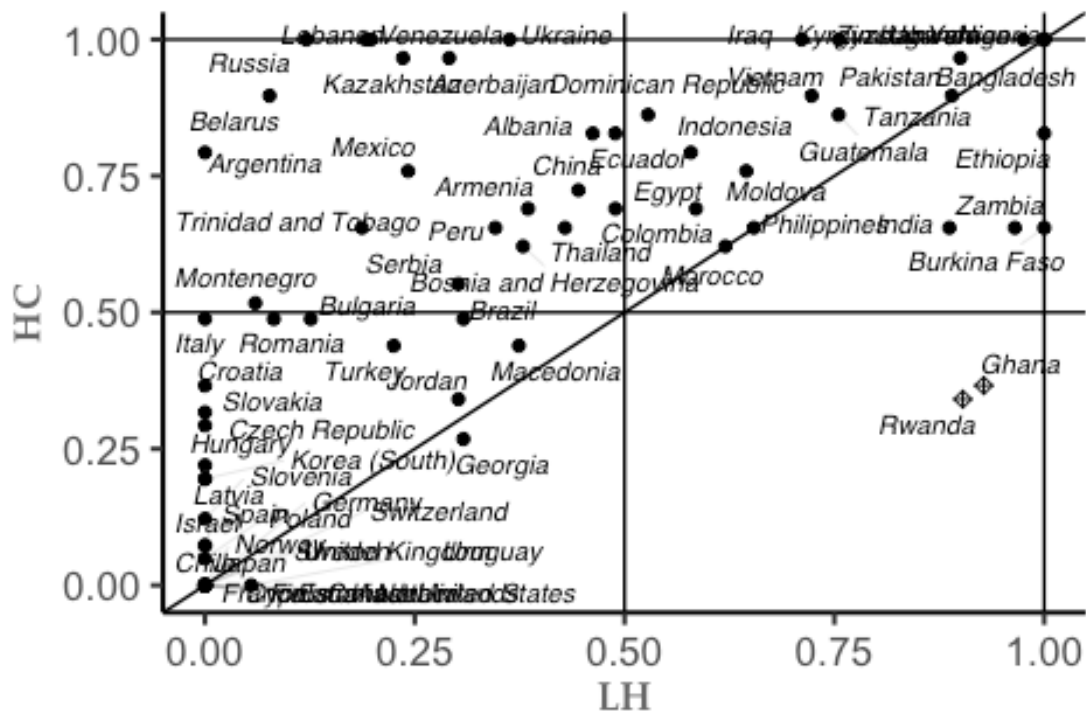
Sufficiency Plot

Cons.Suf: 0.872; Cov.Suf: 0.564; PRI: 0.823



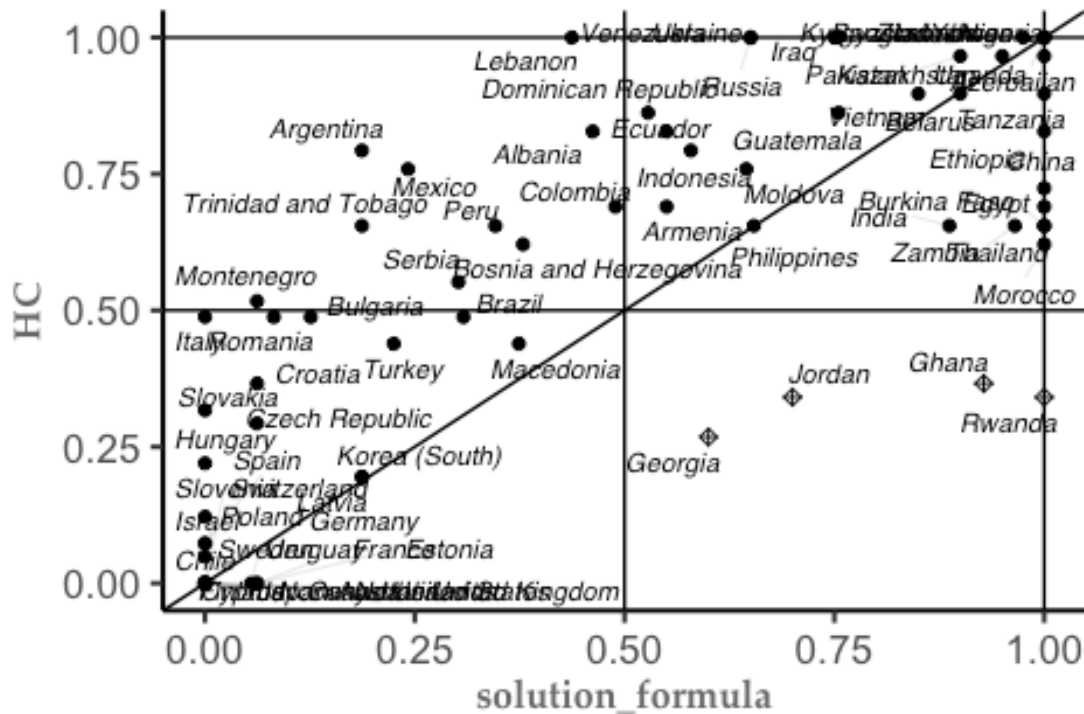
Sufficiency Plot

Cons.Suf: 0.914; Cov.Suf: 0.610; PRI: 0.871



Sufficiency Plot

Cons.Suf: 0.866; Cov.Suf: 0.748; PRI: 0.813



3.1 Descriptive inference SMMR

I start with descriptive inference SMMR designs. To identify missing disjuncts, two designs are available: the study of a single deviant coverage case or the comparison of this case type with an iir case.

```
# deviant coverage case
dcov <- smmr(results = sol_yp,
             outcome = "HC",
             match = FALSE,
             cases = 4)

dcov

Deviant Coverage Cases :
-----
      Case  Sol TT_LD TT_HR TT_HS TT_LH TT_HI TT_row Outcome
10  Trinidad and Tobago 0.187  0  0  1  0  0  0.530  0.655
 6      Mexico 0.242  0  0  1  0  1  0.748  0.759
 8      Peru 0.346  0  0  1  0  1  0.586  0.655
 4      Colombia 0.489  0  0  1  0  1  0.511  0.690
 2      Argentina 0.187  0  0  1  0  1  0.502  0.793
 3  Bosnia and Herzegovina 0.379  0  1  0  0  0  0.621  0.621
 1      Albania 0.462  0  1  0  0  0  0.538  0.828
```

```

7           Montenegro 0.062    0    1    0    0    0 0.838 0.517
5           Lebanon 0.437     0    1    0    0    1 0.563 1.000
9           Serbia 0.302     0    1    1    0    0 0.524 0.552

```

```

TT<=Y Best MostDCOV
10 TRUE 0.470 TRUE
6 TRUE 0.252 TRUE
8 TRUE 0.414 FALSE
4 TRUE 0.489 FALSE
2 TRUE 0.498 FALSE
3 TRUE 0.379 FALSE
1 TRUE 0.462 FALSE
7 FALSE 0.162 TRUE
5 TRUE 0.437 TRUE
9 TRUE 0.476 TRUE

```

```

# deviant coverage - iir case
dcoviir <- smmr(results = sol_yp,
                outcome = "HC",
                match = TRUE,
                cases = 4)

```

```
dcoviir
```

```
Matching Deviant Coverage-IIR Cases :
```

```

-----
                DCOV                IIR TT_LD TT_HR TT_HS TT_LH TT_HI
TT_DCV<=Y
1  Trinidad and Tobago      Cyprus    0    0    1    0    0
TRUE
2  Trinidad and Tobago      Poland    0    0    1    0    0
TRUE
3           Mexico          Chile    0    0    1    0    1
TRUE
4           Peru            Chile    0    0    1    0    1
TRUE
5           Argentina        Chile    0    0    1    0    1
TRUE
6           Colombia         Chile    0    0    1    0    1
TRUE
7           Mexico           Brazil    0    0    1    0    1
TRUE
8           Albania          Estonia    0    1    0    0    0
TRUE
9  Bosnia and Herzegovina    Estonia    0    1    0    0    0
TRUE
10           Albania Korea (South)    0    1    0    0    0
TRUE
11           Albania          Latvia    0    1    0    0    0
TRUE
12  Bosnia and Herzegovina    Korea (South)    0    1    0    0    0
TRUE

```

```

13      Serbia      Australia      0      1      1      0      0
TRUE
14      Serbia      Sweden      0      1      1      0      0
TRUE
15      Serbia      Finland      0      1      1      0      0
TRUE
16      Serbia      France      0      1      1      0      0
TRUE
17      Serbia      Canada      0      1      1      0      0
TRUE
      Best
1  1.285
2  1.334
3  0.889
4  1.173
5  1.203
6  1.288
7  1.345
8  1.096
9  1.209
10 1.291
11 1.291
12 1.332
13 1.400
14 1.400
15 1.400
16 1.400
17 1.400

```

To identify omitted conjuncts, also two options exist: the within-case analysis of a single deviant consistency case or a comparison of this case type with a typical case.

```

dcons <- smmr(results = sol_yp,
              outcome = "HC",
              match = FALSE,
              cases = 3)
dcons
Deviant Consistency Cases :
-----
      Cases Term TermMemb Outcome Best MostDCONS
3  Rwanda  LD   1.000  0.341 0.341      TRUE
2  Jordan  LD   0.700  0.341 0.941      FALSE
1  Georgia LD   0.600  0.268 1.068      FALSE
11 Ghana   LH   0.928  0.366 0.510      TRUE
21 Rwanda  LH   0.903  0.341 0.535      FALSE

typdcons <- smmr(results = sol_yp,
                 outcome = "HC",
                 match = TRUE,
                 cases = 3,

```

```

max_pairs = 10)
typdcons
Term LD :
-----
      TYP  DCONS  Best MostTypTerm MostDCONS
1      Uganda Rwanda 0.341      TRUE      TRUE
2      Yemen  Rwanda 0.341      TRUE      TRUE
3  Bangladesh Rwanda 0.441     FALSE     TRUE
4  Kazakhstan Rwanda 0.475     FALSE     TRUE
5      Vietnam Rwanda 0.744     FALSE     TRUE
6      Iraq   Rwanda 0.841     FALSE     TRUE
9      Uganda Jordan 0.941      TRUE     FALSE
10     Yemen  Jordan 0.941      TRUE     FALSE
7  Bangladesh Jordan 0.941     FALSE     FALSE
8      Iraq   Jordan 0.941     FALSE     FALSE

Term LH :
-----
      TYP  DCONS  Best MostTypTerm MostDCONS
2      Nigeria Ghana 0.510      TRUE     TRUE
3      Uganda  Ghana 0.510      TRUE     TRUE
4      Yemen  Ghana 0.510      TRUE     TRUE
5      Zimbabwe Ghana 0.510      TRUE     TRUE
1  Bangladesh Ghana 0.510     FALSE     TRUE
7      Nigeria Rwanda 0.535      TRUE     FALSE
8      Uganda  Rwanda 0.535      TRUE     FALSE
9      Yemen  Rwanda 0.535      TRUE     FALSE
10     Zimbabwe Rwanda 0.535      TRUE     FALSE
6  Bangladesh Rwanda 0.535     FALSE     FALSE

```

3.2 Causal inference SMMR

There are three causal inference SMMR designs: within-case analysis of a single typical case, the comparison with an iir case, and the comparison between two typical cases.

```

typ_term <- smmr(results = sol_yp,
                outcome = "HC",
                match = FALSE,
                cases = 1)

typ_term

Typical Cases :
-----
      Case Term TermMemb Outcome UniqCov  Best MostTyp
5      Kazakhstan LD 0.950 0.966 TRUE 0.082 FALSE
1      Armenia   LD 0.550 0.690 TRUE 0.730 FALSE
3      Ecuador   LD 0.550 0.828 TRUE 1.006 FALSE
7      Russia    LD 0.650 1.000 TRUE 1.050 FALSE
9      Ukraine   LD 0.650 1.000 TRUE 1.050 FALSE

```

10	Venezuela	LD	0.650	1.000	TRUE	1.050	FALSE
8	Uganda	LD	1.000	1.000	FALSE	0.000	TRUE
12	Yemen	LD	1.000	1.000	FALSE	0.000	TRUE
2	Bangladesh	LD	0.950	1.000	FALSE	0.150	FALSE
11	Vietnam	LD	0.850	0.897	FALSE	0.244	FALSE
4	Iraq	LD	0.750	1.000	FALSE	0.750	FALSE
6	Nigeria	LD	0.650	1.000	FALSE	1.050	FALSE
13	Zimbabwe	LD	0.650	1.000	FALSE	1.050	FALSE
131	Tanzania	LH	0.890	0.897	TRUE	0.124	FALSE
111	Pakistan	LH	0.900	0.966	TRUE	0.232	FALSE
121	Philippines	LH	0.654	0.655	TRUE	0.348	FALSE
91	Morocco	LH	0.620	0.621	TRUE	0.382	FALSE
41	Guatemala	LH	0.755	0.862	TRUE	0.459	FALSE
81	Moldova	LH	0.645	0.759	TRUE	0.583	FALSE
31	Egypt	LH	0.585	0.690	TRUE	0.625	FALSE
71	Kyrgyzstan	LH	0.755	1.000	TRUE	0.735	FALSE
51	Indonesia	LH	0.579	0.793	TRUE	0.849	FALSE
21	Dominican Republic	LH	0.528	0.862	TRUE	1.140	FALSE
101	Nigeria	LH	1.000	1.000	FALSE	0.000	TRUE
14	Uganda	LH	1.000	1.000	FALSE	0.000	TRUE
16	Yemen	LH	1.000	1.000	FALSE	0.000	TRUE
17	Zimbabwe	LH	1.000	1.000	FALSE	0.000	TRUE
110	Bangladesh	LH	0.975	1.000	FALSE	0.075	FALSE
15	Vietnam	LH	0.723	0.897	FALSE	0.625	FALSE
61	Iraq	LH	0.711	1.000	FALSE	0.867	FALSE

```
typiir_term <- smmr(results = sol_yp,
  outcome = "HC",
  match = TRUE,
  cases = 6,
  max_pairs = 10)
```

typiir_term

Term LD :

```
-----
```

	TYP	IIR	UniqCov	ConsIIR	GlobUncov	Best	MostTyp
29	Kazakhstan	Australia	TRUE	TRUE	TRUE	0.116	FALSE
30	Kazakhstan	Canada	TRUE	TRUE	TRUE	0.116	FALSE
33	Kazakhstan	Finland	TRUE	TRUE	TRUE	0.116	FALSE
34	Kazakhstan	Germany	TRUE	TRUE	TRUE	0.116	FALSE
35	Kazakhstan	Japan	TRUE	TRUE	TRUE	0.116	FALSE
37	Kazakhstan	Norway	TRUE	TRUE	TRUE	0.116	FALSE
71	Kazakhstan	Israel	TRUE	TRUE	TRUE	0.335	FALSE
72	Kazakhstan	Spain	TRUE	TRUE	TRUE	0.335	FALSE
99	Kazakhstan	Korea (South)	TRUE	TRUE	TRUE	0.514	FALSE
134	Kazakhstan	Czech Republic	TRUE	TRUE	TRUE	0.933	FALSE

Term LH :

```
-----
```

	TYP	IIR	UniqCov	ConsIIR	GlobUncov	Best	MostTyp
--	-----	-----	---------	---------	-----------	------	---------

```

93 Tanzania Australia TRUE TRUE TRUE 0.227 FALSE
94 Tanzania Canada TRUE TRUE TRUE 0.227 FALSE
97 Tanzania Estonia TRUE TRUE TRUE 0.227 FALSE
98 Tanzania Finland TRUE TRUE TRUE 0.227 FALSE
100 Tanzania Germany TRUE TRUE TRUE 0.227 FALSE
101 Tanzania Japan TRUE TRUE TRUE 0.227 FALSE
102 Tanzania Netherlands TRUE TRUE TRUE 0.227 FALSE
105 Tanzania Switzerland TRUE TRUE TRUE 0.227 FALSE
109 Pakistan Australia TRUE TRUE TRUE 0.266 FALSE
110 Pakistan Canada TRUE TRUE TRUE 0.266 FALSE

```

```

typtyp_term <- smmr(results = sol_yp,
  outcome = "HC",
  match = TRUE,
  cases = 5,
  max_pairs = 10)

```

typtyp_term

Term LD :

```

-----
          TYP1      TYP2 UniqCov  Best MostTyp
4  Kazakhstan  Armenia   both 0.636   none
2  Kazakhstan  Ecuador   both 1.050   none
92 Kazakhstan  Ukraine   both 1.466   none
97 Kazakhstan  Venezuela both 1.466   none
128 Kazakhstan  Russia    both 1.466   none
64   Armenia    Ecuador   both 1.974   none
90   Armenia    Russia    both 2.390   none
95   Armenia    Venezuela both 2.390   none
132  Armenia    Ukraine   both 2.390   none
21   Venezuela  Ukraine   both 2.400   none

```

Term LH :

```

-----
          TYP1      TYP2 UniqCov  Best MostTyp
255  Tanzania   Morocco   both 0.470   none
130  Pakistan   Morocco   both 0.509   none
155  Tanzania   Philippines both 0.538   none
117  Pakistan   Philippines both 0.577   none
138  Tanzania   Egypt     both 0.712   none
223  Pakistan   Egypt     both 0.751   none
240  Tanzania   Moldova   both 0.859   none
289  Pakistan   Moldova   both 0.898   none
164  Philippines  Morocco   both 0.936   none
14   Tanzania   Indonesia both 1.027   none

```


4 Chapter 4: Haesebrouck and Van Immerseel (2020)

In chapter 4, I discuss the challenges for SMMR that arise from the presence of conjunctions (without disjunctions). For this, I use the example by Haesebrouck and Van Immerseel (2020) on decisions to deploy military abroad.

Outcome

- \sim PC = No political contestation

Conditions

- PD = Not potentially divisive operation (PD)
- HR = High risk operation
- PI = Parliament involved
- PF = Parliament fractionalized
- RO = Right opposition
- GS = Government strong
- GP = Government polarized

Just as in the previous chapter, also in this example, I alter the data slightly such that the challenges to SMMR triggered by conjunctions are brought to the fore. The following code provides the details of the changes to the data.

```
# Adjusting data for didactical purposes
HAES.d <- read.csv('data_fs.csv', row.names = 1)

HAES.d['ITA_Alba', 5] <- 0.8
HAES.d['FRN_Sangaris', 5] <- 0.885
HAES.d['FRN_DaeshIr', 5] <- 0.9
HAES.d['SLK_EUMali', 5] <- 0.93
HAES.d['SLK_Sophia', 1] <- 0.87
HAES.d['DK_Kosovo', 1] <- 0.6

HAES.d['BEL_DaeshIr', 4] <- 0.1
HAES.d['DK_Serval', 4] <- 0.01
HAES.d['FRN_Serval', 4] <- 0.02

HAES.d$PD <- 1 - HAES.d$PD

write.csv(HAES.d, "HaesebrouckImmerseel_20_data_fs_altered.csv")

HAES.data <- read.csv('HaesebrouckImmerseel_20_data_fs_altered.csv',
row.names = 1)
```

I produce the truth table, the most parsimonious solution, and the XY plots for this solution

```
# truth table
TT_yn <- truthTable(data = HAES.data, outcome = "~PC",
                    conditions = c("PD", "HR", "PI", "PF", "RO", "GP"),
                    incl.cut = 0.75,
                    show.cases = TRUE,
                    complete = FALSE,
                    sort.by = c("OUT", "incl"))
```

TT_yn

OUT: output value
 n: number of cases in configuration
 incl: sufficiency inclusion score
 PRI: proportional reduction in inconsistency

	PD	HR	PI	PF	RO	GP	OUT	n	incl	PRI
51	1	1	0	0	1	0	1	3	0.925	0.903
39	1	0	0	1	1	0	1	2	0.923	0.878
48	1	0	1	1	1	1	1	4	0.902	0.841
43	1	0	1	0	1	0	1	3	0.901	0.833
47	1	0	1	1	1	0	1	5	0.859	0.782
40	1	0	0	1	1	1	1	1	0.853	0.717
64	1	1	1	1	1	1	1	2	0.825	0.706
55	1	1	0	1	1	0	1	2	0.794	0.715
59	1	1	1	0	1	0	1	1	0.770	0.575
63	1	1	1	1	1	0	1	3	0.754	0.602
45	1	0	1	1	0	0	0	4	0.740	0.619
61	1	1	1	1	0	0	0	3	0.701	0.546
41	1	0	1	0	0	0	0	3	0.692	0.518
46	1	0	1	1	0	1	0	5	0.688	0.508
57	1	1	1	0	0	0	0	3	0.684	0.537
16	0	0	1	1	1	1	0	1	0.674	0.581
49	1	1	0	0	0	0	0	2	0.665	0.568
19	0	1	0	0	1	0	0	2	0.646	0.514
62	1	1	1	1	0	1	0	1	0.625	0.340
31	0	1	1	1	1	0	0	2	0.609	0.474
15	0	0	1	1	1	0	0	1	0.539	0.435
42	1	0	1	0	0	1	0	3	0.515	0.171
53	1	1	0	1	0	0	0	3	0.509	0.312
25	0	1	1	0	0	0	0	2	0.454	0.269
29	0	1	1	1	0	0	0	1	0.427	0.285
17	0	1	0	0	0	0	0	1	0.426	0.272
37	1	0	0	1	0	0	0	2	0.424	0.189
23	0	1	0	1	1	0	0	1	0.420	0.241
26	0	1	1	0	0	1	0	1	0.396	0.089
21	0	1	0	1	0	0	0	1	0.328	0.184
14	0	0	1	1	0	1	0	1	0.266	0.101

```

cases
51 FRN_DaeshIr,FRN_Sangaris,FRN_Serval
39 ITA_Alba,ITA_Leb
48 DK_Serval,FIN_IFOR,SLK_DaeshIr,SLK_Leb
43 ESP_Atalanta,ESP_EUSom,SLK_EUMali
47 DK_Alba,FIN_Leb,GER_Mac,SLK_KFOR,SLK_UNDOF
40 BEL_Mali
64 BEL_DaeshIr,BEL_Libya
55 FRN_Iraq91,ITA_Som92
59 ESP_Libya
63 DK_DaeshIr,DK_MINUSMA,GER_Afgh
45 DK_Leb,FIN_Atalanta,GER_EUMali,GER_Serval
61 DK_Afgh,DK_Bosnia,DK_Libya
41 ESP_DaeshIr,ESP_EUMali,ESP_Sophia
46 DK_Iraq91,FIN_DaeshIr,FIN_KFOR,GER_Atalanta,GER_Leb
57 ESP_EURCA,GER_Bosnia,UK_DaeshIr
16 SLK_Sophia
49 FRN_Libya,UK_Libya
19 FRN_DaeshSyr,UK_Iraq03
62 GER_Congo
31 DK_DaeshSyr,DK_Kosovo
15 SLK_Kosovo
42 GER_DaeshIr,GER_EURCA,GER_EUSom
53 ITA_Afgh,ITA_Iraq91,ITA_Libya
25 GER_Kosovo,UK_DaeshSy
29 DK_Iraq03
17 UK_Syria13
37 ITA_Iraq90,ITA_Sophia
23 ITA_Kosovo
26 GER_DaeshSy
21 ITA_Iraq03
14 SLK_Iraq03

```

most parsimonious solution

```

sol_nyp <- minimize(TT_yn,
                    include = "?",
                    details = TRUE)

```

```
sol_nyp
```

```
M1: PD*RO -> ~PC
```

	inclS	PRI	covS	covU
1 PD*RO	0.839	0.800	0.517	-
M1	0.839	0.800	0.517	

```
cases
```

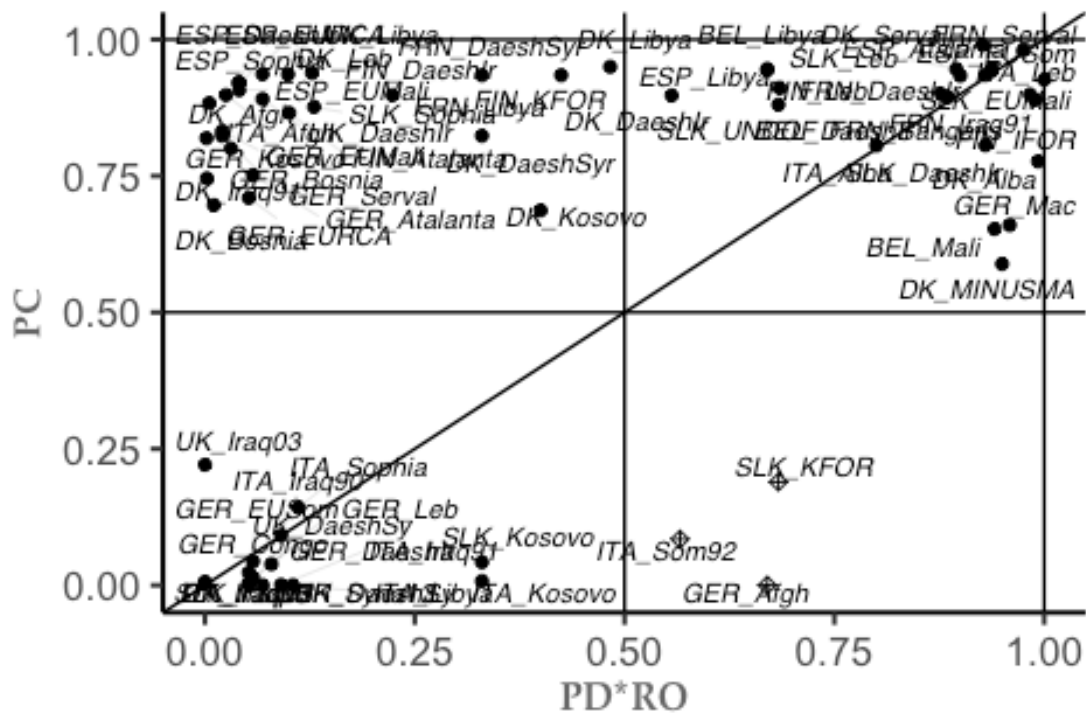
```
-----
```

```
1 PD*RO ITA_Alba,ITA_Leb; BEL_Mali; ESP_Atalanta,ESP_EUSom,SLK_EUMali;
DK_Alba,FIN_Leb,GER_Mac,SLK_KFOR,SLK_UNDOF;
    DK_Serval,FIN_IFOR,SLK_DaeshIr,SLK_Leb;
FRN_DaeshIr,FRN_Sangaris,FRN_Serval;
    FRN_Iraq91,ITA_Som92; ESP_Libya; DK_DaeshIr,DK_MINUSMA,GER_Afgh;
BEL_DaeshIr,BEL_Libya
-----

# XY plots
pimplot(data = HAES.data,
         outcome = "PC",
         results = sol_nyp,
         jitter = TRUE,
         all_labels = TRUE)
```

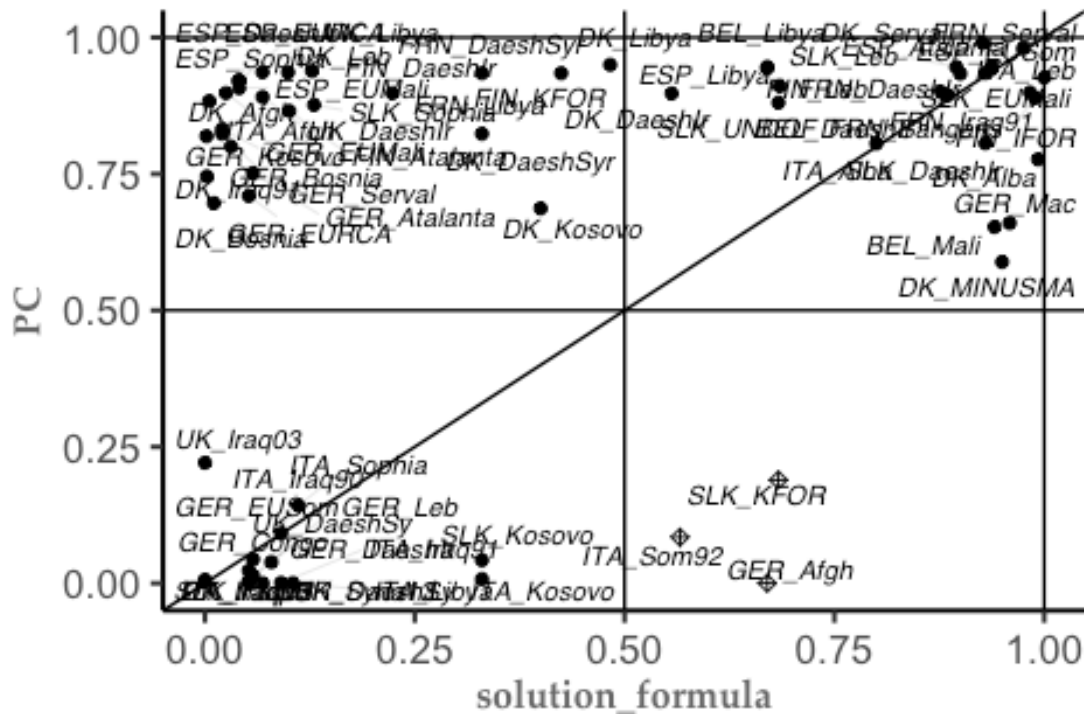
Sufficiency Plot

Cons.Suf: 0.839; Cov.Suf: 0.517; PRI: 0.800



Sufficiency Plot

Cons.Suf: 0.839; Cov.Suf: 0.517; PRI: 0.800



4.1 Descriptive inference SMMR

The two SMMR designs for identifying missing disjuncts are implemented as follows.

```
# deviant coverage
dcov <- smmr(results = sol_nyp,
             outcome = "~PC",
             match = FALSE,
             cases = 4)

dcov

Deviant Coverage Cases :
-----
      Case  Sol  TT_PD  TT_HR  TT_PI  TT_PF  TT_RO  TT_GP  TT_row  Outcome
TT<=Y
24  SLK_Sophia 0.130    0    0    1    1    1    1  0.570  0.876
TRUE
15  FRN_DaeshSyr 0.330    0    1    0    0    1    0  0.670  0.935
TRUE
21  GER_Kosovo 0.002    0    1    1    0    0    0  0.569  0.819
TRUE
3   DK_DaeshSyr 0.330    0    1    1    1    1    0  0.670  0.824
TRUE
```

5	DK_Kosovo	0.400	0	1	1	1	1	0	0.600	0.687
TRUE										
11	ESP_Sophia	0.041	1	0	1	0	0	0	0.707	0.921
TRUE										
8	ESP_DaeshIr	0.041	1	0	1	0	0	0	0.670	0.921
TRUE										
9	ESP_EUMali	0.041	1	0	1	0	0	0	0.670	0.907
TRUE										
20	GER_EURCA	0.052	1	0	1	0	0	1	0.641	0.710
TRUE										
6	DK_Leb	0.099	1	0	1	1	0	0	0.830	0.936
TRUE										
22	GER_Serval	0.020	1	0	1	1	0	0	0.806	0.824
TRUE										
19	GER_EUMali	0.020	1	0	1	1	0	0	0.670	0.832
TRUE										
12	FIN_Atalanta	0.100	1	0	1	1	0	0	0.887	0.866
FALSE										
4	DK_Iraq91	0.002	1	0	1	1	0	1	0.683	0.746
TRUE										
13	FIN_DaeshIr	0.128	1	0	1	1	0	1	0.670	0.938
TRUE										
17	GER_Atalanta	0.057	1	0	1	1	0	1	0.656	0.751
TRUE										
14	FIN_KFOR	0.424	1	0	1	1	0	1	0.576	0.935
TRUE										
16	FRN_Libya	0.223	1	1	0	0	0	0	0.670	0.898
TRUE										
26	UK_Libya	0.069	1	1	0	0	0	0	0.670	0.936
TRUE										
23	ITA_Afgh	0.025	1	1	0	1	0	0	0.670	0.898
TRUE										
10	ESP_EURCA	0.041	1	1	1	0	0	0	0.767	0.920
TRUE										
18	GER_Bosnia	0.031	1	1	1	0	0	0	0.670	0.800
TRUE										
25	UK_DaeshIr	0.069	1	1	1	0	0	0	0.670	0.891
TRUE										
1	DK_Afgh	0.005	1	1	1	1	0	0	0.670	0.884
TRUE										
7	DK_Libya	0.483	1	1	1	1	0	0	0.517	0.950
TRUE										
2	DK_Bosnia	0.011	1	1	1	1	0	0	0.909	0.696
FALSE										
Best MostDCOV										
24	0.430	TRUE								
15	0.330	TRUE								
21	0.431	TRUE								
3	0.330	TRUE								
5	0.400	FALSE								

```

11 0.293 TRUE
8 0.330 FALSE
9 0.330 FALSE
20 0.359 TRUE
6 0.170 FALSE
22 0.194 FALSE
19 0.330 FALSE
12 0.113 TRUE
4 0.317 TRUE
13 0.330 FALSE
17 0.344 FALSE
14 0.424 FALSE
16 0.330 TRUE
26 0.330 TRUE
23 0.330 TRUE
10 0.233 TRUE
18 0.330 FALSE
25 0.330 FALSE
1 0.330 FALSE
7 0.483 FALSE
2 0.091 TRUE

```

deviant coverage - iir

```

dcoviir <- smmr(results = sol_nyp,
               outcome = "~PC",
               match = TRUE,
               cases = 4)

```

dcoviir

Matching Deviant Coverage-IIR Cases :

```

-----
                DCOV                IIR TT_PD TT_HR TT_PI TT_PF TT_RO TT_GP TT_DCV<=Y
Best
1  FRN_DaeshSyr  UK_Iraq03      0    1    0    0    1    0    TRUE
0.946
2   GER_Kosovo  UK_DaeshSy      0    1    1    0    0    0    TRUE
1.081
3   GER_EURCA  GER_DaeshIr      1    0    1    0    0    1    TRUE
1.013
4   GER_EURCA  GER_EUSom      1    0    1    0    0    1    TRUE
1.032
5   FIN_DaeshIr  GER_Leb      1    0    1    1    0    1    TRUE
0.762
6    FIN_KFOR  GER_Leb      1    0    1    1    0    1    TRUE
0.928
7   GER_Atalanta  GER_Leb      1    0    1    1    0    1    TRUE
0.949
8    DK_Iraq91  GER_Leb      1    0    1    1    0    1    TRUE
0.955
9    ITA_Afgh  ITA_Libya      1    1    0    1    0    0    TRUE

```

```
0.762
10 ITA_Afgh ITA_Iraq91 1 1 0 1 0 0 TRUE
0.763
```

The two SMMR designs for identifying missing conjuncts are implemented as follows:

```
# deviant consistency
dcons <- smmr(results = sol_nyp,
              outcome = "~PC",
              match = FALSE,
              cases = 3)

dcons

Deviant Consistency Cases :
-----
      Cases Term TermMemb Outcome Best MostDCONS
1  GER_Afgh PD*RO    0.670  0.000 0.660      TRUE
3  SLK_KFOR PD*RO    0.683  0.189 0.823     FALSE
2  ITA_Som92 PD*RO    0.566  0.084 0.952     FALSE

# deviant consistency - typical
typdcons <- smmr(results = sol_nyp,
                  outcome = "~PC",
                  match = TRUE,
                  cases = 3)

typdcons

Term PD*RO :
-----
      TYP      DCONS Best MostTypTerm MostDCONS
1  DK_Serval GER_Afgh 0.670      FALSE      TRUE
2  FRN_Serval GER_Afgh 0.680       TRUE      TRUE
3  ESP_Atalanta GER_Afgh 0.713      FALSE      TRUE
4   BEL_Libya GER_Afgh 0.714      FALSE      TRUE
5    SLK_Leb GER_Afgh 0.714      FALSE      TRUE
```

4.2 Causal inference SMMR

The presence of conjuncts requires researchers to make a choice when aiming at causal inferences: do they want to solicit conceptual arguments and treat the conjunction as one set or do they want to treat each conjunct in the conjunction separately. The latter is the default options. The following code implements the three SMMR designs that operate on focal conjuncts.

```
# typical
typ_foc <- smmr(results = sol_nyp,
                 outcome = "~PC",
                 match = FALSE,
                 cases = 2)

typ_foc
```

Typical Cases - Focal Conjunct PD :

```

-----
                FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best
ESP_Libya      0.67   0.944  0.937 0.670    1    FALSE  TRUE    TRUE 0.878
BEL_Libya      0.67   0.946  0.940 0.670    1    FALSE  TRUE    TRUE 0.882
FRN_Serval     1.00   0.980  0.975 0.975    2     TRUE  FALSE   TRUE 0.065
DK_Serval      1.00   0.990  0.927 0.927    2     TRUE  FALSE   TRUE 0.093
ESP_Atalanta   1.00   0.947  0.937 0.937    2     TRUE  FALSE   TRUE 0.169

                MostTypFC MostTypTerm
ESP_Libya      FALSE      FALSE
BEL_Libya      FALSE      FALSE
FRN_Serval     TRUE       FALSE
DK_Serval      FALSE      FALSE
ESP_Atalanta   FALSE      FALSE

```

Typical Cases - Focal Conjunct RO :

```

-----
                FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best
FRN_Serval     0.975  0.980    1 0.975    1     TRUE  TRUE    TRUE 0.035
ESP_EUSom      0.937  0.942    1 0.937    1     TRUE  TRUE    TRUE 0.072
SLK_EUMali     0.930  0.935    1 0.930    1     TRUE  TRUE    TRUE 0.080
ESP_Atalanta   0.937  0.947    1 0.937    1     TRUE  TRUE    TRUE 0.082
FRN_Sangaris   0.885  0.894    1 0.885    1     TRUE  TRUE    TRUE 0.133

                MostTypFC MostTypTerm
FRN_Serval     TRUE       FALSE
ESP_EUSom      FALSE      FALSE
SLK_EUMali     FALSE      FALSE
ESP_Atalanta   FALSE      FALSE
FRN_Sangaris   FALSE      FALSE

```

typical - iir

```

typiir_foc <- smmr(results = sol_nyp,
                  outcome = "~PC",
                  match = TRUE,
                  cases = 2,
                  max_pairs = 10)

```

typiir_foc

Focal Conjunct PD :

```

-----
                TYP      IIR PairRank CleanCorr FC<=Y UniqCov GlobUncov  Best
232  ESP_Libya  UK_Iraq03    1      iir  both  TRUE    TRUE 1.532
227  BEL_Libya  UK_Iraq03    1      iir  both  TRUE    TRUE 1.536
142  ESP_Libya  ITA_Kosovo   1      iir  typ   TRUE    TRUE 1.642
137  BEL_Libya  ITA_Kosovo   1      iir  typ   TRUE    TRUE 1.646
202  ESP_Libya  SLK_Kosovo   1      iir  typ   TRUE    TRUE 1.848
197  BEL_Libya  SLK_Kosovo   1      iir  typ   TRUE    TRUE 1.853
229  DK_Serval  UK_Iraq03    2     both  iir   TRUE    TRUE 0.617
236  FRN_Serval  UK_Iraq03    2     both  iir   TRUE    TRUE 0.695
239  SLK_Leb    UK_Iraq03    2     both  iir   TRUE    TRUE 0.718

```

```

230 ESP_Atalanta UK_Iraq03      2      both   iir     TRUE     TRUE 0.757
      MostTypFC MostTypTerm
232     FALSE     FALSE
227     FALSE     FALSE
142     FALSE     FALSE
137     FALSE     FALSE
202     FALSE     FALSE
197     FALSE     FALSE
229     FALSE     FALSE
236     TRUE      TRUE
239     FALSE     FALSE
230     FALSE     FALSE

```

Focal Conjunct R0 :

```

-----
          TYP          IIR PairRank CleanCorr FC<=Y UniqCov GlobUncov Best
116 FRN_Serval ITA_Iraq90      1      both  both     TRUE     TRUE 0.238
111 ESP_EUSom  ITA_Iraq90      1      both  both     TRUE     TRUE 0.313
110 ESP_Atalanta ITA_Iraq90      1      both  both     TRUE     TRUE 0.318
118 SLK_EUMali  ITA_Iraq90      1      both  both     TRUE     TRUE 0.328
176 FRN_Serval ITA_Sophia      1      both  both     TRUE     TRUE 0.340
109 DK_Serval  ITA_Iraq90      1      both  both     TRUE     TRUE 0.392
171 ESP_EUSom  ITA_Sophia      1      both  both     TRUE     TRUE 0.415
114 FRN_DaeshIr ITA_Iraq90      1      both  both     TRUE     TRUE 0.416
170 ESP_Atalanta ITA_Sophia      1      both  both     TRUE     TRUE 0.420
115 FRN_Sangaris ITA_Iraq90      1      both  both     TRUE     TRUE 0.422
      MostTypFC MostTypTerm
116     TRUE      TRUE
111     FALSE     FALSE
110     FALSE     FALSE
118     FALSE     FALSE
176     TRUE      TRUE
109     FALSE     FALSE
171     FALSE     FALSE
114     FALSE     FALSE
170     FALSE     FALSE
115     FALSE     FALSE

```

typical - typical

```

tytyp_foc <- smmr(results = sol_nyp,
                 outcome = "~PC",
                 match = TRUE,
                 cases = 1)

```

tytyp_foc

Focal Conjunct PD :

```

-----
          TYP1          TYP2 PairRank CleanCorr FC<=Y UniqCov Best MostTypFC
22 ESP_Libya  BEL_Libya      1      none  both     both 2.105     none
37 ESP_Libya  DK_DaeshIr      2      typ2  typ1     both 2.418     none

```

32	BEL_Libya	DK_DaeshIr	2	typ2	typ1	both	2.422	none
94	DK_Serval	ESP_Libya	3	typ1	typ2	both	1.203	none
19	DK_Serval	BEL_Libya	3	typ1	typ2	both	1.211	none
MostTypTerm								
22		none						
37		none						
32		none						
94		none						
19		none						

Focal Conjunct RO :

```

-----
          TYP1      TYP2 PairRank CleanCorr FC<=Y UniqCov  Best MostTypFC
176  FRN_Serval  ITA_Alba         1      both  both      both 0.673      typ1
171   ESP_EUSom  ITA_Alba         1      both  both      both 0.747      none
170  ESP_Atalanta ITA_Alba         1      both  both      both 0.752      none
178   SLK_EUMali ITA_Alba         1      both  both      both 0.762      none
169   DK_Serval  ITA_Alba         1      both  both      both 0.827      none
MostTypTerm
176      typ1
171      none
170      none
178      none
169      none

```

If a researcher decides that good reasons exist to move up on the ladder of abstraction and treat the conjunction (in the current example $PD * RO$) as one set, then the following code implements this choice.

```

# typical
typ_term <- smmr(results = sol_nyp,
                outcome = "~PC",
                match = FALSE,
                cases = 1)

typ_term

```

Typical Cases :

```

-----
      Case Term TermMemb Outcome UniqCov      Best MostTyp
11  FRN_Serval PD*RO 0.9748652 0.9800000 TRUE 0.03540449 TRUE
6   ESP_EUSom PD*RO 0.9373178 0.9420202 TRUE 0.07208690 FALSE
13  SLK_EUMali PD*RO 0.9300000 0.9349026 TRUE 0.07980513 FALSE
5   ESP_Atalanta PD*RO 0.9373178 0.9468406 TRUE 0.08172771 FALSE
10  FRN_Sangaris PD*RO 0.8850000 0.8939132 TRUE 0.13282640 FALSE
9   FRN_DaeshIr PD*RO 0.9000000 0.9337101 TRUE 0.16742018 FALSE
1   BEL_DaeshIr PD*RO 0.8773462 0.9000000 TRUE 0.16796145 FALSE
4   DK_Serval  PD*RO 0.9267515 0.9900000 TRUE 0.19974551 FALSE
14  SLK_Leb    PD*RO 0.8951981 0.9458406 TRUE 0.20608675 FALSE
12  ITA_Alba   PD*RO 0.8000000 0.8057869 TRUE 0.21157381 FALSE
15  SLK_UNDOF  PD*RO 0.6832891 0.8806141 TRUE 0.71136086 FALSE

```

```

8     FIN_Leb PD*RO 0.6849579 0.9108743    TRUE 0.76687496  FALSE
7     ESP_Libya PD*RO 0.6700000 0.9440380    TRUE 0.87807605  FALSE
2     BEL_Libya PD*RO 0.6700000 0.9461180    TRUE 0.88223592  FALSE
3     DK_DaeshIr PD*RO 0.5560820 0.8974634    TRUE 1.12668081  FALSE

```

```
# typical - iir
```

```

typiir_term <- smmr(results = sol_nyp,
  outcome = "~PC",
  match = TRUE,
  cases = 6,
  max_pairs = 10)

```

```
typiir_term
```

```
Term PD*RO :
```

```

-----
          TYP          IIR UniqCov ConsIIR GlobUncov Best MostTyp
1     FRN_Serval SLK_Iraq03    TRUE    TRUE    TRUE 0.062    TRUE
4     ESP_EUSom SLK_Iraq03    TRUE    TRUE    TRUE 0.136    FALSE
5     ESP_Atalanta SLK_Iraq03    TRUE    TRUE    TRUE 0.141    FALSE
9     SLK_EUMali SLK_Iraq03    TRUE    TRUE    TRUE 0.151    FALSE
18    DK_Serval SLK_Iraq03    TRUE    TRUE    TRUE 0.216    FALSE
21    FRN_Serval ITA_Iraq90    TRUE    TRUE    TRUE 0.239    TRUE
22    FRN_DaeshIr SLK_Iraq03    TRUE    TRUE    TRUE 0.240    FALSE
23    FRN_Sangaris SLK_Iraq03    TRUE    TRUE    TRUE 0.245    FALSE
33     SLK_Leb SLK_Iraq03    TRUE    TRUE    TRUE 0.266    FALSE
37    BEL_DaeshIr SLK_Iraq03    TRUE    TRUE    TRUE 0.274    FALSE

```

```
# typical - typical
```

```

tytyp_term <- smmr(results = sol_nyp,
  outcome = "~PC",
  match = TRUE,
  cases = 5)

```

```
tytyp_term
```

```
Term PD*RO :
```

```

-----
          TYP1          TYP2 UniqCov Best MostTyp
166    FRN_Serval ITA_Alba    both 0.673    typ1
31     ESP_EUSom ITA_Alba    both 0.747    none
55    ESP_Atalanta ITA_Alba    both 0.752    none
65     SLK_EUMali ITA_Alba    both 0.762    none
215    DK_Serval ITA_Alba    both 0.827    none

```

4.3 Chapter 4: M. R. Schneider, Schulze-Bentrop, and Paunescu (2010), necessary INUS condition

Sometimes, INUS conditions qualify as necessary conditions for the outcome. This must be taken into account in all causal inference SMMR designs that zoom in on the necessary focal conjunct. This is done by specifying the necessary INUS condition via the argument

nec.cond = in function `smmr()`. For illustration I use the study by M. R. Schneider, Schulze-Bentrop, and Paunescu (2010).

Outcome

- EXPORT = success in export of high-tech products

Conditions

- EMP= high employment protection
- BARGAIN = high collective bargaining
- UNI = a lot of university training
- OCCUP = a lot of occupational training
- STOCK = big stock market size
- MA = a lot of mergers and acquisitions

```
SCHF <- read.csv("Schneider_etal_10_fs.csv", row.names = 1)
```

We identify the necessary condition *STOCK* and visualize it in an XY plot.

```
# Identify necessary condition
NEC <- superSubset(SCHF, outcome = "EXPORT",
  conditions = c("EMP", "BARGAIN", "UNI", "OCCUP", "STOCK", "MA"),
  incl.cut = .87,
  ron.cut = 0.5,
  cov.cut = 0.6,
  depth = 1)

NEC

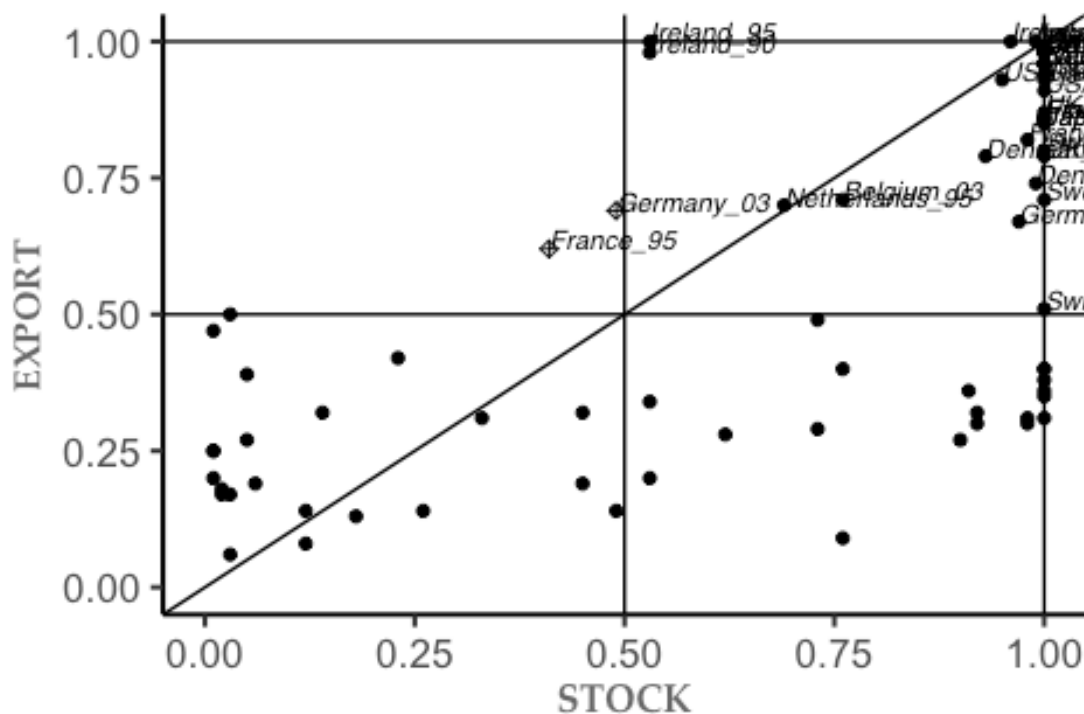
      inclN   RoN   covN
-----
1 STOCK 0.891 0.628 0.719
-----

# Plot necessary condition

pimplot(SCHF,
  results = NEC,
  outcome = "EXPORT",
  necessity = TRUE)
```

Necessity Plot

Cons.Nec: 0.891; Cov.Nec: 0.719; RoN: 0.628



In the next step, we identify the sufficient conditions. For this, we first produce the truth table. Since we do have a necessary condition, we must make sure that our sufficiency statements do not contradict this necessity claim. For this, we apply the Enhanced Standard Analysis (ESA). This means, we must block from being included in the logical minimization all those truth table rows that would contradict the necessity claim.

```
# Obtain truth table
TT_y <- truthTable(SCHF, outcome = "EXPORT",
                   conditions = c("EMP", "BARGAIN", "UNI", "OCCUP", "STOCK",
                                  "MA"),
                   incl.cut = .9,
                   pri.cut = 0.5,
                   sort.by = c('OUT', 'incl'))
TT_y
```

OUT: output value
 n: number of cases in configuration
 incl: sufficiency inclusion score
 PRI: proportional reduction in inconsistency

	EMP	BARGAIN	UNI	OCCUP	STOCK	MA	OUT	n	incl	PRI
19	0	1	0	0	1	0	1	1	0.982	0.911

28	0	1	1	0	1	1	1	2	0.966	0.899
16	0	0	1	1	1	1	1	1	0.964	0.866
43	1	0	1	0	1	0	1	4	0.951	0.875
63	1	1	1	1	1	0	1	2	0.941	0.755
64	1	1	1	1	1	1	1	7	0.941	0.860
27	0	1	1	0	1	0	1	1	0.930	0.714
8	0	0	0	1	1	1	1	3	0.930	0.776
60	1	1	1	0	1	1	1	4	0.929	0.796
11	0	0	1	0	1	0	1	6	0.920	0.849
32	0	1	1	1	1	1	1	4	0.910	0.765
29	0	1	1	1	0	0	0	1	0.900	0.333
56	1	1	0	1	1	1	0	5	0.894	0.653
62	1	1	1	1	0	1	0	1	0.883	0.267
12	0	0	1	0	1	1	0	10	0.880	0.789
61	1	1	1	1	0	0	0	2	0.844	0.228
55	1	1	0	1	1	0	0	2	0.835	0.297
57	1	1	1	0	0	0	0	1	0.824	0.214
2	0	0	0	0	0	1	0	1	0.787	0.316
49	1	1	0	0	0	0	0	4	0.742	0.115
10	0	0	1	0	0	1	0	2	0.662	0.158
53	1	1	0	1	0	0	0	12	0.607	0.091

Since we do have a necessary condition, we must make sure that our sufficiency statements do not contradict this necessity claim. For this, we apply the Enhanced Standard Analysis (ESA). This means, we must block from being included in the logical minimization all those truth table rows that would contradict the necessity claim.

Perform ESA by blocking all truth table rows that contain the negation of the necessary condition STOCK

```
TT_yesa <- esa(oldtt = TT_y,
               nec_cond = "STOCK")
```

```
TT_yesa
```

OUT: output value

n: number of cases in configuration

incl: sufficiency inclusion score

PRI: proportional reduction in inconsistency

	EMP	BARGAIN	UNI	OCCUP	STOCK	MA	OUT	n	incl	PRI
19	0	1	0	0	1	0	1	1	0.982	0.911
28	0	1	1	0	1	1	1	2	0.966	0.899
16	0	0	1	1	1	1	1	1	0.964	0.866
43	1	0	1	0	1	0	1	4	0.951	0.875
63	1	1	1	1	1	0	1	2	0.941	0.755
64	1	1	1	1	1	1	1	7	0.941	0.860
27	0	1	1	0	1	0	1	1	0.930	0.714
8	0	0	0	1	1	1	1	3	0.930	0.776
60	1	1	1	0	1	1	1	4	0.929	0.796
11	0	0	1	0	1	0	1	6	0.920	0.849

32	0	1	1	1	1	1	1	4	0.910	0.765
29	0	1	1	1	0	0	0	1	0.900	0.333
56	1	1	0	1	1	1	0	5	0.894	0.653
62	1	1	1	1	0	1	0	1	0.883	0.267
12	0	0	1	0	1	1	0	10	0.880	0.789
61	1	1	1	1	0	0	0	2	0.844	0.228
55	1	1	0	1	1	0	0	2	0.835	0.297
57	1	1	1	0	0	0	0	1	0.824	0.214
2	0	0	0	0	0	1	0	1	0.787	0.316
49	1	1	0	0	0	0	0	4	0.742	0.115
10	0	0	1	0	0	1	0	2	0.662	0.158
53	1	1	0	1	0	0	0	12	0.607	0.091
1	0	0	0	0	0	0	0	0	-	-
5	0	0	0	1	0	0	0	0	-	-
6	0	0	0	1	0	1	0	0	-	-
9	0	0	1	0	0	0	0	0	-	-
13	0	0	1	1	0	0	0	0	-	-
14	0	0	1	1	0	1	0	0	-	-
17	0	1	0	0	0	0	0	0	-	-
18	0	1	0	0	0	1	0	0	-	-
21	0	1	0	1	0	0	0	0	-	-
22	0	1	0	1	0	1	0	0	-	-
25	0	1	1	0	0	0	0	0	-	-
26	0	1	1	0	0	1	0	0	-	-
30	0	1	1	1	0	1	0	0	-	-
33	1	0	0	0	0	0	0	0	-	-
34	1	0	0	0	0	1	0	0	-	-
37	1	0	0	1	0	0	0	0	-	-
38	1	0	0	1	0	1	0	0	-	-
41	1	0	1	0	0	0	0	0	-	-
42	1	0	1	0	0	1	0	0	-	-
45	1	0	1	1	0	0	0	0	-	-
46	1	0	1	1	0	1	0	0	-	-
50	1	1	0	0	0	1	0	0	-	-
54	1	1	0	1	0	1	0	0	-	-
58	1	1	1	0	0	1	0	0	-	-

The logical minimization produces two enhanced most parsimonious solutions (aka model ambiguity). For illustration I focus on model 1. The insights and arguments on SMMR that follow remain unaffected by the presence of model ambiguity and the choice of model 1 for illustration.

```
# Logically minimize the enhanced truth table to obtain the enhanced most
parsimonious solution
sol_yp <- minimize(TT_ypesa,
                   include = "?",
                   details = TRUE, show.cases = TRUE)

sol_yp
```

M1: BARGAIN*UNI*STOCK + ~OCCUP*STOCK*~MA + (~EMP*OCCUP*STOCK) -> EXPORT
M2: BARGAIN*UNI*STOCK + ~OCCUP*STOCK*~MA + (~BARGAIN*OCCUP*STOCK) -> EXPORT

		inclS	PRI	covS	covU	(M1)	(M2)
1	BARGAIN*UNI*STOCK	0.796	0.665	0.497	0.183	0.187	0.250
2	~OCCUP*STOCK*~MA	0.890	0.788	0.374	0.149	0.149	0.155
3	~EMP*OCCUP*STOCK	0.863	0.668	0.319	0.008	0.038	
4	~BARGAIN*OCCUP*STOCK	0.944	0.808	0.202	0.000		0.031
	M1	0.798	0.696	0.708			
	M2	0.807	0.707	0.701			

cases

1 BARGAIN*UNI*STOCK Denmark_95; Ireland_95,Australia_03;
Australia_95,Australia_99,Denmark_99,Denmark_03;
Spain_99,Sweden_99,Norway_03,Sweden_03;
Finland_95,France_03;
Belgium_99,Finland_99,France_99,Netherlands_99,Belgium_03,Finland_03,Netherlands_03

2 ~OCCUP*STOCK*~MA Canada_90,USA_90,Canada_95,USA_95,Japan_03,USA_03;
Ireland_90;
Denmark_95; Japan_90,Japan_95,Japan_99,Spain_03

3 ~EMP*OCCUP*STOCK Switzerland_90,Switzerland_95,Switzerland_03;
Switzerland_99;
Australia_95,Australia_99,Denmark_99,Denmark_03

4 ~BARGAIN*OCCUP*STOCK Switzerland_90,Switzerland_95,Switzerland_03;
Switzerland_99

The empirical illustration consists of the three causal inference SMMR designs because only for them the focal conjunct principle applies. I illustrate using term 3 ($\sim OCCUP * STOCK * \sim MA$).

The best available typical case is found as follows. Note that argument `nec.cond` = specifies *STOCK* as the necessary INUS condition.

```
# Best available typical case
typ_foc <- smmr(results = sol_yp,
  outcome = "EXPORT",
  match=FALSE,
  cases=2,
  term = 3,
```

```
nec.cond = "STOCK")
typ_foc
```

Typical Cases - Focal Conjunct ~OCCUP :

```
-----
                FC Outcome CC_Min Term Rank CleanCorr FC<=Y UniqCov Best
MostTypFC
Japan_95  0.85    0.85    0.95 0.85    1      TRUE  TRUE    TRUE 0.15
TRUE
Japan_03  0.87    0.94    0.94 0.87    1      FALSE TRUE    TRUE 0.27
FALSE
Japan_99  0.84    0.96    0.92 0.84    1      FALSE TRUE    TRUE 0.40
FALSE
USA_03    0.97    0.98    0.83 0.83    2      TRUE  TRUE    TRUE 0.19
FALSE
Ireland_90 0.84    0.98    0.51 0.51    2      TRUE  TRUE    TRUE 0.77
FALSE

                MostTypTerm
Japan_95          FALSE
Japan_03          FALSE
Japan_99          FALSE
USA_03            FALSE
Ireland_90        FALSE
```

Typical Cases - Necessary Focal Conjunct STOCK :

```
-----
                FC Outcome CC_Min Term Rank CleanCorr FC>=Y UniqCov Best MostTypFC
USA_90    0.95    0.93    0.85 0.85    1      TRUE  TRUE    TRUE 0.19    TRUE
USA_03    1.00    0.98    0.83 0.83    1      TRUE  TRUE    TRUE 0.21    FALSE
Japan_99  1.00    0.96    0.84 0.84    1      TRUE  TRUE    TRUE 0.24    FALSE
Japan_03  1.00    0.94    0.87 0.87    1      FALSE TRUE    TRUE 0.25    FALSE
USA_95    1.00    0.91    0.85 0.85    1      FALSE TRUE    TRUE 0.33    FALSE

                MostTypTerm
USA_90          FALSE
USA_03          FALSE
Japan_99        FALSE
Japan_03        FALSE
USA_95          FALSE
```

Typical Cases - Focal Conjunct ~MA :

```
-----
                FC Outcome CC_Min Term Rank CleanCorr FC<=Y UniqCov Best
MostTypFC
USA_95    0.85    0.91    0.97 0.85    1      TRUE  TRUE    TRUE 0.27
FALSE
USA_90    0.85    0.93    0.95 0.85    1      TRUE  TRUE    TRUE 0.31
FALSE
USA_03    0.83    0.98    0.97 0.83    1      FALSE TRUE    TRUE 0.47
FALSE
Ireland_90 0.51    0.98    0.53 0.51    1      FALSE TRUE    TRUE 1.43
```

```

FALSE
Japan_03  0.94    0.94    0.87 0.87    2    TRUE  TRUE    TRUE 0.13
TRUE
      MostTypTerm
USA_95          FALSE
USA_90          FALSE
USA_03          FALSE
Ireland_90     FALSE
Japan_03       FALSE

```

The best available pairs - for each focal conjunct separately - of a typical and an iir case look as follows.

```
# Best available pair of typical and iir cases
```

```

typiir_foc <- smmr(results = sol_yp,
  outcome = "EXPORT",
  match=TRUE,
  cases=2,
  term = 3,
  nec.cond = "STOCK",
  max_pairs = 10)

```

```
typiir_foc
```

```
Focal Conjunct ~OCCUP :
```

```

-----
      TYP      IIR PairRank CleanCorr FC<=Y UniqCov GlobUncov Best
192 Japan_95 Italy_99      1      both both      TRUE      TRUE 1.10
122 Japan_95 Finland_95      1      both both      TRUE      FALSE 1.50
24  Japan_95 Denmark_90      1      both typ      TRUE      TRUE 1.62
195 Japan_03 Italy_99      1      iir both      TRUE      TRUE 1.12
194 Japan_99 Italy_99      1      iir both      TRUE      TRUE 1.21
125 Japan_03 Finland_95      1      iir both      TRUE      FALSE 1.52
124 Japan_99 Finland_95      1      iir both      TRUE      FALSE 1.61
27  Japan_03 Denmark_90      1      iir typ      TRUE      TRUE 1.64
26  Japan_99 Denmark_90      1      iir typ      TRUE      TRUE 1.73
196  USA_03  Italy_99      2      both both      TRUE      TRUE 0.75
      MostTypFC MostTypTerm
192      TRUE      TRUE
122      TRUE      TRUE
24      TRUE      TRUE
195     FALSE     FALSE
194     FALSE     FALSE
125     FALSE     FALSE
124     FALSE     FALSE
27     FALSE     FALSE
26     FALSE     FALSE
196     FALSE     FALSE

```

```
Necessary Focal Conjunct STOCK :
```

```
-----
```

	TYP	IIR	PairRank	CleanCorr	FC>=Y	UniqCov	GlobUncov	Best
210	USA_03	Norway_99	1	both	both	TRUE	TRUE	1.77
208	Japan_99	Norway_99	1	both	both	TRUE	TRUE	1.84
205	USA_90	Norway_99	1	iir	both	TRUE	TRUE	1.89
209	Japan_03	Norway_99	1	iir	both	TRUE	TRUE	1.93
207	USA_95	Norway_99	1	iir	both	TRUE	TRUE	2.00
206	Japan_95	Norway_99	1	iir	both	TRUE	TRUE	2.18
204	Ireland_90	Norway_99	2	iir	iir	TRUE	TRUE	2.78
21	USA_03	Belgium_90	3	both	both	TRUE	TRUE	0.78
19	Japan_99	Belgium_90	3	both	both	TRUE	TRUE	0.85
203	USA_03	New Zealand_99	3	both	both	TRUE	TRUE	1.06
	MostTypFC	MostTypTerm						
210	FALSE	FALSE						
208	FALSE	FALSE						
205	TRUE	FALSE						
209	FALSE	FALSE						
207	FALSE	FALSE						
206	FALSE	TRUE						
204	FALSE	FALSE						
21	FALSE	FALSE						
19	FALSE	FALSE						
203	FALSE	FALSE						

Focal Conjunct ~MA :

	TYP	IIR	PairRank	CleanCorr	FC<=Y	UniqCov	GlobUncov	Best
184	USA_90	Canada_99	1	both	both	TRUE	TRUE	1.24
186	USA_95	Canada_99	1	both	both	TRUE	TRUE	1.24
212	USA_90	Spain_99	1	both	both	TRUE	FALSE	1.05
214	USA_95	Spain_99	1	both	both	TRUE	FALSE	1.05
247	USA_90	Norway_03	1	both	both	TRUE	FALSE	1.38
249	USA_95	Norway_03	1	both	both	TRUE	FALSE	1.38
219	USA_90	Australia_03	1	both	both	TRUE	FALSE	1.51
221	USA_95	Australia_03	1	both	both	TRUE	FALSE	1.51
142	USA_90	New Zealand_95	1	both	typ	TRUE	TRUE	0.93
144	USA_95	New Zealand_95	1	both	typ	TRUE	TRUE	0.93
	MostTypFC	MostTypTerm						
184	FALSE	FALSE						
186	FALSE	FALSE						
212	FALSE	FALSE						
214	FALSE	FALSE						
247	FALSE	FALSE						
249	FALSE	FALSE						
219	FALSE	FALSE						
221	FALSE	FALSE						
142	FALSE	FALSE						
144	FALSE	FALSE						

And the best pair of two typical cases is listed below.

```
# Best available pair of two typical cases
```

```
typtyp_foc <- smmr(results = sol_yp,  
  outcome = "EXPORT",  
  match=TRUE,  
  cases=1,  
  term = 3,  
  nec.cond = "STOCK")
```

```
typtyp_foc
```

```
Focal Conjunct ~OCCUP :
```

```
-----  
      TYP1      TYP2 PairRank CleanCorr FC<=Y UniqCov Best MostTypFC  
38 Japan_95 Japan_03      1      typ1  both  both  1.26      typ1  
31 Japan_95 Japan_99      1      typ1  both  both  1.37      typ1  
34 Japan_03 Japan_99      1      none  both  both  1.39      none  
45 Japan_95 USA_03      2      both  both  both  1.39      typ1  
3  Japan_95 Ireland_90    2      both  both  both  1.84      typ1  
MostTypTerm  
38      typ1  
31      typ1  
34      none  
45      typ1  
3      typ1
```

```
Necessary Focal Conjunct STOCK :
```

```
-----  
      TYP1      TYP2 PairRank CleanCorr FC>=Y UniqCov Best MostTypFC  
47 Japan_99 USA_03      1      both  both  both  1.15      none  
44 USA_90 USA_03      1      typ2  both  both  1.20      typ1  
30 USA_90 Japan_99      1      typ2  both  both  1.21      typ1  
48 Japan_03 USA_03      1      typ2  both  both  1.24      none  
34 Japan_03 Japan_99      1      typ2  both  both  1.25      none  
MostTypTerm  
47      none  
44      none  
30      none  
48      none  
34      none
```

```
Focal Conjunct ~MA :
```

```
-----  
      TYP1      TYP2 PairRank CleanCorr FC<=Y UniqCov Best MostTypFC  
11 USA_95 USA_90      1      both  both  both  1.32      none  
46 USA_95 USA_03      1      typ1  both  both  1.47      none  
44 USA_90 USA_03      1      typ1  both  both  1.51      none  
2  USA_90 Ireland_90    1      typ1  both  both  2.23      none  
4  USA_95 Ireland_90    1      typ1  both  both  2.23      none  
MostTypTerm  
11      none  
46      none
```

44	none
2	none
4	none

5 Chapter 5: C. Q. Schneider and Makszin (2014)

In chapter 5, the example of C. Q. Schneider and Makszin (2014) is used for empirically illustrating different scenarios on the location of a case's membership in the within-case mechanism vis-a-vis its membership in the cross-case conditions and the outcome in a setting of full causal complexity (that is, a QCA solution that consists of a disjunction of conjunctions).

I start with model-refining, descriptive inference SMMR and then turn to causal inference SMMR.

```
MACRO.d <- read.csv('SchneiderMakszin2014.csv', row.names = 1)
```

```
# conditions
```

```
conds <- c("WC", "UN", "EP", "LM")
```

```
# truth table
```

```
tt_y <- truthTable(data = MACRO.d,  
  outcome = 'LPI',  
  conditions = conds,  
  incl.cut = 0.8,  
  sort.by = c('OUT', 'incl'),  
  complete = TRUE,  
  show.cases = TRUE)
```

```
tt_y
```

OUT: output value

n: number of cases in configuration

incl: sufficiency inclusion score

PRI: proportional reduction in inconsistency

	WC	UN	EP	LM	OUT	n	incl	PRI
4	0	0	1	1	1	4	0.911	0.871
8	0	1	1	1	1	5	0.900	0.833
12	1	0	1	1	1	7	0.873	0.839
3	0	0	1	0	1	9	0.825	0.744
14	1	1	0	1	1	2	0.825	0.698
11	1	0	1	0	1	2	0.818	0.730
16	1	1	1	1	1	6	0.800	0.663
15	1	1	1	0	0	5	0.781	0.683
13	1	1	0	0	0	4	0.769	0.666
6	0	1	0	1	0	5	0.759	0.618
7	0	1	1	0	0	5	0.754	0.576
5	0	1	0	0	0	6	0.726	0.578
2	0	0	0	1	0	1	0.686	0.476
9	1	0	0	0	0	3	0.642	0.486
1	0	0	0	0	0	12	0.537	0.399
10	1	0	0	1	?	0	-	-

```

cases
4  FR00,FR05,ES95,ES00
8  DK95,FI95,SI95,SE00,SE05
12 AT05,DE00,DE05,NL95,NL00,NL05,ES05
3  EE05,KR05,LT05,MX95,MX00,MX05,PT95,PT00,PT05
14 DK00,IE00
11 KR95,KR00
16 AT00,FI00,FI05,DE95,N095,SE95
15 IT00,N000,N005,SI00,SI05
13 CZ95,IS05,IT05,SK00
6  CA95,DK05,HU95,NZ95,PL95
7  BG95,BG00,LU00,R095,R000
5  CA00,CZ00,HU00,IL05,UK95,UK00
2  NZ00
9  JP95,JP00,CH95
1  CZ05,HU05,JP05,NZ05,PL00,PL05,SK05,CH00,CH05,UK05,US95,US00
10

# most parsimonious solution
sol_yp <- minimize(input = tt_y,
                  include = '?',
                  details = TRUE)

sol_yp

M1: WC*LM + ~UN*EP + EP*LM -> LPI

-----
            inclS  PRI  covS  covU
-----
1  WC*LM  0.813  0.760  0.257  0.044
2  ~UN*EP  0.859  0.828  0.414  0.208
3  EP*LM  0.868  0.835  0.346  0.056
-----
M1  0.839  0.804  0.598

cases
-----
1  WC*LM  AT05,DE00,DE05,NL95,NL00,NL05,ES05; DK00,IE00;
AT00,FI00,FI05,DE95,N095,SE95
2  ~UN*EP  EE05,KR05,LT05,MX95,MX00,MX05,PT95,PT00,PT05; FR00,FR05,ES95,ES00;
KR95,KR00;
AT05,DE00,DE05,NL95,NL00,NL05,ES05
3  EP*LM  FR00,FR05,ES95,ES00; DK95,FI95,SI95,SE00,SE05;
AT05,DE00,DE05,NL95,NL00,NL05,ES05;
AT00,FI00,FI05,DE95,N095,SE95
-----

# missing disjuncts
dcov <- smmr(results = sol_yp,
             outcome = 'LPI',

```

```
match = FALSE,
cases = 4)
```

dcov

Deviant Coverage Cases :

```
-----
```

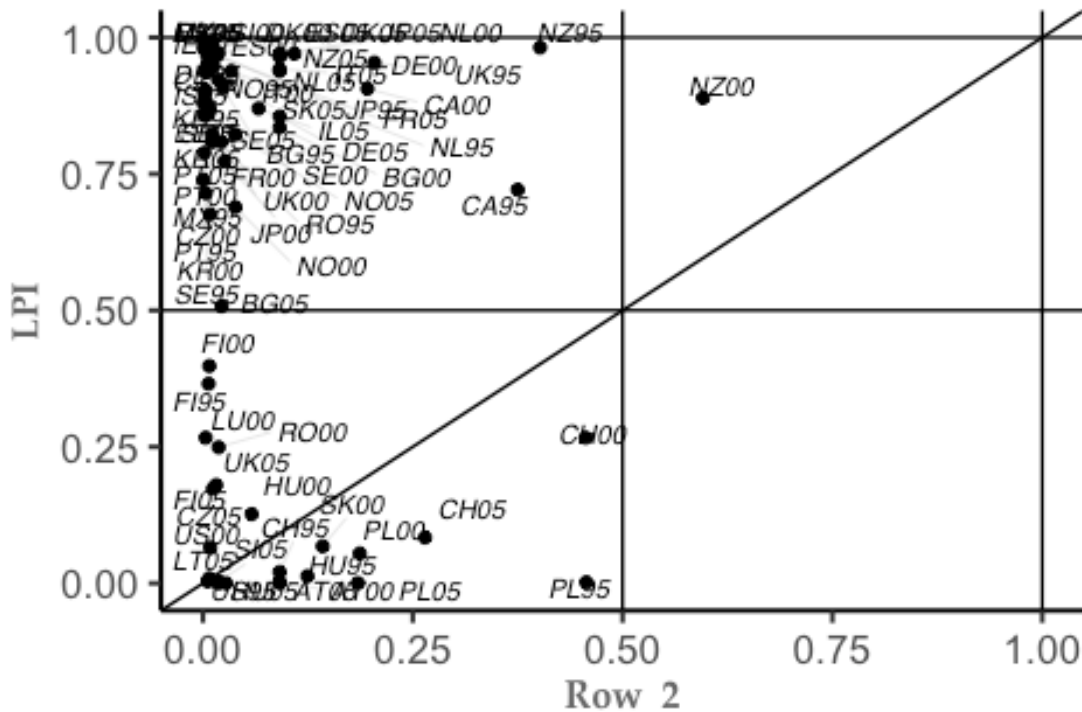
	Case	Sol	TT_WC	TT_UN	TT_EP	TT_LM	TT_row	Outcome	TT<=Y	Best	MostDCOV
18	NZ05	0.081	0	0	0	0	0.876	0.970	TRUE	0.124	TRUE
13	JP05	0.068	0	0	0	0	0.822	0.971	TRUE	0.178	FALSE
22	SK05	0.099	0	0	0	0	0.710	0.921	TRUE	0.290	FALSE
17	NZ00	0.009	0	0	0	1	0.596	0.889	TRUE	0.404	TRUE
24	UK95	0.002	0	1	0	0	0.658	0.954	TRUE	0.342	TRUE
8	IL05	0.052	0	1	0	0	0.625	0.870	TRUE	0.375	FALSE
5	CZ00	0.387	0	1	0	0	0.578	0.859	TRUE	0.422	FALSE
3	CA00	0.003	0	1	0	0	0.558	0.906	TRUE	0.442	FALSE
23	UK00	0.002	0	1	0	0	0.526	0.808	TRUE	0.474	FALSE
7	DK05	0.285	0	1	0	1	0.715	0.981	TRUE	0.285	TRUE
4	CA95	0.003	0	1	0	1	0.625	0.721	TRUE	0.375	FALSE
19	NZ95	0.005	0	1	0	1	0.598	0.982	TRUE	0.402	FALSE
1	BG00	0.394	0	1	1	0	0.606	0.835	TRUE	0.394	FALSE
2	BG95	0.472	0	1	1	0	0.528	0.909	TRUE	0.472	FALSE
20	RO95	0.071	0	1	1	0	0.929	0.822	FALSE	0.071	TRUE
14	JP95	0.324	1	0	0	0	0.676	0.967	TRUE	0.324	TRUE
12	JP00	0.108	1	0	0	0	0.613	0.773	TRUE	0.387	FALSE
9	IS05	0.005	1	1	0	0	0.909	0.937	TRUE	0.091	TRUE
6	CZ95	0.086	1	1	0	0	0.613	0.948	TRUE	0.387	FALSE
11	IT05	0.387	1	1	0	0	0.598	0.942	TRUE	0.402	FALSE
21	SI00	0.208	1	1	1	0	0.792	0.994	TRUE	0.208	FALSE
10	IT00	0.354	1	1	1	0	0.646	0.947	TRUE	0.354	FALSE
16	NO05	0.160	1	1	1	0	0.840	0.822	FALSE	0.160	TRUE
15	NO00	0.203	1	1	1	0	0.797	0.689	FALSE	0.203	FALSE

Eight truth table rows populated by deviant coverage cases. This signals high heterogeneity in data - something also illustrated by fact that there is just one remainder row (see truth table in chapter 1 ???). Another interesting observation: truth table row 2 (0001) has only deviant coverage case (NZ00) but no iir case. Why is the row not consistent enough to be included in the logical minimization? Let's plot it.

```
pimplot(data = MACRO.d,
outcome = 'LPI',
tthrows = c(2),
results = sol_yp,
all_labels = TRUE,
jitter = TRUE,
consH = TRUE)
```

Sufficiency Plot

Cons.Suf: 0.686; Cov.Suf: 0.071; PRI: 0.476; Cons.Suf(H): 0.658



The low consistency (.686) seems to be driven down by iir cases AND by skewed membership: with most cases being ttrow2 = 0, the few cases that are >0 have relatively more weight in the consistency formula.

Pairs of deviant coverage and iir cases:

```
dcov_iir <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = TRUE,
  cases = 4)
```

dcov_iir

Matching Deviant Coverage-IIR Cases :

```
-----
```

	DCOV	IIR	TT_WC	TT_UN	TT_EP	TT_LM	TT_DCV<=Y	Best
1	NZ05	US95	0	0	0	0	TRUE	0.278
2	NZ05	HU05	0	0	0	0	TRUE	0.278
3	NZ05	US00	0	0	0	0	TRUE	0.287
4	JP05	US95	0	0	0	0	TRUE	0.384
5	JP05	HU05	0	0	0	0	TRUE	0.384
6	UK95	HU00	0	1	0	0	TRUE	1.157
7	CA00	HU00	0	1	0	0	TRUE	1.205
8	IL05	HU00	0	1	0	0	TRUE	1.242

9	CZ00	HU00	0	1	0	0	TRUE	1.252
10	UK00	HU00	0	1	0	0	TRUE	1.303
11	DK05	HU95	0	1	0	1	TRUE	0.652
12	NZ95	HU95	0	1	0	1	TRUE	0.835
13	NZ95	PL95	0	1	0	1	TRUE	0.934
14	DK05	PL95	0	1	0	1	TRUE	0.935
15	CA95	HU95	0	1	0	1	TRUE	1.042
16	BG00	R000	0	1	1	0	TRUE	1.203
17	BG00	LU00	0	1	1	0	TRUE	1.220
18	BG95	R000	0	1	1	0	TRUE	1.285
19	BG95	LU00	0	1	1	0	TRUE	1.303
20	R095	R000	0	1	1	0	FALSE	0.779
21	JP95	CH95	1	0	0	0	TRUE	0.702
22	JP00	CH95	1	0	0	0	TRUE	1.022
23	CZ95	SK00	1	1	0	0	TRUE	0.908
24	IS05	SK00	1	1	0	0	TRUE	0.920
25	IT05	SK00	1	1	0	0	TRUE	0.929
26	SI00	SI05	1	1	1	0	TRUE	0.526
27	IT00	SI05	1	1	1	0	TRUE	0.764
28	N005	SI05	1	1	1	0	FALSE	0.698
29	N000	SI05	1	1	1	0	FALSE	0.831

There are pairs of deviant coverage and iir cases in seven truth table rows (all but 0001 with NZ00).

5.1 Descriptive inference SMMR

For identifying missing conjuncts, we need to select among deviant consistency cases, either alone or in comparison with a typical case.

```
dcons <- smmr(results = sol_yp,
              outcome = 'LPI',
              match = FALSE,
              cases = 3)
```

dcons

Deviant Consistency Cases :

```
-----
```

	Cases	Term	TermMemb	Outcome	Best	Most	DCONS
21	LT05	~UN*EP	0.939	0.003	0.125		TRUE
11	AT05	~UN*EP	0.546	0.000	0.908		FALSE
12	AT00	EP*LM	0.550	0.003	0.903		TRUE
22	AT05	EP*LM	0.546	0.000	0.908		FALSE
31	FI95	EP*LM	0.676	0.366	1.014		FALSE
5	FI05	EP*LM	0.523	0.173	1.127		FALSE
41	FI00	EP*LM	0.602	0.398	1.194		FALSE
4	FI05	WC*LM	0.909	0.173	0.356		TRUE
3	FI00	WC*LM	0.799	0.398	0.801		FALSE
2	AT05	WC*LM	0.595	0.000	0.810		FALSE
1	AT00	WC*LM	0.550	0.003	0.903		FALSE

Case AT05 deviates in all 3 sufficient terms (and AT00 in 2 of them). This might indicate an idiosyncratic reason? For instance, membership in the outcome of AT00 and AT05 could be assigned erroneously (e.g. typo in the data).

Comparing deviant consistency and typical cases, we obtain the following list of best-available pairs:

```
typdcons <- smmr(results = sol_yp,
                 outcome = 'LPI',
                 match = TRUE,
                 cases = 3)
```

typdcons

Term WC*LM :

```
-----
```

	TYP	DCONS	Best	MostTypTerm	MostDCONS
1	NL00	FI05	0.385	FALSE	TRUE
2	DE95	FI05	0.390	FALSE	TRUE
3	DE00	FI05	0.391	FALSE	TRUE
4	NL95	FI05	0.417	TRUE	TRUE
5	NL05	FI05	0.417	TRUE	TRUE

Term ~UN*EP :

```
-----
```

	TYP	DCONS	Best	MostTypTerm	MostDCONS
1	ES95	LT05	0.130	FALSE	TRUE
2	MX05	LT05	0.136	FALSE	TRUE
3	ES05	LT05	0.139	FALSE	TRUE
4	MX00	LT05	0.142	FALSE	TRUE
5	ES00	LT05	0.154	TRUE	TRUE

Term EP*LM :

```
-----
```

	TYP	DCONS	Best	MostTypTerm	MostDCONS
1	ES95	AT00	0.907	TRUE	TRUE
2	ES95	AT05	0.913	TRUE	FALSE
3	DK95	AT00	0.914	FALSE	TRUE
4	ES05	AT00	0.917	FALSE	TRUE
5	DK95	AT05	0.920	FALSE	FALSE

Note that only for one out of three terms do the most typical and most deviant pair also form the best available pair (ES95-AT00 for term $EP * LM$).

5.2 Causal inference SMMR

5.2.1 Single-case designs

All causal inference SMMR designs involve at least one typical case. Let's start with the single typical case SMMR design. Two options exist: either we focus on the entire term or on each conjunct in a term.

```
typ_term <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = FALSE,
  cases = 1)
```

```
typ_term
```

```
Typical Cases :
```

```
-----
```

	Case	Term	TermMemb	Outcome	UniqCov	Best	MostTyp
51	MX00	~UN*EP	0.9569631	0.9837771	TRUE	0.09666497	FALSE
61	MX05	~UN*EP	0.9403115	0.9896921	TRUE	0.15844974	FALSE
110	EE05	~UN*EP	0.8732439	0.9034615	TRUE	0.18719124	FALSE
11	PT00	~UN*EP	0.8131240	0.8798720	TRUE	0.32037199	FALSE
10	PT95	~UN*EP	0.7005875	0.7391510	TRUE	0.37653941	FALSE
41	KR05	~UN*EP	0.5344089	0.9452656	TRUE	1.28730450	FALSE
13	ES00	~UN*EP	0.9597141	0.9713331	FALSE	0.06352398	TRUE
14	ES05	~UN*EP	0.9639284	0.9860489	FALSE	0.08031256	FALSE
12	ES95	~UN*EP	0.9560068	0.9954660	FALSE	0.12291156	FALSE
81	NL00	~UN*EP	0.7835768	0.9704676	FALSE	0.59020474	FALSE
71	NL95	~UN*EP	0.7550638	0.9385688	FALSE	0.61194620	FALSE
31	DE05	~UN*EP	0.6658041	0.8552988	FALSE	0.71318534	FALSE
21	DE00	~UN*EP	0.7101368	0.9647188	FALSE	0.79902730	FALSE
91	NL05	~UN*EP	0.6344637	0.9385688	FALSE	0.97374651	FALSE
22	FR05	EP*LM	0.8612599	0.9721739	TRUE	0.36056792	FALSE
121	SE00	EP*LM	0.7912679	0.8798720	TRUE	0.38594041	FALSE
131	SE05	EP*LM	0.7507898	0.8698141	TRUE	0.48725896	FALSE
82	SI95	EP*LM	0.6935801	0.9007564	TRUE	0.72077262	FALSE
111	DK95	EP*LM	0.7332014	0.9887111	TRUE	0.77781802	FALSE
92	ES95	EP*LM	0.9762687	0.9954660	FALSE	0.06212602	TRUE
32	DE00	EP*LM	0.9047892	0.9647188	FALSE	0.21506996	FALSE
52	NL00	EP*LM	0.9047892	0.9704676	FALSE	0.22656763	FALSE
72	N095	EP*LM	0.7917734	0.9367786	FALSE	0.49823702	FALSE
101	ES00	EP*LM	0.7469490	0.9713331	FALSE	0.70181906	FALSE
42	DE05	EP*LM	0.6658041	0.8552988	FALSE	0.71318534	FALSE
112	ES05	EP*LM	0.7131751	0.9860489	FALSE	0.83257252	FALSE
62	NL05	EP*LM	0.6344637	0.9385688	FALSE	0.97374651	FALSE
2	DE95	WC*LM	0.9086748	0.9657468	TRUE	0.20546926	FALSE
4	IE00	WC*LM	0.8438186	0.9793647	TRUE	0.42727353	FALSE
1	DK00	WC*LM	0.6128984	0.9860489	TRUE	1.13340252	FALSE
5	NL95	WC*LM	0.9086748	0.9385688	FALSE	0.15111329	TRUE
7	NL05	WC*LM	0.9086748	0.9385688	FALSE	0.15111329	TRUE
3	DE00	WC*LM	0.9086748	0.9647188	FALSE	0.20341334	FALSE
6	NL00	WC*LM	0.9086748	0.9704676	FALSE	0.21491101	FALSE
8	N095	WC*LM	0.7917734	0.9367786	FALSE	0.49823702	FALSE
9	ES05	WC*LM	0.7131751	0.9860489	FALSE	0.83257252	FALSE

Focusing on the entire term is recommended only if there are theoretical and conceptual reasons to treat the term as one set. Short of this, each conjunct needs to be focussed on separately for causal inference.

```
typ_foc1 <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = FALSE,
  cases = 2,
  term = 1)
```

typ_foc1

Typical Cases - Focal Conjunct WC :

```
-----
      FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best MostTypFC
DK00 0.613   0.986  0.998 0.613   1      TRUE  TRUE    TRUE  1.133  FALSE
NL95 0.909   0.939  0.991 0.909   1      TRUE  TRUE    FALSE 0.151   TRUE
NL05 0.909   0.939  0.962 0.909   1      TRUE  TRUE    FALSE 0.151   TRUE
DE00 0.909   0.965  0.972 0.909   1      TRUE  TRUE    FALSE 0.203   FALSE
DE95 0.909   0.966  0.971 0.909   1      TRUE  TRUE    FALSE 0.205   FALSE
      MostTypTerm
DK00      FALSE
NL95      FALSE
NL05      FALSE
DE00      FALSE
DE95      FALSE
```

Typical Cases - Focal Conjunct LM :

```
-----
      FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best MostTypFC
IE00 0.844   0.979  0.999 0.844   1      TRUE  TRUE    TRUE  0.427  FALSE
N095 0.792   0.937  0.994 0.792   1      TRUE  TRUE    FALSE 0.498  FALSE
ES05 0.713   0.986  0.799 0.713   1      FALSE TRUE    FALSE 0.833  FALSE
DK00 0.998   0.986  0.613 0.613   2      TRUE FALSE    TRUE  0.411  FALSE
DE95 0.971   0.966  0.909 0.909   2      TRUE FALSE    FALSE 0.101   TRUE
      MostTypTerm
IE00      FALSE
N095      FALSE
ES05      FALSE
DK00      FALSE
DE95      FALSE
```

```
typ_foc2 <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = FALSE,
  cases = 2,
  term = 2)
```

typ_foc2

Typical Cases - Focal Conjunct ~UN :

```
-----
      FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best MostTypFC
MX00 0.957   0.984  0.994 0.957   1      TRUE  TRUE    TRUE  0.097  FALSE
MX05 0.940   0.990  0.994 0.940   1      TRUE  TRUE    TRUE  0.158  FALSE
PT00 0.813   0.880  1.000 0.813   1      TRUE  TRUE    TRUE  0.320  FALSE
```

```

PT95 0.701 0.739 1.000 0.701 1 TRUE TRUE TRUE 0.377 FALSE
ES00 0.960 0.971 0.987 0.960 1 TRUE TRUE FALSE 0.064 TRUE
  MostTypTerm
MX00 FALSE
MX05 FALSE
PT00 FALSE
PT95 FALSE
ES00 FALSE

```

Typical Cases - Focal Conjunct EP :

```

-----
      FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best MostTypFC
EE05 0.873 0.903 0.988 0.873 1 TRUE TRUE TRUE 0.187 FALSE
KR05 0.534 0.945 0.988 0.534 1 TRUE TRUE TRUE 1.287 FALSE
DE05 0.666 0.855 0.839 0.666 1 FALSE TRUE FALSE 0.713 FALSE
NL05 0.634 0.939 0.876 0.634 1 FALSE TRUE FALSE 0.974 FALSE
NL00 0.905 0.970 0.784 0.784 2 TRUE TRUE FALSE 0.348 FALSE
  MostTypTerm
EE05 FALSE
KR05 FALSE
DE05 FALSE
NL05 FALSE
NL00 FALSE

```

```

typ_foc3 <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = FALSE,
  cases = 2,
  term = 3)

```

typ_foc3

Typical Cases - Focal Conjunct EP :

```

-----
      FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best MostTypFC
SE00 0.791 0.880 0.988 0.791 1 TRUE TRUE TRUE 0.386 FALSE
DK95 0.733 0.989 1.000 0.733 1 TRUE TRUE TRUE 0.778 FALSE
DE00 0.905 0.965 0.972 0.905 1 TRUE TRUE FALSE 0.215 FALSE
NL00 0.905 0.970 0.988 0.905 1 TRUE TRUE FALSE 0.227 FALSE
DE05 0.666 0.855 0.959 0.666 1 TRUE TRUE FALSE 0.713 FALSE
  MostTypTerm
SE00 FALSE
DK95 FALSE
DE00 FALSE
NL00 FALSE
DE05 FALSE

```

Typical Cases - Focal Conjunct LM :

```

-----
      FC Outcome CC_Min  Term Rank CleanCorr FC<=Y UniqCov  Best MostTypFC
SI95 0.694 0.901 0.997 0.694 1 TRUE TRUE TRUE 0.721 FALSE

```

ES95	0.976	0.995	0.999	0.976	1	TRUE	TRUE	FALSE	0.062	TRUE
FR05	0.861	0.972	0.992	0.861	1	TRUE	TRUE	FALSE	0.361	FALSE
N095	0.792	0.937	0.981	0.792	1	TRUE	TRUE	FALSE	0.498	FALSE
ES00	0.747	0.971	0.987	0.747	1	TRUE	TRUE	FALSE	0.702	FALSE
MostTypTerm										
SI95	FALSE									
ES95	FALSE									
FR05	FALSE									
N095	FALSE									
ES00	FALSE									

For all three terms and all conjuncts, close to ideal cases can be selected: uniquely covered, rank 1, consistent FC. Note that rarely are they the most typical for the term or FC, though, which is not a problem as such.

5.2.2 Comparative-case designs

To obtain the best available pairs of typical and iir cases when treating a conjunction as one set, the following command needs to be run.

```
typ_iir_term <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = TRUE,
  cases = 6,
  max_pairs = 50)
```

```
typ_iir_term
```

```
Term WC*LM :
```

```
-----
```

	TYP	IIR	UniqCov	ConsiIIR	GlobUncov	Best	MostTyp
20	DE95	PL95	TRUE	TRUE	TRUE	0.245	FALSE
25	DE95	LT05	TRUE	TRUE	TRUE	0.250	FALSE
33	DE95	HU95	TRUE	TRUE	TRUE	0.269	FALSE
46	DE95	PL00	TRUE	TRUE	TRUE	0.403	FALSE
53	IE00	PL95	TRUE	TRUE	TRUE	0.453	FALSE
54	IE00	LT05	TRUE	TRUE	TRUE	0.458	FALSE
56	IE00	HU95	TRUE	TRUE	TRUE	0.477	FALSE
74	DE95	HU00	TRUE	TRUE	TRUE	0.610	FALSE
75	IE00	PL00	TRUE	TRUE	TRUE	0.612	FALSE
92	IE00	HU00	TRUE	TRUE	TRUE	0.818	FALSE
125	DE95	LU00	TRUE	TRUE	TRUE	1.030	FALSE
138	DK00	PL95	TRUE	TRUE	TRUE	1.152	FALSE
139	DK00	LT05	TRUE	TRUE	TRUE	1.157	FALSE
141	DK00	HU95	TRUE	TRUE	TRUE	1.177	FALSE
149	IE00	LU00	TRUE	TRUE	TRUE	1.238	FALSE
152	DK00	PL00	TRUE	TRUE	TRUE	1.311	FALSE
161	DK00	HU00	TRUE	TRUE	TRUE	1.518	FALSE
170	DK00	LU00	TRUE	TRUE	TRUE	1.938	FALSE
28	DE95	US00	TRUE	TRUE	FALSE	0.267	FALSE
49	DE95	CZ05	TRUE	TRUE	FALSE	0.426	FALSE

55	IE00	US00	TRUE	TRUE	FALSE	0.475	FALSE
78	IE00	CZ05	TRUE	TRUE	FALSE	0.634	FALSE
89	DE95	UK05	TRUE	TRUE	FALSE	0.779	FALSE
100	DE95	CH00	TRUE	TRUE	FALSE	0.862	FALSE
117	DE95	R000	TRUE	TRUE	FALSE	0.977	FALSE
119	IE00	UK05	TRUE	TRUE	FALSE	0.987	FALSE
128	IE00	CH00	TRUE	TRUE	FALSE	1.071	FALSE
140	DK00	US00	TRUE	TRUE	FALSE	1.174	FALSE
144	IE00	R000	TRUE	TRUE	FALSE	1.186	FALSE
153	DK00	CZ05	TRUE	TRUE	FALSE	1.334	FALSE
165	DK00	UK05	TRUE	TRUE	FALSE	1.687	FALSE
167	DK00	CH00	TRUE	TRUE	FALSE	1.770	FALSE
169	DK00	R000	TRUE	TRUE	FALSE	1.885	FALSE
13	DE95	PL05	TRUE	FALSE	TRUE	0.241	FALSE
39	DE95	SI05	TRUE	FALSE	TRUE	0.295	FALSE
51	IE00	PL05	TRUE	FALSE	TRUE	0.449	FALSE
58	IE00	SI05	TRUE	FALSE	TRUE	0.503	FALSE
135	DK00	PL05	TRUE	FALSE	TRUE	1.148	FALSE
145	DK00	SI05	TRUE	FALSE	TRUE	1.202	FALSE
14	DE95	US95	TRUE	FALSE	FALSE	0.241	FALSE
34	DE95	HU05	TRUE	FALSE	FALSE	0.270	FALSE
52	IE00	US95	TRUE	FALSE	FALSE	0.449	FALSE
57	IE00	HU05	TRUE	FALSE	FALSE	0.478	FALSE
71	DE95	SK00	TRUE	FALSE	FALSE	0.600	FALSE
82	DE95	CH05	TRUE	FALSE	FALSE	0.689	FALSE
91	IE00	SK00	TRUE	FALSE	FALSE	0.808	FALSE
108	DE95	CH95	TRUE	FALSE	FALSE	0.891	FALSE
110	IE00	CH05	TRUE	FALSE	FALSE	0.897	FALSE
129	IE00	CH95	TRUE	FALSE	FALSE	1.099	FALSE
134	DE95	FI95	TRUE	FALSE	FALSE	1.146	FALSE

Term ~UN*EP :

	TYP	IIR	UniqCov	ConsIIR	GlobUncov	Best	MostTyp
49	MX00	HU00	TRUE	TRUE	TRUE	0.459	FALSE
57	MX05	HU00	TRUE	TRUE	TRUE	0.515	FALSE
70	EE05	HU00	TRUE	TRUE	TRUE	0.630	FALSE
87	MX00	R000	TRUE	TRUE	TRUE	0.684	FALSE
92	MX00	LU00	TRUE	TRUE	TRUE	0.704	FALSE
98	MX05	R000	TRUE	TRUE	TRUE	0.740	FALSE
100	MX05	LU00	TRUE	TRUE	TRUE	0.760	FALSE
103	PT00	HU00	TRUE	TRUE	TRUE	0.787	FALSE
115	EE05	R000	TRUE	TRUE	TRUE	0.855	FALSE
123	EE05	LU00	TRUE	TRUE	TRUE	0.875	FALSE
147	PT95	HU00	TRUE	TRUE	TRUE	0.984	FALSE
152	PT00	R000	TRUE	TRUE	TRUE	1.012	FALSE
157	PT00	LU00	TRUE	TRUE	TRUE	1.031	FALSE
183	MX00	FI95	TRUE	TRUE	TRUE	1.203	FALSE
185	PT95	R000	TRUE	TRUE	TRUE	1.209	FALSE
193	PT95	LU00	TRUE	TRUE	TRUE	1.228	FALSE

197	MX05	FI95	TRUE	TRUE	TRUE	1.259	FALSE
203	MX00	FI00	TRUE	TRUE	TRUE	1.300	FALSE
211	MX05	FI00	TRUE	TRUE	TRUE	1.355	FALSE
216	EE05	FI95	TRUE	TRUE	TRUE	1.374	FALSE
237	EE05	FI00	TRUE	TRUE	TRUE	1.470	FALSE
241	PT00	FI95	TRUE	TRUE	TRUE	1.530	FALSE
253	PT00	FI00	TRUE	TRUE	TRUE	1.627	FALSE
258	KR05	HU00	TRUE	TRUE	TRUE	1.689	FALSE
260	PT95	FI95	TRUE	TRUE	TRUE	1.727	FALSE
269	PT95	FI00	TRUE	TRUE	TRUE	1.824	FALSE
276	KR05	R000	TRUE	TRUE	TRUE	1.913	FALSE
279	KR05	LU00	TRUE	TRUE	TRUE	1.933	FALSE
292	KR05	FI95	TRUE	TRUE	TRUE	2.432	FALSE
293	KR05	FI00	TRUE	TRUE	TRUE	2.529	FALSE
9	MX00	US00	TRUE	TRUE	FALSE	0.140	FALSE
11	MX00	CH95	TRUE	TRUE	FALSE	0.156	FALSE
16	MX05	US00	TRUE	TRUE	FALSE	0.196	FALSE
18	MX05	CH95	TRUE	TRUE	FALSE	0.212	FALSE
34	EE05	US00	TRUE	TRUE	FALSE	0.311	FALSE
37	EE05	CH95	TRUE	TRUE	FALSE	0.327	FALSE
39	MX00	CH05	TRUE	TRUE	FALSE	0.346	FALSE
44	MX05	CH05	TRUE	TRUE	FALSE	0.402	FALSE
51	PT00	US00	TRUE	TRUE	FALSE	0.468	FALSE
54	PT00	CH95	TRUE	TRUE	FALSE	0.484	FALSE
58	EE05	CH05	TRUE	TRUE	FALSE	0.517	FALSE
68	MX00	FI05	TRUE	TRUE	FALSE	0.621	FALSE
76	MX00	UK05	TRUE	TRUE	FALSE	0.650	FALSE
80	PT95	US00	TRUE	TRUE	FALSE	0.665	FALSE
82	PT00	CH05	TRUE	TRUE	FALSE	0.674	FALSE
84	MX05	FI05	TRUE	TRUE	FALSE	0.677	FALSE
85	PT95	CH95	TRUE	TRUE	FALSE	0.680	FALSE
93	MX05	UK05	TRUE	TRUE	FALSE	0.706	FALSE
104	EE05	FI05	TRUE	TRUE	FALSE	0.792	FALSE
109	EE05	UK05	TRUE	TRUE	FALSE	0.821	FALSE

Term EP*LM :

	TYP	IIR	UniqCov	ConsIIR	GlobUncov	Best	MostTyp
34	FR05	CH95	TRUE	TRUE	TRUE	0.431	FALSE
48	SE00	CH95	TRUE	TRUE	TRUE	0.549	FALSE
71	SE05	CH95	TRUE	TRUE	TRUE	0.660	FALSE
81	FR05	HU00	TRUE	TRUE	TRUE	0.735	FALSE
105	DK95	CH95	TRUE	TRUE	TRUE	0.832	FALSE
112	SE00	HU00	TRUE	TRUE	TRUE	0.853	FALSE
116	SI95	CH95	TRUE	TRUE	TRUE	0.863	FALSE
143	SE05	HU00	TRUE	TRUE	TRUE	0.964	FALSE
176	FR05	R000	TRUE	TRUE	TRUE	1.117	FALSE
179	DK95	HU00	TRUE	TRUE	TRUE	1.136	FALSE
181	FR05	LU00	TRUE	TRUE	TRUE	1.148	FALSE
185	SI95	HU00	TRUE	TRUE	TRUE	1.167	FALSE

196	SE00	R000	TRUE	TRUE	TRUE	1.235	FALSE
198	SE00	LU00	TRUE	TRUE	TRUE	1.266	FALSE
207	SE05	R000	TRUE	TRUE	TRUE	1.346	FALSE
209	SE05	LU00	TRUE	TRUE	TRUE	1.377	FALSE
219	DK95	R000	TRUE	TRUE	TRUE	1.518	FALSE
220	DK95	LU00	TRUE	TRUE	TRUE	1.549	FALSE
221	SI95	R000	TRUE	TRUE	TRUE	1.549	FALSE
225	SI95	LU00	TRUE	TRUE	TRUE	1.580	FALSE
31	FR05	US00	TRUE	TRUE	FALSE	0.416	FALSE
47	SE00	US00	TRUE	TRUE	FALSE	0.533	FALSE
53	FR05	CZ05	TRUE	TRUE	FALSE	0.575	FALSE
65	FR05	CH05	TRUE	TRUE	FALSE	0.621	FALSE
69	SE05	US00	TRUE	TRUE	FALSE	0.645	FALSE
77	SE00	CZ05	TRUE	TRUE	FALSE	0.693	FALSE
83	SE00	CH05	TRUE	TRUE	FALSE	0.739	FALSE
99	SE05	CZ05	TRUE	TRUE	FALSE	0.804	FALSE
101	DK95	US00	TRUE	TRUE	FALSE	0.816	FALSE
108	SI95	US00	TRUE	TRUE	FALSE	0.847	FALSE
111	SE05	CH05	TRUE	TRUE	FALSE	0.851	FALSE
136	FR05	UK05	TRUE	TRUE	FALSE	0.925	FALSE
147	DK95	CZ05	TRUE	TRUE	FALSE	0.976	FALSE
153	SI95	CZ05	TRUE	TRUE	FALSE	1.007	FALSE
156	DK95	CH05	TRUE	TRUE	FALSE	1.022	FALSE
164	SE00	UK05	TRUE	TRUE	FALSE	1.043	FALSE
167	SI95	CH05	TRUE	TRUE	FALSE	1.053	FALSE
183	SE05	UK05	TRUE	TRUE	FALSE	1.154	FALSE
186	FR05	CH00	TRUE	TRUE	FALSE	1.170	FALSE
202	SE00	CH00	TRUE	TRUE	FALSE	1.288	FALSE
205	DK95	UK05	TRUE	TRUE	FALSE	1.326	FALSE
208	SI95	UK05	TRUE	TRUE	FALSE	1.357	FALSE
214	SE05	CH00	TRUE	TRUE	FALSE	1.399	FALSE
222	DK95	CH00	TRUE	TRUE	FALSE	1.571	FALSE
227	SI95	CH00	TRUE	TRUE	FALSE	1.602	FALSE
39	FR05	HU05	TRUE	FALSE	TRUE	0.471	FALSE
45	FR05	PL00	TRUE	FALSE	TRUE	0.513	FALSE
51	FR05	PL95	TRUE	FALSE	TRUE	0.566	FALSE
54	SE00	HU05	TRUE	FALSE	TRUE	0.589	FALSE
66	SE00	PL00	TRUE	FALSE	TRUE	0.630	FALSE

We see that for each term, several pairs tick the important boxes of `UniqCov` and `GlobUncov`.

Matching two typical cases when treating the conjunction as one set, generates the following results:

```
typ_typ_term <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = TRUE,
  cases = 5,
```

```

max_pairs = 50)
typ_typ_term
Term WC*LM :
-----
  TYP1 TYP2 UniqCov  Best MostTyp
13 DE95 IE00    both 1.334   none
81 DE95 DK00    both 1.585   none
56 IE00 DK00    both 1.793   none
18 DE95 NL00    typ1 1.242   none
12 DE95 N095    typ1 1.258   none
65 IE00 N095    typ1 1.466   none
49 DE95 ES05    typ1 1.485   none
35 IE00 ES05    typ1 1.693   none
20 NL05 DE95    typ2 1.201   typ1
75 NL95 DE95    typ2 1.201   typ1
78 DE00 DE95    typ2 1.227   none
14 NL95 IE00    typ2 1.307   typ1
66 NL05 IE00    typ2 1.307   typ1
24 DE00 IE00    typ2 1.333   none
51 NL00 IE00    typ2 1.339   none
58 NL05 DK00    typ2 1.558   typ1
63 NL95 DK00    typ2 1.558   typ1
57 DE00 DK00    typ2 1.584   none
52 NL00 DK00    typ2 1.590   none
53 N095 DK00    typ2 1.907   none
69 ES05 DK00    typ2 2.192   none
21 NL95 NL05    none 1.120   both
74 NL05 NL95    none 1.120   both
19 NL95 DE00    none 1.198   typ1
39 NL05 DE00    none 1.198   typ1
11 NL05 NL00    none 1.215   typ1
38 NL95 NL00    none 1.215   typ1
33 NL05 N095    none 1.231   typ1
79 NL95 N095    none 1.231   typ1
17 DE00 NL00    none 1.241   none
50 DE00 N095    none 1.257   none
34 NL00 N095    none 1.263   none
32 NL95 ES05    none 1.458   typ1
70 NL05 ES05    none 1.458   typ1
31 DE00 ES05    none 1.484   none
59 NL00 ES05    none 1.489   none
71 N095 ES05    none 1.806   none
 1 <NA> <NA>    none   NA    none
 2 <NA> <NA>    none   NA    none
 3 <NA> <NA>    none   NA    none
 4 <NA> <NA>    none   NA    none
 5 <NA> <NA>    none   NA    none
 6 <NA> <NA>    none   NA    none
 7 <NA> <NA>    none   NA    none

```

8	<NA>	<NA>	none	NA	none
9	<NA>	<NA>	none	NA	none
10	<NA>	<NA>	none	NA	none
15	<NA>	<NA>	none	NA	none
16	<NA>	<NA>	none	NA	none
22	<NA>	<NA>	none	NA	none

Term ~UN*EP :

```

-----
      TYP1 TYP2 UniqCov  Best MostTyp
56  MX00 PT95    both 0.630    none
132 MX05 PT95    both 0.686    none
43  EE05 PT95    both 0.801    none
35  MX00 PT00    both 0.939    none
34  MX00 EE05    both 0.950    none
120 PT00 PT95    both 0.957    none
39  MX05 PT00    both 0.995    none
127 MX05 EE05    both 1.006    none
48  EE05 PT00    both 1.110    none
17  MX00 MX05    both 1.142    none
135 MX00 KR05    both 1.414    none
138 MX05 KR05    both 1.470    none
67  EE05 KR05    both 1.585    none
105 PT00 KR05    both 1.742    none
109 PT95 KR05    both 1.939    none
195 MX00 DE05    typ1 1.013    none
74  MX05 DE05    typ1 1.069    none
192 MX00 ES95    typ1 1.143    typ2
89  MX00 NL95    typ1 1.174    typ2
174 EE05 DE05    typ1 1.184    none
99  MX05 NL95    typ1 1.229    typ2
87  MX00 NL00    typ1 1.241    none
119 MX00 NL05    typ1 1.294    typ2
70  MX05 NL00    typ1 1.297    none
94  MX00 DE00    typ1 1.297    none
184 PT00 DE05    typ1 1.341    none
196 EE05 NL95    typ1 1.344    typ2
92  MX05 NL05    typ1 1.350    typ2
157 MX05 DE00    typ1 1.353    none
85  EE05 NL00    typ1 1.412    none
125 EE05 NL05    typ1 1.465    typ2
19  EE05 DE00    typ1 1.468    none
189 PT00 NL95    typ1 1.501    typ2
143 PT95 DE05    typ1 1.537    none
150 PT00 NL00    typ1 1.568    none
77  PT00 NL05    typ1 1.622    typ2
9   PT00 DE00    typ1 1.625    none
162 PT95 NL95    typ1 1.698    typ2
148 PT95 NL00    typ1 1.765    none
30  PT95 NL05    typ1 1.819    typ2

```

15	PT95	DE00	typ1	1.821	none
123	ES00	PT95	typ2	0.609	typ1
98	ES05	PT95	typ2	0.611	none
175	ES95	PT95	typ2	0.644	typ1
160	ES00	PT00	typ2	0.919	typ1
161	ES05	PT00	typ2	0.921	none
182	ES00	EE05	typ2	0.929	typ1
12	ES05	EE05	typ2	0.931	none
80	ES95	PT00	typ2	0.954	typ1
130	ES95	EE05	typ2	0.965	typ1

Term EP*LM :

	TYP1	TYP2	UniqCov	Best	MostTyp
48	FR05	SE00	both	1.237	none
21	FR05	SE05	both	1.247	none
112	SE00	SE05	both	1.365	none
105	FR05	SI95	both	1.397	none
102	SE00	SI95	both	1.515	none
149	FR05	DK95	both	1.621	none
41	SE05	SI95	both	1.626	none
31	SE00	DK95	both	1.739	none
143	SE05	DK95	both	1.850	none
168	SI95	DK95	both	2.053	none
49	FR05	DE05	typ1	1.288	none
133	SE00	DE05	typ1	1.406	none
120	FR05	N095	typ1	1.407	none
13	SE05	DE05	typ1	1.518	none
30	SE00	N095	typ1	1.525	none
61	FR05	ES00	typ1	1.555	typ2
85	FR05	NL05	typ1	1.570	typ2
117	FR05	ES05	typ1	1.633	none
14	SE05	N095	typ1	1.636	none
25	SE00	ES00	typ1	1.673	typ2
4	SE00	NL05	typ1	1.687	typ2
47	SE00	ES05	typ1	1.751	none
155	SE05	ES00	typ1	1.784	typ2
94	SE05	NL05	typ1	1.799	typ2
154	SE05	ES05	typ1	1.862	none
65	DK95	NL05	typ1	1.970	typ2
19	SI95	NL05	typ1	2.001	typ2
66	DK95	ES05	typ1	2.034	none
76	SI95	ES05	typ1	2.065	none
147	ES95	SE00	typ2	0.915	typ1
88	ES95	SE05	typ2	0.925	typ1
3	ES95	SI95	typ2	1.075	typ1
167	DE00	SE00	typ2	1.099	none
101	NL00	SE00	typ2	1.104	none
139	DE00	SE05	typ2	1.109	none
152	NL00	SE05	typ2	1.115	none

```

124 ES95 FR05    typ2 1.122    typ1
15  DE00 SI95    typ2 1.259    none
50  NL00 SI95    typ2 1.265    none
109 ES95 DK95    typ2 1.300    typ1
161 DE00 FR05    typ2 1.306    none
98  NL00 FR05    typ2 1.311    none
75  DE00 DK95    typ2 1.483    none
163 NL00 DK95    typ2 1.489    none
95  N095 SI95    typ2 1.570    none
79  ES00 SI95    typ2 1.739    typ1
54  N095 DK95    typ2 1.794    none
141 DE05 SI95    typ2 1.867    none
158 ES00 DK95    typ2 1.963    typ1
53  DE05 DK95    typ2 2.091    none

```

For each of the three terms, pairs of uniquely covered typical cases can be found.

In the book I do not treat each conjunct as one set and, instead, apply the focal conjunct principle. I discuss only two of the three conjunctions: $LM * WC$ and $LM * EP$. Let's start with $LM * WC$.

```

typ_typ_foc1 <- smmr(results = sol_yp,
                    outcome = 'LPI',
                    match = TRUE,
                    cases = 1,
                    term = 1,
                    max_pairs = 50)

```

```
typ_typ_foc1
```

```
Focal Conjunct WC :
```

```

-----
      TYP1 TYP2 PairRank CleanCorr FC<=Y UniqCov  Best MostTypFC MostTypTerm
2  DE95 DK00      1      both  both    both 1.612     none     none
47 DE95 NL00      1      both  both   typ1 1.260     none     none
16 NL05 DE95      1      both  both   typ2 1.210    typ1    typ1
14 NL95 DE95      1      both  both   typ2 1.221    typ1    typ1
12 DE00 DE95      1      both  both   typ2 1.228     none     none
5  NL95 DK00      1      both  both   typ2 1.565    typ1    typ1
7  NL05 DK00      1      both  both   typ2 1.594    typ1    typ1
6  NL00 DK00      1      both  both   typ2 1.600     none     none
3  DE00 DK00      1      both  both   typ2 1.610     none     none
43 NL05 NL95      1      both  both    none 1.148    both    both
59 NL95 NL05      1      both  both    none 1.148    both    both
25 NL05 DE00      1      both  both    none 1.207    typ1    typ1
23 NL95 DE00      1      both  both    none 1.218    typ1    typ1
50 NL95 NL00      1      both  both    none 1.218    typ1    typ1
52 NL05 NL00      1      both  both    none 1.241    typ1    typ1
48 DE00 NL00      1      both  both    none 1.258     none     none
74 DE95 ES05      2      both  both   typ1 1.657     none     none
79 NL05 ES05      2      both  both    none 1.621    typ1    typ1

```

77	NL95	ES05	2	both	both	none	1.650	typ1	typ1
75	DE00	ES05	2	both	both	none	1.656	none	none
78	NL00	ES05	2	both	both	none	1.679	none	none
29	DE95	IE00	2	both	typ1	both	1.384	none	none
65	DE95	N095	2	both	typ1	typ1	1.463	none	none
34	NL05	IE00	2	both	typ1	typ2	1.348	typ1	typ1
32	NL95	IE00	2	both	typ1	typ2	1.377	typ1	typ1
30	DE00	IE00	2	both	typ1	typ2	1.384	none	none
33	NL00	IE00	2	both	typ1	typ2	1.406	none	none
70	NL05	N095	2	both	typ1	none	1.427	typ1	typ1
68	NL95	N095	2	both	typ1	none	1.456	typ1	typ1
66	DE00	N095	2	both	typ1	none	1.463	none	none
69	NL00	N095	2	both	typ1	none	1.485	none	none
9	ES05	DK00	3	both	both	typ2	2.220	none	none
4	IE00	DK00	3	both	typ2	both	1.560	none	none
8	N095	DK00	3	both	typ2	typ2	1.735	none	none
76	IE00	ES05	4	both	typ2	typ1	1.351	none	none
80	N095	ES05	4	both	typ2	none	1.421	none	none
67	IE00	N095	4	both	none	typ1	1.157	none	none

Focal Conjunct LM :

	TYP1	TYP2	PairRank	CleanCorr	FC<=Y	UniqCov	Best	MostTypFC	MostTypTerm
67	IE00	N095	1	both	both	typ1	1.472	none	none
76	IE00	ES05	1	typ1	both	typ1	1.893	none	none
80	N095	ES05	1	typ1	both	none	2.001	none	none
4	IE00	DK00	2	both	typ1	both	1.842	none	none
8	N095	DK00	2	both	typ1	typ2	1.950	none	none
9	ES05	DK00	2	typ2	typ1	typ2	2.040	none	none
29	DE95	IE00	3	both	typ2	both	1.258	typ1	none
65	DE95	N095	3	both	typ2	typ1	1.177	typ1	none
33	NL00	IE00	3	both	typ2	typ2	1.261	none	none
30	DE00	IE00	3	both	typ2	typ2	1.262	none	none
34	NL05	IE00	3	both	typ2	typ2	1.331	none	typ1
32	NL95	IE00	3	both	typ2	typ2	1.360	none	typ1
69	NL00	N095	3	both	typ2	none	1.180	none	none
66	DE00	N095	3	both	typ2	none	1.181	none	none
70	NL05	N095	3	both	typ2	none	1.250	none	typ1
68	NL95	N095	3	both	typ2	none	1.279	none	typ1
74	DE95	ES05	3	typ1	typ2	typ1	1.428	typ1	none
78	NL00	ES05	3	typ1	typ2	none	1.431	none	none
75	DE00	ES05	3	typ1	typ2	none	1.432	none	none
79	NL05	ES05	3	typ1	typ2	none	1.501	none	typ1
77	NL95	ES05	3	typ1	typ2	none	1.530	none	typ1
2	DE95	DK00	4	both	none	both	1.377	typ1	none
47	DE95	NL00	4	both	none	typ1	1.067	typ1	none
12	DE00	DE95	4	both	none	typ2	1.024	typ2	none
16	NL05	DE95	4	both	none	typ2	1.093	typ2	typ1
14	NL95	DE95	4	both	none	typ2	1.122	typ2	typ1
6	NL00	DK00	4	both	none	typ2	1.380	none	none

3	DE00	DK00	4	both	none	typ2	1.381	none	none
7	NL05	DK00	4	both	none	typ2	1.450	none	typ1
5	NL95	DK00	4	both	none	typ2	1.479	none	typ1
48	DE00	NL00	4	both	none	none	1.071	none	none
25	NL05	DE00	4	both	none	none	1.096	none	typ1
59	NL95	NL05	4	both	none	none	1.123	none	both
23	NL95	DE00	4	both	none	none	1.125	none	typ1
52	NL05	NL00	4	both	none	none	1.140	none	typ1
50	NL95	NL00	4	both	none	none	1.169	none	typ1
43	NL05	NL95	4	both	none	none	1.181	none	both

For focal conjunct *WC*: only one pair with both typical cases uniquely covered (DE95-DK00)

For focal conjunct *LM*: only pair in rank 2 with both uniquely covered (IE00 - DK00), but DK00 has inconsistent focal conjunct.

```
typ_typ_foc3 <- smmr(results = sol_yp,
  outcome = 'LPI',
  match = TRUE,
  cases = 1,
  term = 3,
  max_pairs = 200)
```

typ_typ_foc3

Focal Conjunct EP :

```
-----
```

	TYP1	TYP2	PairRank	CleanCorr	FC<=Y	UniqCov	Best	MostTypFC	MostTypTerm
12	SE00	DK95	1	both	both	both	1.751	none	none
51	SE00	DE05	1	both	both	typ1	1.436	none	none
77	SE00	NL05	1	both	both	typ1	1.714	none	none
66	DK95	NL05	1	both	both	typ1	2.008	none	none
148	NL00	SE00	1	both	both	typ2	1.105	none	none
146	DE00	SE00	1	both	both	typ2	1.116	none	none
5	NL00	DK95	1	both	both	typ2	1.501	none	none
3	DE00	DK95	1	both	both	typ2	1.512	none	none
4	DE05	DK95	1	both	both	typ2	2.132	none	none
42	DE00	DE05	1	both	both	none	1.163	none	none
44	NL00	DE05	1	both	both	none	1.185	none	none
55	DE00	NL00	1	both	both	none	1.273	none	none
68	DE00	NL05	1	both	both	none	1.441	none	none
70	NL00	NL05	1	both	both	none	1.463	none	none
69	DE05	NL05	1	both	both	none	2.042	none	none
168	SE00	SE05	1	typ1	both	both	1.527	none	none
159	DE00	SE05	1	typ1	both	typ2	1.254	none	none
161	NL00	SE05	1	typ1	both	typ2	1.276	none	none
13	SE05	DK95	1	typ2	both	both	2.024	none	none
52	SE05	DE05	1	typ2	both	typ1	1.650	none	none
78	SE05	NL05	1	typ2	both	typ1	1.934	none	none
103	SE00	SI95	2	both	typ1	both	1.893	none	none

90	SE00	N095	2	both	typ1	typ1	1.709	none	none
129	SE00	ES00	2	both	typ1	typ1	1.739	none	none
142	SE00	ES05	2	both	typ1	typ1	1.767	none	none
131	DK95	ES05	2	both	typ1	typ1	2.061	none	none
16	DE00	FR05	2	both	typ1	typ2	1.365	none	none
18	NL00	FR05	2	both	typ1	typ2	1.387	none	none
94	DE00	SI95	2	both	typ1	typ2	1.620	none	none
96	NL00	SI95	2	both	typ1	typ2	1.642	none	none
95	DE05	SI95	2	both	typ1	typ2	2.215	none	none
81	DE00	N095	2	both	typ1	none	1.437	none	none
83	NL00	N095	2	both	typ1	none	1.459	none	none
120	DE00	ES00	2	both	typ1	none	1.466	none	none
122	NL00	ES00	2	both	typ1	none	1.488	none	none
133	DE00	ES05	2	both	typ1	none	1.494	none	none
135	NL00	ES05	2	both	typ1	none	1.516	none	none
134	DE05	ES05	2	both	typ1	none	2.089	none	none
104	SE05	SI95	2	typ2	typ1	both	1.842	none	none
91	SE05	N095	2	typ2	typ1	typ1	1.659	none	none
130	SE05	ES00	2	typ2	typ1	typ1	1.688	none	none
143	SE05	ES05	2	typ2	typ1	typ1	1.716	none	none
145	FR05	SE00	3	both	typ2	both	1.051	none	none
2	FR05	DK95	3	both	typ2	both	1.447	none	none
8	SI95	DK95	3	both	typ2	both	1.834	none	none
41	FR05	DE05	3	both	typ2	typ1	1.073	none	none
67	FR05	NL05	3	both	typ2	typ1	1.358	none	none
73	SI95	NL05	3	both	typ2	typ1	1.745	none	none
152	ES95	SE00	3	both	typ2	typ2	0.873	typ1	typ1
9	ES95	DK95	3	both	typ2	typ2	1.269	typ1	typ1
10	ES00	DK95	3	both	typ2	typ2	1.559	none	none
7	N095	DK95	3	both	typ2	typ2	1.612	none	none
48	ES95	DE05	3	both	typ2	none	0.930	typ1	typ1
35	ES95	DE00	3	both	typ2	none	1.007	typ1	typ1
61	ES95	NL00	3	both	typ2	none	1.031	typ1	typ1
49	ES00	DE05	3	both	typ2	none	1.186	none	none
74	ES95	NL05	3	both	typ2	none	1.208	typ1	typ1
46	N095	DE05	3	both	typ2	none	1.238	none	none
76	ES05	NL05	3	both	typ2	none	1.462	none	none
75	ES00	NL05	3	both	typ2	none	1.470	none	none
72	N095	NL05	3	both	typ2	none	1.522	none	none
158	FR05	SE05	3	typ1	typ2	both	0.969	none	none
165	ES95	SE05	3	typ1	typ2	typ2	1.021	typ1	typ1
93	FR05	SI95	4	both	none	both	1.335	none	none
80	FR05	N095	4	both	none	typ1	1.152	none	none
119	FR05	ES00	4	both	none	typ1	1.181	none	none
132	FR05	ES05	4	both	none	typ1	1.209	none	none
138	SI95	ES05	4	both	none	typ1	1.300	none	none
22	ES95	FR05	4	both	none	typ2	1.132	typ1	typ1
101	ES00	SI95	4	both	none	typ2	1.218	none	none
98	N095	SI95	4	both	none	typ2	1.361	none	none
100	ES95	SI95	4	both	none	typ2	1.387	typ1	typ1

140	ES00	ES05	4	both	none	none	1.093	none	none
87	ES95	N095	4	both	none	none	1.204	typ1	typ1
124	N095	ES00	4	both	none	none	1.207	none	none
126	ES95	ES00	4	both	none	none	1.233	typ1	typ1
137	N095	ES05	4	both	none	none	1.235	none	none
139	ES95	ES05	4	both	none	none	1.261	typ1	typ1

Focal Conjunct LM :

	TYP1	TYP2	PairRank	CleanCorr	FC<=Y	UniqCov	Best	MostTypFC	MostTypTerm
93	FR05	SI95	1	both	both	both	1.403	none	none
80	FR05	N095	1	both	both	typ1	1.418	none	none
119	FR05	ES00	1	both	both	typ1	1.560	none	none
132	FR05	ES05	1	both	both	typ1	1.635	none	none
138	SI95	ES05	1	both	both	typ1	2.072	none	none
100	ES95	SI95	1	both	both	typ2	1.077	typ1	typ1
22	ES95	FR05	1	both	both	typ2	1.129	typ1	typ1
98	N095	SI95	1	both	both	typ2	1.586	none	none
101	ES00	SI95	1	both	both	typ2	1.749	none	none
87	ES95	N095	1	both	both	none	1.103	typ1	typ1
126	ES95	ES00	1	both	both	none	1.245	typ1	typ1
139	ES95	ES05	1	both	both	none	1.320	typ1	typ1
124	N095	ES00	1	both	both	none	1.735	none	none
137	N095	ES05	1	both	both	none	1.816	none	none
140	ES00	ES05	1	both	both	none	1.978	none	none
158	FR05	SE05	2	both	both	both	1.413	none	none
165	ES95	SE05	2	both	both	typ2	1.098	typ1	typ1
2	FR05	DK95	2	both	typ1	both	1.658	none	none
145	FR05	SE00	2	both	typ1	both	1.674	none	none
8	SI95	DK95	2	both	typ1	both	2.095	none	none
67	FR05	NL05	2	both	typ1	typ1	1.694	none	none
41	FR05	DE05	2	both	typ1	typ1	1.736	none	none
73	SI95	NL05	2	both	typ1	typ1	2.131	none	none
9	ES95	DK95	2	both	typ1	typ2	1.344	typ1	typ1
152	ES95	SE00	2	both	typ1	typ2	1.360	typ1	typ1
7	N095	DK95	2	both	typ1	typ2	1.820	none	none
10	ES00	DK95	2	both	typ1	typ2	1.996	none	none
35	ES95	DE00	2	both	typ1	none	1.111	typ1	typ1
61	ES95	NL00	2	both	typ1	none	1.154	typ1	typ1
74	ES95	NL05	2	both	typ1	none	1.379	typ1	typ1
48	ES95	DE05	2	both	typ1	none	1.422	typ1	typ1
72	N095	NL05	2	both	typ1	none	1.856	none	none
46	N095	DE05	2	both	typ1	none	1.899	none	none
75	ES00	NL05	2	both	typ1	none	2.031	none	none
49	ES00	DE05	2	both	typ1	none	2.074	none	none
76	ES05	NL05	2	both	typ1	none	2.150	none	none
104	SE05	SI95	3	both	both	both	1.646	none	none
91	SE05	N095	3	both	both	typ1	1.640	none	none
130	SE05	ES00	3	both	both	typ1	1.794	none	none
143	SE05	ES05	3	both	both	typ1	1.875	none	none

103	SE00	SI95	3	both	typ2	both	1.564	none	none
131	DK95	ES05	3	both	typ2	typ1	1.536	none	none
90	SE00	N095	3	both	typ2	typ1	1.557	none	none
129	SE00	ES00	3	both	typ2	typ1	1.712	none	none
142	SE00	ES05	3	both	typ2	typ1	1.793	none	none
96	NL00	SI95	3	both	typ2	typ2	1.178	none	none
94	DE00	SI95	3	both	typ2	typ2	1.179	none	none
18	NL00	FR05	3	both	typ2	typ2	1.219	none	none
16	DE00	FR05	3	both	typ2	typ2	1.220	none	none
95	DE05	SI95	3	both	typ2	typ2	1.733	none	none
83	NL00	N095	3	both	typ2	none	1.171	none	none
81	DE00	N095	3	both	typ2	none	1.172	none	none
122	NL00	ES00	3	both	typ2	none	1.326	none	none
120	DE00	ES00	3	both	typ2	none	1.327	none	none
135	NL00	ES05	3	both	typ2	none	1.407	none	none
133	DE00	ES05	3	both	typ2	none	1.408	none	none
134	DE05	ES05	3	both	typ2	none	1.963	none	none
13	SE05	DK95	4	both	typ1	both	1.419	none	none
78	SE05	NL05	4	both	typ1	typ1	1.455	none	none
52	SE05	DE05	4	both	typ1	typ1	1.497	none	none
168	SE00	SE05	4	both	typ2	both	1.172	none	none
159	DE00	SE05	4	both	typ2	typ2	1.014	none	none
161	NL00	SE05	4	both	typ2	typ2	1.014	none	none
12	SE00	DK95	4	both	none	both	1.418	none	none
66	DK95	NL05	4	both	none	typ1	1.080	none	none
77	SE00	NL05	4	both	none	typ1	1.453	none	none
51	SE00	DE05	4	both	none	typ1	1.496	none	none
5	NL00	DK95	4	both	none	typ2	1.259	none	none
3	DE00	DK95	4	both	none	typ2	1.260	none	none
148	NL00	SE00	4	both	none	typ2	1.275	none	none
146	DE00	SE00	4	both	none	typ2	1.276	none	none
4	DE05	DK95	4	both	none	typ2	1.472	none	none
55	DE00	NL00	4	both	none	none	1.071	none	none
68	DE00	NL05	4	both	none	none	1.295	none	none
70	NL00	NL05	4	both	none	none	1.295	none	none
44	NL00	DE05	4	both	none	none	1.337	none	none
42	DE00	DE05	4	both	none	none	1.338	none	none
69	DE05	NL05	4	both	none	none	1.372	none	none

For focal conjunct *EP* several pairs are fine (all involving case SE). The best-available pair even matches SE00 to SE05.

For focal conjunct *LM* only on pair from rank 1 with both uniquely covered and consistent focal conjuncts exists (FR0 - SI95).

5.3 Illustrating mechanisms

In the book, I empirically illustrate the location of the mechanism *M* vis-a-vis the two conjunctions *LM * WC* and *LM * EP*. More often than not, data on the best-available pairs of typical and iir cases is not available and therefore the next best-available case pairs need

to be chosen. The following lines of command produce the graphs depicted in chapter 5 involving membership scores of cases in the mechanism.

```
MECH <- read.csv('micro_macro_best.csv', row.names = 1)
```

Let's start with term $LM * WC$ and there with focal conjunct WC .

```
MECH_test <- subset(MECH,
                    MECH$ID_mac %in%
                    c('DE95', 'PL95'))

with(MECH_test, plot(WC,LPI,
                    pch = 16, cex = .7,
                    xlim = c(0,1),
                    ylim = c(0,1),
                    xlab = "cross-case focal conjunct WC and within-case
mechanisms"))
text(MECH_test$WC, MECH_test$LPI, labels = MECH_test$ID_mac,
     cex = 0.7, pos = 3)
legend(x = 0.5, y = 0.5, #"bottomright",
       # Add legend to plot
       legend = c("WC", "lodif_repres", "lodif_poleff"),
       pch = c(16, 0, 1),
       cex = 0.5
)

abline(h=0.5, col="black")
abline(v=0.5, col="black")
abline(coef = c(0,1))

with(MECH_test, points(MECH_test$lorepres_diff,LPI,
                      pch = 0, cex = .7))
with(MECH_test, points(MECH_test$lopoleff_diff,LPI,
                      pch = 1, cex = .7))
```

And now focal conjunct LM in conjunction $LM * WC$

```
# get only two relevant cases
MECH_test <- subset(MECH,
                    MECH$ID_mac %in%
                    c('IE00', 'HU00'))

{with(MECH_test, plot(LM,LPI,
                    pch = 16, cex = .7,
                    xlim = c(0,1),
                    ylim = c(0,1),
                    xlab = "cross-case focal conjunct LM and within-case
mechanisms"))
```

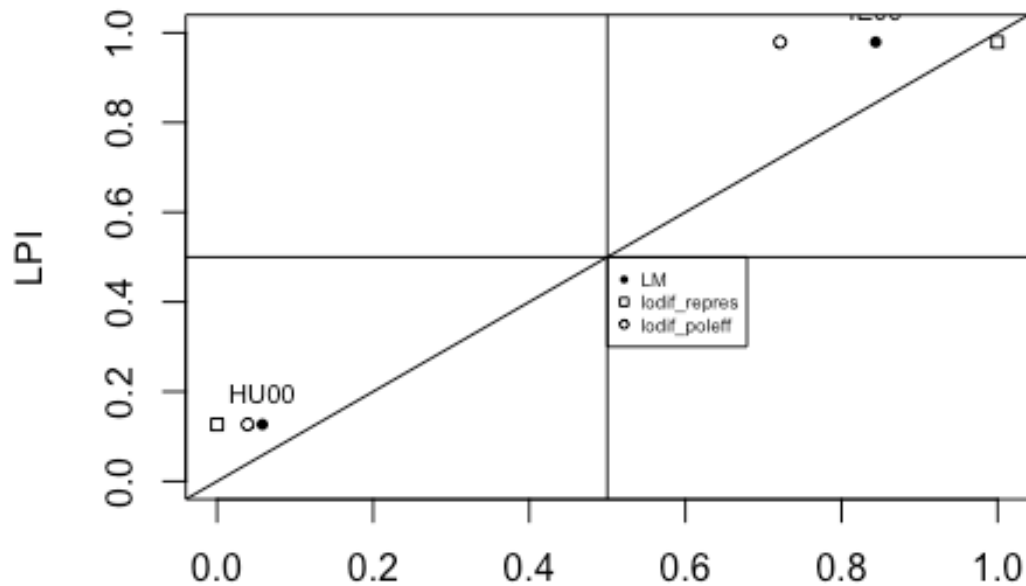
```

text(MECH_test$LM, MECH_test$LPI, labels = MECH_test$ID_mac,
     cex = 0.7, pos = 3)
legend(x = 0.5, y = 0.5, #"bottomright",
      # Add legend to plot
      legend = c("LM", "lodif_repres", "lodif_poleff"),
      pch = c(16, 0, 1),
      cex = 0.5
)

abline(h=0.5, col="black")
abline(v=0.5, col="black")
abline(coef = c(0,1))

with(MECH_test, points(MECH_test$lorepres_diff,LPI,
                      pch = 0, cex = .7))
with(MECH_test, points(MECH_test$lopoleff_diff,LPI,
                      pch = 1, cex = .7))}

```



cross-case focal conjunct LM and within-case mechanisms

Turning to conjunction $LM * EP$, let's focus first on conjunct LM .

```

MECH_test <- subset(MECH,
                   MECH$ID_mac %in%
                   c('FR05', 'R000'))

```

```

with(MECH_test, plot(LM,LPI,
                    pch = 16, cex = .7,
                    xlim = c(0,1),
                    ylim = c(0,1),
                    xlab = "cross-case focal conjunct LM and within-case
mechanisms"))
text(MECH_test$LM, MECH_test$LPI, labels = MECH_test$ID_mac,
     cex = 0.7, pos = 3)
legend(x = 0.5, y = 0.5, #"bottomright",
       # Add legend to plot
       legend = c("LM", "lodif_repres", "lodif_poleff"),
       pch = c(16, 0, 1),
       cex = 0.5
)

abline(h=0.5, col="black")
abline(v=0.5, col="black")
abline(coef = c(0,1))

with(MECH_test, points(MECH_test$lorepres_diff,LPI,
                      pch = 0, cex = .7))
with(MECH_test, points(MECH_test$lopoleff_diff,LPI,
                      pch = 1, cex = .7))

```

And finally, focal conjunct *EP*.

```

# term LM*EP focal conjunct EP < Y: SE05 - HU00

MECH_test <- subset(MECH,
                   MECH$ID_mac %in%
                   c('SE05', 'HU00'))

with(MECH_test, plot(EP,LPI,
                    pch = 16, cex = .7,
                    xlim = c(0,1),
                    ylim = c(0,1),
                    xlab = "cross-case focal conjunct EP and within-case
mechanisms"))
text(MECH_test$EP, MECH_test$LPI, labels = MECH_test$ID_mac,
     cex = 0.7, pos = 3)
legend(x = 0.5, y = 0.5, #"bottomright",
       # Add legend to plot
       legend = c("EP", "lodif_repres", "lodif_poleff"),
       pch = c(16, 0, 1),
       cex = 0.5
)

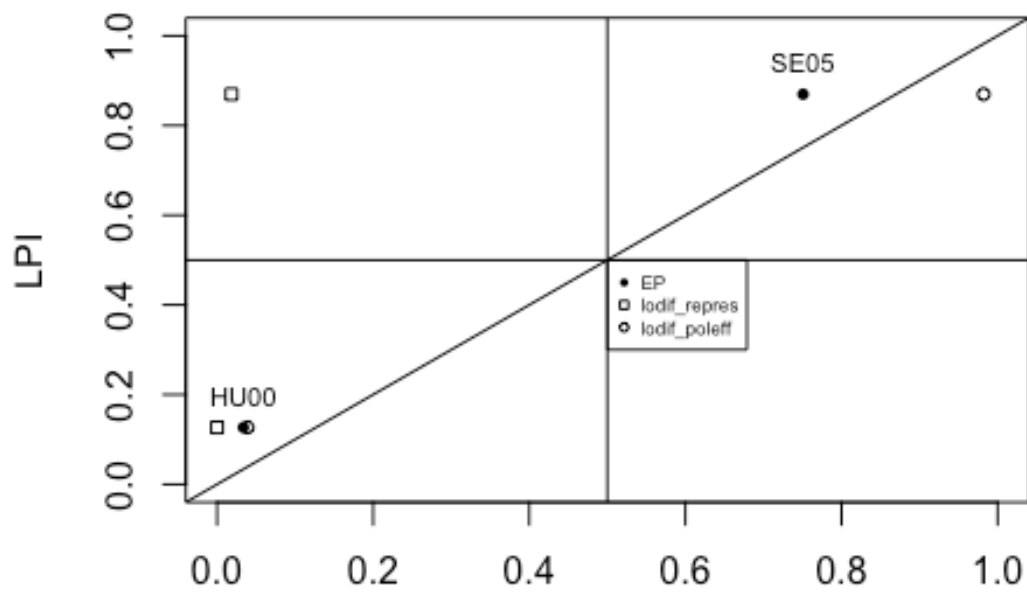
```

```

# plot the mechanism dots
abline(h=0.5, col="black")
abline(v=0.5, col="black")
abline(coef = c(0,1))

with(MECH_test, points(MECH_test$lorepres_diff,LPI,
                      pch = 0, cex = .7))
with(MECH_test, points(MECH_test$lopoleff_diff,LPI,
                      pch = 1, cex = .7))

```



cross-case focal conjunct EP and within-case mechanisms

6 Chapter 6: Bretthauer (2015)

In chapter 6, I use the study by Bretthauer (2015) on peace and conflict in resource-scarce countries to illustrate SMMR on necessity claims of various levels of complexity ($A \Leftarrow Y$, $A + B \Leftarrow Y$, and $A * B \Leftarrow Y$).

Outcome

- BDT = Conflict

Conditions

- PIN = Low Quality of Political Institutions
- COR = Political corruption
- EEX = Ethnic exclusion
- POV = Poverty
- DEP = Dependence on agriculture
- EDU = High tertiary education
- ECOD = Economic development

```
#Load data
BRETT <- read.csv("Bretthauer_2014_fs.csv", row.names =1)

colnames(BRETT) <- toupper(colnames(BRETT))
```

6.1 $A \Leftarrow Y$

First, we identify the necessary condition $\sim DEP$ and visualize it via an X plot.

```
# Analysis of single necessity, outcome ~Y
NEC_ny <- superSubset(data = BRETT,
                      outcome = '~BDT',
                      conditions = c("POV", "DEP", "COR", "PIN", "EDU",
                                     "EEX"),
                      incl.cut = 0.89,
                      ron.cut = 0.6,
                      cov.cut = 0.5,
                      depth = 1)

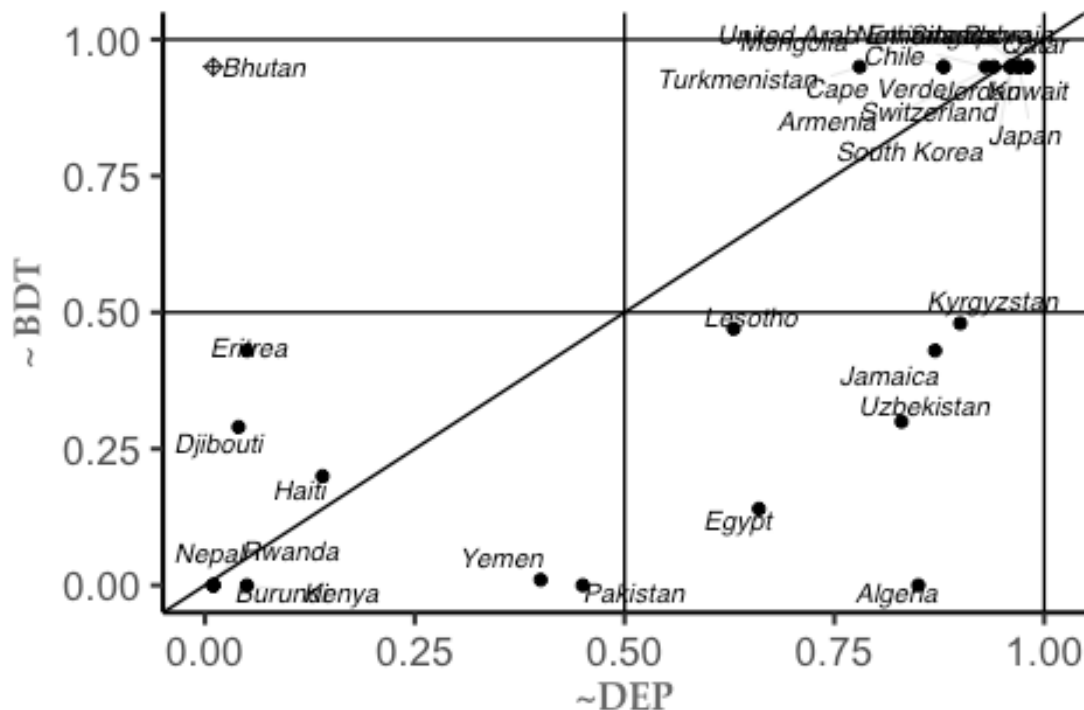
NEC_ny
```

	inclN	RoN	covN
1 ~DEP	0.890	0.730	0.798

```
# Visualization via XY plot
pimplot(data = BRETT,
  outcome = 'BDT',
  results = NEC_ny,
  necessity = TRUE,
  all_labels = TRUE,
  jitter = TRUE)
```

Necessity Plot

Cons.Nec: 0.890; Cov.Nec: 0.798; RoN: 0.730



6.1.1 Descriptive inference SMMR

In the following, I show the four single-case and comparative SMMR designs with the goal of enhancing descriptive inferences.

I start with the best available deviant relevance case.

```
# For technical reasons, a solution object from function minimize() is
# needed, even if one is not interested in an analysis of sufficiency. I
# therefore produce a truth table analysis of sufficiency, outcome ~Y
sol_np <- minimize(BRETT,
  outcome = "~BDT",
  conditions = c("POV", "DEP", "ECOD", "COR", "PIN",
    "EDU", "EEX"),
  incl.cut = 0.75,
  pri.cut = 0.5,
```

```

        details = TRUE,
        include = "?",
        row.dom = TRUE)

# Deviant relevance
drel <- smmr(nec.cond = "~DEP",
            results = sol_np,
            outcome = "~BDT",
            match = FALSE,
            cases = 3,
            necessity = TRUE)

```

drel

~DEP :

```

-----
      Case NecCond Outcome Best MostDREL
1   Algeria    0.85   0.00 0.30    TRUE
6 Uzbekistan    0.83   0.30 0.64   FALSE
4 Kyrgyzstan    0.90   0.48 0.68   FALSE
3   Jamaica    0.87   0.43 0.69   FALSE
2    Egypt    0.66   0.14 0.82   FALSE
5   Lesotho    0.63   0.47 1.21   FALSE

```

The best pairs of typical - deviant relevance cases are listed here.

```

# typical - deviant relevance
typdrel <- smmr(nec.cond = "~DEP",
               results = sol_np,
               outcome = "~BDT",
               match = TRUE,
               cases = 1,
               max_pairs = 10,
               necessity = TRUE)

```

typdrel

~DEP :

```

-----
          TYP      DREL Best MostTyp MostDREL
3          Jordan Algeria 0.35    TRUE    TRUE
8 South Korea  Algeria 0.35    TRUE    TRUE
9 Switzerland Algeria 0.35    TRUE    TRUE
1          Bahrain Algeria 0.35   FALSE    TRUE
2           Japan Algeria 0.35   FALSE    TRUE
4          Kuwait Algeria 0.35   FALSE    TRUE
5 Netherlands Algeria 0.35   FALSE    TRUE
6           Qatar Algeria 0.35   FALSE    TRUE
7          Singapore Algeria 0.35   FALSE    TRUE
10 United Arab Emirates Algeria 0.35   FALSE    TRUE

```

The best available deviant consistency cases are shown as below. As could be seen from the XY plot, there is just one such case in the data: Bhutan. What the output adds to this is information of the truth table row to which Bhutan belongs.

```
# deviant consistency
dcons <- smmr(nec.cond = "~DEP",
              results = sol_np,
              outcome = "~BDT",
              match = FALSE,
              cases = 2,
              necessity = TRUE)

dcons

~DEP :
-----
      Case NecCond TT_POV TT_DEP TT_ECOD TT_COR TT_PIN TT_EDU TT_EEX TT_row
1 Bhutan   0.01     1     1     0     0     0     1     1     0.72
  Outcome TT<=Y Best MostDCONS
1   0.95  TRUE 0.06     TRUE
```

The best available pair of typical and deviant consistency cases is shown below. As we see, no typical case shares with Bhutan the same truth table (minus the necessary condition $\sim DEP$, of course, in which both case types hold different membership scores, by definition).

```
# typical - deviant consistency
typdcons <- smmr(nec.cond = "~DEP",
                 results = sol_np,
                 outcome = "~BDT",
                 match = TRUE,
                 cases = 2,
                 max_pairs = 10,
                 necessity = TRUE)

typdcons

~DEP :
-----
[1] "There are no pairs in the same TT row"
```

6.1.2 Causal inference SMMR

Now I turn to the three causal inference SMMR designs.

I start with a single typical case.

```
# typical case
typ <- smmr(nec.cond = "~DEP",
            results = sol_np,
            outcome = "~BDT",
            match = FALSE,
            cases = 1,
```

```
necessity = TRUE)
typ
~DEP :
-----
      Case NecCond Outcome UniqCov Best MostTyp
3      Jordan    0.96   0.95   TRUE 0.06   TRUE
8    South Korea    0.96   0.95   TRUE 0.06   TRUE
9    Switzerland    0.96   0.95   TRUE 0.06   TRUE
2      Japan      0.97   0.95   TRUE 0.07  FALSE
5    Netherlands    0.97   0.95   TRUE 0.07  FALSE
10 United Arab Emirates 0.97   0.95   TRUE 0.07  FALSE
1      Bahrain     0.98   0.95   TRUE 0.08  FALSE
4      Kuwait     0.98   0.95   TRUE 0.08  FALSE
6      Qatar      0.98   0.95   TRUE 0.08  FALSE
7      Singapore  0.98   0.95   TRUE 0.08  FALSE
```

The best-matching pairs of typical and iir cases are listed below.

```
# typical - iir
typiir <- smmr(nec.cond = "~DEP",
              results = sol_np,
              outcome = "~BDT",
              match = TRUE,
              cases = 3,
              max_pairs = 10,
              necessity = TRUE)
typiir
~DEP :
-----
      TYP      IIR UniqCov GlobUncov Best MostTyp
3      Jordan  Burundi    TRUE      TRUE 0.13   TRUE
8    South Korea  Burundi    TRUE      TRUE 0.13   TRUE
9    Switzerland  Burundi    TRUE      TRUE 0.13   TRUE
23     Jordan     Nepal    TRUE      TRUE 0.13   TRUE
28    South Korea     Nepal    TRUE      TRUE 0.13   TRUE
29    Switzerland     Nepal    TRUE      TRUE 0.13   TRUE
43     Jordan     Rwanda    TRUE      TRUE 0.13   TRUE
48    South Korea     Rwanda    TRUE      TRUE 0.13   TRUE
49    Switzerland     Rwanda    TRUE      TRUE 0.13   TRUE
2      Japan   Burundi    TRUE      TRUE 0.14  FALSE
```

Finally, the list best-matching pairs of two typical cases looks as follows.

```
# two typical cases
tyttyp <- smmr(nec.cond = "~DEP",
              results = sol_np,
              outcome = "~BDT",
              match = TRUE,
              cases = 4,
```

```

max_pairs = 10,
necessity = TRUE)
typtyp
~DEP :
-----
          TYP1          TYP2 UniqCov Best MostTyp
15 South Korea      Jordan    both 1.04    both
16 Switzerland      Jordan    both 1.04    both
49      Jordan South Korea    both 1.04    both
50 Switzerland South Korea    both 1.04    both
51      Jordan Switzerland    both 1.04    both
52 South Korea Switzerland    both 1.04    both
10      Jordan      Japan    both 1.07    typ1
12 South Korea      Japan    both 1.07    typ1
13 Switzerland      Japan    both 1.07    typ1
27      Jordan Netherlands    both 1.07    typ1

```

6.2 $A + B \Leftarrow Y$

For illustrating SMMR in the presence of SUIN conditions, I continue with the example by Bretthauer (2015). Now the outcome consists in the presence of conflict (*BDT*). The necessity claim consisting of SUIN conditions looks as follows:

```

# Analysis of SUIN necessity, outcome BDT
SUIN_y <- superSubset(data = BRETT,
                      outcome = 'BDT',
                      conditions = c("POV", "DEP", "COR", "PIN", "EDU",
"EEEX"),
                      incl.cut = 0.94,
                      ron.cut = 0.6,
                      cov.cut = 0.5,
                      depth = 2)
SUIN_y

```

	inclN	RoN	covN
1 POV + COR	0.943	0.625	0.637

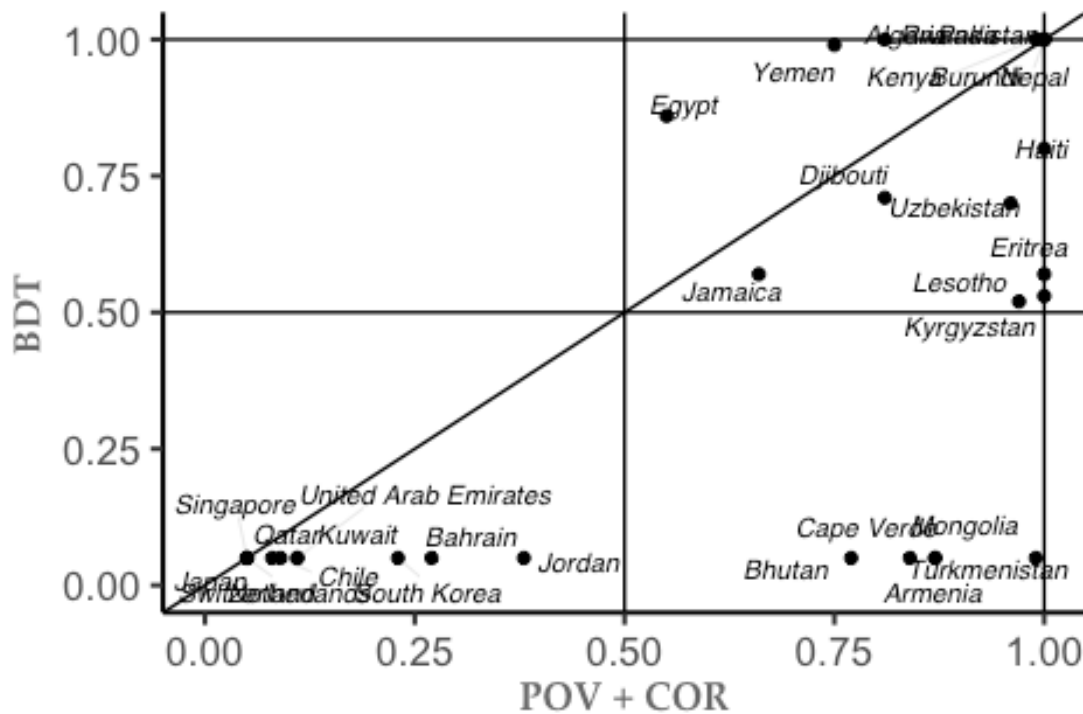
```

#Visualize via XY plot
BRETT$POVCOR <- pmax(BRETT$POV, BRETT$COR)
xy.plot(data = BRETT,
         'POVCOR', 'BDT',
         necessity = TRUE,
         xlab = 'POV + COR',
         ylab = 'BDT',
         jitter = TRUE)

```

XY plot

Cons.Nec: 0.943; Cov.Nec: 0.637; RoN: 0.625



6.2.1 Descriptive inference SMMR

I start with descriptive inference SMMR designs, and here with the study of a deviant relevance case. As can be seen, they are automatically listed for each SUIN condition and for the disjunction fo SUIN conditions. This holds for all other SMMR designs involving SUIN conditions.

For technical reasons, a solution object from function minimize() is needed, even if one is not interested in an analysis of sufficiency. I therefore produce a truth table analysis of sufficiency, outcome ~Y

```
sol_p<- minimize(BRETT, outcome = "BDT",
                conditions = c("POV", "DEP", "ECOD", "COR", "PIN",
                              "EDU", "EEX"),
                incl.cut1 = 0.75,
                pri.cut = 0.5,
                include = "?",
                details = TRUE,
                row.dom = TRUE)
```

```
# deviant relevance
drel <- smmr(nec.cond = "POV+COR",
            results = sol_p,
```

```

outcome = "BDT",
match = FALSE,
cases = 3,
necessity = TRUE)

drel

POV :
-----
      Case NecCond Outcome Best MostDREL
5 Turkmenistan    0.99   0.05 0.07   TRUE
4   Mongolia     0.87   0.05 0.31  FALSE
3  Cape Verde    0.84   0.05 0.37  FALSE
2    Bhutan     0.77   0.05 0.51  FALSE
1   Armenia     0.55   0.05 0.95  FALSE

COR :
-----
      Case NecCond Outcome Best MostDREL
3 Turkmenistan    0.97   0.05 0.11   TRUE
1   Armenia     0.87   0.05 0.31  FALSE
2   Mongolia    0.79   0.05 0.47  FALSE

POV+COR :
-----
      Case NecCond Outcome Best MostDREL
5 Turkmenistan    0.99   0.05 0.07   TRUE
1   Armenia     0.87   0.05 0.31  FALSE
4   Mongolia    0.87   0.05 0.31  FALSE
3  Cape Verde    0.84   0.05 0.37  FALSE
2    Bhutan     0.77   0.05 0.51  FALSE

```

The best-matching pairs of typical and deviant relevance cases are the following.

```

# typical - deviant relevance
typdrel <- smmr(nec.cond = "POV+COR",
               results = sol_p,
               outcome = "BDT",
               match = TRUE,
               cases = 1,
               max_pairs = 6,
               necessity = TRUE)

typdrel

POV :
-----
      TYP      DREL UniqCov Best MostTyp MostDREL
39 Eritrea Turkmenistan  TRUE 0.50  FALSE   TRUE
30 Eritrea  Mongolia     TRUE 0.74  FALSE  FALSE
21 Eritrea  Cape Verde    TRUE 0.80  FALSE  FALSE
12 Eritrea  Bhutan         TRUE 0.94  FALSE  FALSE
3  Eritrea  Armenia          TRUE 1.38  FALSE  FALSE

```

```
37 Burundi Turkmenistan FALSE 0.07 TRUE TRUE
```

```
COR :
```

```
-----
```

	TYP	DREL	UniqCov	Best	MostTyp	MostDREL
16	Kyrgyzstan Turkmenistan		TRUE	0.59	FALSE	TRUE
4	Kyrgyzstan Armenia		TRUE	0.79	FALSE	FALSE
10	Kyrgyzstan Mongolia		TRUE	0.95	FALSE	FALSE
15	Jamaica Turkmenistan		TRUE	1.16	FALSE	TRUE
3	Jamaica Armenia		TRUE	1.16	FALSE	FALSE
9	Jamaica Mongolia		TRUE	1.16	FALSE	FALSE

```
POV+COR :
```

```
-----
```

	TYP	DREL	Best	MostTyp	MostDREL
45	Burundi Turkmenistan	0.07	TRUE	TRUE	TRUE
52	Nepal Turkmenistan	0.07	TRUE	TRUE	TRUE
53	Pakistan Turkmenistan	0.07	TRUE	TRUE	TRUE
54	Rwanda Turkmenistan	0.07	TRUE	TRUE	TRUE
48	Haiti Turkmenistan	0.27	FALSE	TRUE	TRUE
1	Burundi Armenia	0.31	TRUE	FALSE	FALSE

Deviant consistency cases are listed for each truth table row that contains at least one such case type. While there are deviant consistency cases for *POV* and *COR*, respectively, there are none for the disjunction *POV + COR*.

```
# deviant Consistency
```

```
dcons <- smmr(nec.cond = "POV+COR",
             results = sol_p,
             outcome = "BDT",
             match = FALSE,
             cases = 2,
             necessity = TRUE)
```

```
dcons
```

```
POV :
```

```
-----
```

TT_row	Case	NecCond	TT_POV	TT_DEP	TT_ECOD	TT_COR	TT_PIN	TT_EDU	TT_EEX
2	Egypt	0.16	0	0	0	1	0	0	1
0.55									
1	Algeria	0.32	0	0	0	1	1	0	1
0.55									
4	Kyrgyzstan	0.24	0	0	0	1	1	1	1
0.55									
3	Jamaica	0.07	0	0	1	1	1	0	0
0.54									
	Outcome	GlobUncov	TT<=Y	Best	MostDCONS				
2	0.86	FALSE	TRUE	0.30	TRUE				
1	1.00	FALSE	TRUE	0.32	TRUE				

```

4    0.52    FALSE FALSE 0.72    TRUE
3    0.57    FALSE  TRUE 0.50    TRUE

COR :
-----
      Case NecCond TT_POV TT_DEP TT_ECOD TT_COR TT_PIN TT_EDU TT_EEX TT_row
1 Eritrea  0.21     1     1     0     0     0     0     0     0.79
  Outcome GlobUncov TT<=Y Best MostDCONS
1    0.57    FALSE FALSE 0.64     TRUE

POV+COR :
-----
[1] "No cases"

```

The comparison between typical and deviant consistency cases reveals that no such pair exists, except for one truth table row. The pair Eritrea - Haiti shares the same truth table row except for, by definition, membership in the focal disjunct *COR*.

```

# typical - deviant consistency
typdcons <- smmr(nec.cond = "POV+COR",
  results = sol_p,
  outcome = "BDT",
  match = TRUE,
  cases = 2,
  max_pairs = 10,
  necessity = TRUE)

typdcons

POV :
-----
[1] "There are no pairs in the same TT row"

COR :
-----
      DCONS    TYP TT_POV TT_DEP TT_ECOD TT_PIN TT_EDU TT_EEX UniqCov
GlobUncov
1 Eritrea Haiti      1     1     0     0     0     0     FALSE
FALSE
  Best MostTyp MostDCONS
1 0.47   TRUE     TRUE

POV+COR :
-----
[1] "There are no pairs in the same TT row"

```

6.2.2 Causal inference SMMR

The best available typical case for each focal SUIN condition and for the disjunction are listed as follows.

```

# TYP
typ <- smmr(nec.cond = "POV+COR",
           results = sol_p,
           outcome = "BDT",
           match = FALSE,
           cases = 1,
           necessity = TRUE)

typ

POV :
-----
      Case NecCond Outcome UniqCov Best MostTyp
3   Eritrea   1.00   0.57   TRUE 0.86  FALSE
1   Burundi   1.00   1.00   FALSE 0.00  TRUE
6    Nepal   1.00   1.00   FALSE 0.00  TRUE
7  Pakistan   1.00   1.00   FALSE 0.00  TRUE
8    Rwanda   1.00   1.00   FALSE 0.00  TRUE
2  Djibouti   0.79   0.71   FALSE 0.37  FALSE
4    Haiti   1.00   0.80   FALSE 0.40  FALSE
9  Uzbekistan 0.96   0.70   FALSE 0.56  FALSE
5   Lesotho   1.00   0.53   FALSE 0.94  FALSE

COR :
-----
      Case NecCond Outcome UniqCov Best MostTyp
3   Jamaica   0.66   0.57   TRUE 0.52  FALSE
4  Kyrgyzstan 0.97   0.52   TRUE 0.93  FALSE
2    Haiti   0.97   0.80   FALSE 0.37  TRUE
1  Djibouti   0.81   0.71   FALSE 0.39  FALSE
6  Uzbekistan 0.96   0.70   FALSE 0.56  FALSE
5   Lesotho   0.81   0.53   FALSE 0.75  FALSE

POV+COR :
-----
      Case NecCond Outcome UniqCov Best MostTyp
1   Burundi   1.00   1.00   TRUE 0.00  TRUE
8    Nepal   1.00   1.00   TRUE 0.00  TRUE
9  Pakistan   1.00   1.00   TRUE 0.00  TRUE
10   Rwanda   1.00   1.00   TRUE 0.00  TRUE
2  Djibouti   0.81   0.71   TRUE 0.39  FALSE
4    Haiti   1.00   0.80   TRUE 0.40  FALSE
5   Jamaica   0.66   0.57   TRUE 0.52  FALSE
11  Uzbekistan 0.96   0.70   TRUE 0.56  FALSE
3   Eritrea   1.00   0.57   TRUE 0.86  FALSE
6  Kyrgyzstan 0.97   0.52   TRUE 0.93  FALSE
7   Lesotho   1.00   0.53   TRUE 0.94  FALSE

```

The best-matching pairs of typical and iir cases are shown below.

```
# TYP - IIR
typiir <- smmr(nec.cond = "POV+COR",
              results = sol_p,
              outcome = "BDT",
              match = TRUE,
              cases = 3,
              max_pairs = 7,
              necessity = TRUE)
```

```
typiir
```

```
POV :
```

```
-----
      TYP          IIR UniqCov GlobUncov Best MostTyp
3  Eritrea    Bahrain    TRUE     TRUE 1.39  FALSE
21 Eritrea     Japan     TRUE     TRUE 1.39  FALSE
39 Eritrea    Kuwait     TRUE     TRUE 1.39  FALSE
48 Eritrea   Netherlands  TRUE     TRUE 1.39  FALSE
57 Eritrea     Qatar     TRUE     TRUE 1.39  FALSE
66 Eritrea    Singapore  TRUE     TRUE 1.39  FALSE
75 Eritrea   South Korea  TRUE     TRUE 1.39  FALSE
```

```
COR :
```

```
-----
      TYP          IIR UniqCov GlobUncov Best MostTyp
33  Jamaica      Qatar     TRUE     TRUE 1.11  FALSE
45  Jamaica   United Arab Emirates  TRUE     TRUE 1.13  FALSE
27  Jamaica      Kuwait     TRUE     TRUE 1.17  FALSE
39  Jamaica    South Korea  TRUE     TRUE 1.41  FALSE
3   Jamaica      Bahrain  TRUE     TRUE 1.49  FALSE
34  Kyrgyzstan  Qatar     TRUE     TRUE 1.57  FALSE
46  Kyrgyzstan  United Arab Emirates  TRUE     TRUE 1.59  FALSE
```

```
POV+COR :
```

```
-----
      TYP          IIR UniqCov GlobUncov Best MostTyp
23  Burundi     Japan     TRUE     TRUE 0.1   TRUE
30  Nepal       Japan     TRUE     TRUE 0.1   TRUE
31  Pakistan    Japan     TRUE     TRUE 0.1   TRUE
32  Rwanda      Japan     TRUE     TRUE 0.1   TRUE
56  Burundi    Netherlands  TRUE     TRUE 0.1   TRUE
63  Nepal      Netherlands  TRUE     TRUE 0.1   TRUE
64  Pakistan    Netherlands  TRUE     TRUE 0.1   TRUE
```

And the best pairs of two typical cases are the following.

```
# TYP - TYP
tyttyp <- smmr(nec.cond = "POV+COR",
              results = sol_p,
              outcome = "BDT",
              match = TRUE,
```

```

cases = 4,
max_pairs = 10,
necessity = TRUE)

```

typtyp

POV :

```

-----
      TYP1      TYP2 UniqCov Best MostTyp
22  Eritrea  Lesotho   typ1  2.76  none
 8  Burundi  Eritrea   typ2  1.43  typ1
11  Nepal    Eritrea   typ2  1.43  typ1
12  Pakistan Eritrea   typ2  1.43  typ1
13  Rwanda   Eritrea   typ2  1.43  typ1
10  Haiti    Eritrea   typ2  2.03  none
 9  Djibouti Eritrea   typ2  2.09  none
14  Uzbekistan Eritrea typ2  2.29  none
 4  Burundi  Djibouti  none  0.66  typ1
 5  Nepal    Djibouti  none  0.66  typ1

```

COR :

```

-----
      TYP1      TYP2 UniqCov Best MostTyp
 6  Jamaica  Kyrgyzstan both  2.34  none
11  Jamaica  Lesotho   typ1  1.85  none
15  Jamaica  Uzbekistan typ1  2.13  none
 3  Haiti    Jamaica   typ2  0.98  typ1
 2  Djibouti Jamaica   typ2  1.09  none
 5  Haiti    Kyrgyzstan typ2  1.96  typ1
 4  Djibouti Kyrgyzstan typ2  2.07  none
 8  Uzbekistan Kyrgyzstan typ2  2.25  none
 7  Lesotho  Kyrgyzstan typ2  2.61  none
 1  Haiti    Djibouti  none  1.29  typ1

```

POV+COR :

```

-----
      TYP1      TYP2 UniqCov Best MostTyp
21  Burundi  Jamaica   both  0.41  typ1
24  Nepal    Jamaica   both  0.41  typ1
25  Pakistan Jamaica   both  0.41  typ1
26  Rwanda   Jamaica   both  0.41  typ1
 4  Burundi  Djibouti  both  0.72  typ1
 5  Nepal    Djibouti  both  0.72  typ1
 6  Pakistan Djibouti  both  0.72  typ1
 7  Rwanda   Djibouti  both  0.72  typ1
 1  Nepal    Burundi   both  1.00  both
 2  Pakistan Burundi   both  1.00  both

```

6.3 $A * B \Leftarrow Y$

I illustrate SMMR in the presence of a necessary conjunction with outcome *BDT* from the study by Bretthauer (2015). For illustrative purposes, let us accept the conjunction $\sim ECOD * \sim EDU$ as a necessary conjunction for outcome *BDT*.

```
# parameters of fit for conjunction
NEC_conj <- pof(data = BRETT,
  ~ECOD * ~EDU <- BDT)

NEC_conj

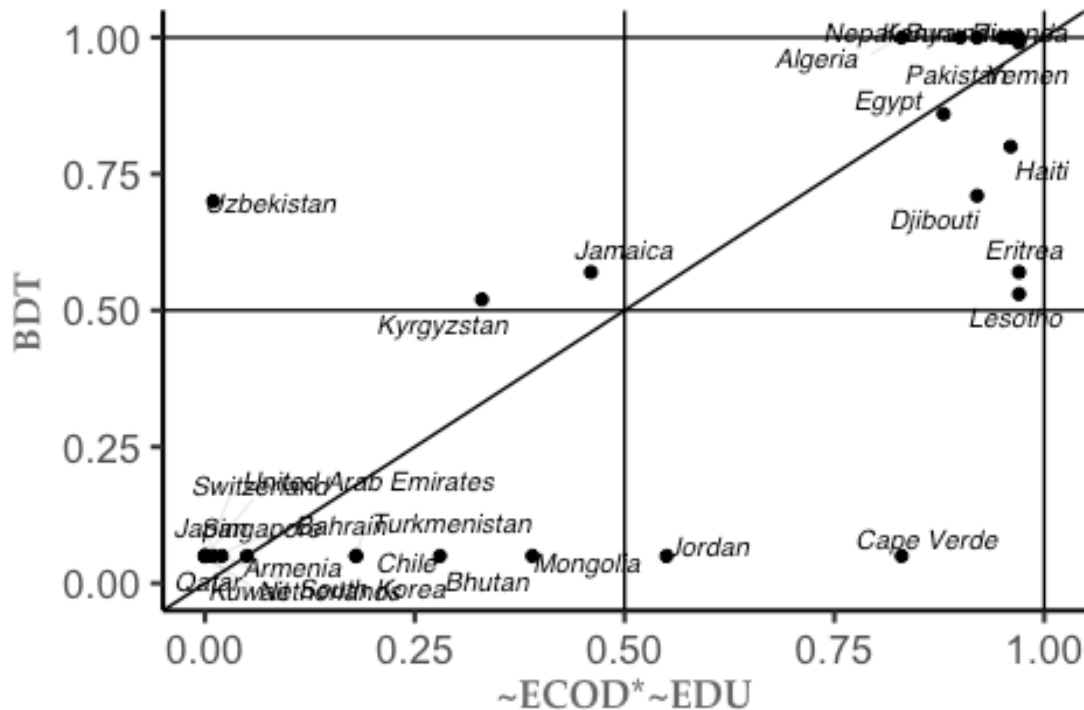
              inclN   RoN   covN
-----
1 ~ECOD*~EDU  0.854  0.832  0.769
-----

# create conjunction set in data set
BRETT$ECODEDU <- pmin(1-BRETT$ECOD, 1-BRETT$EDU)

# XY plot for conjunction
xy.plot(data = BRETT,
  'ECODEDU', 'BDT',
  necessity = TRUE,
  xlab = '~ECOD*~EDU',
  ylab = 'BDT',
  jitter = TRUE)
```

XY plot

Cons.Nec: 0.854; Cov.Nec: 0.769; RoN: 0.832



6.3.1 Descriptive inference SMMR

As before, I start with the four descriptive inference SMMR designs. Since the focal conjunct principle does not apply to descriptive inference SMMR designs, the output only shows cases for the conjunction, not each ININ condition separately.

As can be seen, there are only two deviant relevance cases.

```
# Deviant Rel.
drel <- smmr(nec.cond = "~ECOD*~EDU",
  results = sol_p,
  outcome = "BDT",
  match = FALSE,
  cases = 3,
  necessity = TRUE)

drel

~ECOD*~EDU :
-----
      Case NecCond Outcome Best MostDREL
1 Cape Verde   0.83   0.05 0.39   TRUE
2   Jordan     0.55   0.05 0.95  FALSE
```

There are more pairs of typical and deviant relevance cases, all of them involving, of course, the two deviant relevance cases of either Cape Verde and Jordan.

```
# TYP - DREL
typdrel <- smmr(nec.cond = "~ECOD*~EDU",
  results = sol_p,
  outcome = "BDT",
  match = TRUE,
  cases = 1,
  max_pairs = 10,
  necessity = TRUE)

typdrel
~ECOD*~EDU :
-----
      TYP      DREL Best MostTyp MostDREL
2   Egypt Cape Verde 0.53   TRUE   TRUE
4   Haiti Cape Verde 0.59  FALSE   TRUE
1 Djibouti Cape Verde 0.68  FALSE   TRUE
3   Eritrea Cape Verde 0.82  FALSE   TRUE
5  Lesotho Cape Verde 0.86  FALSE   TRUE
7   Egypt      Jordan 1.09   TRUE  FALSE
9   Haiti      Jordan 1.15  FALSE  FALSE
6 Djibouti      Jordan 1.24  FALSE  FALSE
8   Eritrea      Jordan 1.38  FALSE  FALSE
10 Lesotho      Jordan 1.42  FALSE  FALSE
```

There are also just three deviant consistency cases. All three sit in different truth table rows.

```
# Deviant Cons.
dcons <- smmr(nec.cond = "~ECOD*~EDU",
  results = sol_p,
  outcome = "BDT",
  match = FALSE,
  cases = 2,
  necessity = TRUE)

dcons
~ECOD*~EDU :
-----
      Case NecCond TT_POV TT_DEP TT_ECOD TT_COR TT_PIN TT_EDU TT_EEX
TT_row
2 Kyrgyzstan 0.33 0 0 0 1 1 1 1
0.55
1 Jamaica 0.46 0 0 1 1 1 0 0
0.54
3 Uzbekistan 0.01 1 0 0 1 0 1 1
0.83
Outcome TT<=Y Best MostDCONS
2 0.52 FALSE 0.81 TRUE
```

```

1    0.57 TRUE 0.89    TRUE
3    0.70 FALSE 0.31   TRUE

```

As the output below shows, no typical case shares the same truth table row with any of the three deviant consistency cases.

```

# TYP - DCN
typdcons <- smmr(nec.cond = "~ECOD*~EDU",
  results = sol_p,
  outcome = "BDT",
  match = TRUE,
  cases = 2,
  max_pairs = 10,
  necessity = TRUE)

typdcons

~ECOD*~EDU :
-----
[1] "There are no pairs in the same TT row"

```

6.3.2 Causal inference SMMR

For causal inference designs, the focal conjunct principle applies and the best available (pairs of) cases are listed for each ININ cause and the necessary conjunction separately.

Single typical cases are listed below.

```

# TYP
typ <- smmr(nec.cond = "~ECOD*~EDU",
  results = sol_p,
  outcome = "BDT",
  match = FALSE,
  cases = 1,
  necessity = TRUE)

typ

~ECOD :
-----
      Case NecCond Outcome Rank CleanCorr UniqCov Best MostTyp
2  Egypt    0.92    0.86    1     FALSE   FALSE 0.20    TRUE
4  Haiti    0.97    0.80    1     FALSE   FALSE 0.37    FALSE
3  Eritrea  0.98    0.57    1     FALSE   FALSE 0.84    FALSE
1  Djibouti 0.92    0.71    2      TRUE   FALSE 0.50    FALSE
5  Lesotho  0.97    0.53    2      TRUE   FALSE 0.91    FALSE

~EDU :
-----
      Case NecCond Outcome Rank CleanCorr UniqCov Best MostTyp
1  Djibouti 0.97    0.71    1     FALSE   FALSE 0.55    FALSE
2  Egypt    0.88    0.86    2      TRUE   FALSE 0.16    TRUE
4  Haiti    0.96    0.80    2      TRUE   FALSE 0.36    FALSE

```

```

3 Eritrea      0.97    0.57    2      TRUE    FALSE 0.83    FALSE
5 Lesotho     0.97    0.53    2      TRUE    FALSE 0.91    FALSE

```

```
~ECOD*~EDU :
```

```

-----
      Case NecCond Outcome UniqCov Best MostTyp
2   Egypt    0.88    0.86    TRUE 0.16    TRUE
4   Haiti    0.96    0.80    TRUE 0.36    FALSE
1 Djibouti   0.92    0.71    TRUE 0.50    FALSE
3   Eritrea  0.97    0.57    TRUE 0.83    FALSE
5   Lesotho  0.97    0.53    TRUE 0.91    FALSE

```

The best-matching pairs of typical and iir cases look as follows.

```
# TYP - IIR
```

```

typiir <- smmr(nec.cond = "~ECOD*~EDU",
              results = sol_p,
              outcome = "BDT",
              match = TRUE,
              cases = 3,
              max_pairs = 10,
              necessity = TRUE)

```

```
typiir
```

```
~ECOD :
```

```

-----
      TYP    IIR PairRank CleanCorr Best MostTyp UniqCov GlobUncov
2   Egypt  Chile        3      none 1.68    TRUE    FALSE    TRUE
4   Haiti  Chile        3      none 1.99    FALSE   FALSE    TRUE
3   Eritrea Chile        3      none 2.70    FALSE   FALSE    TRUE
1 Djibouti Chile        4      typ 2.22    FALSE   FALSE    TRUE
5   Lesotho Chile        4      none 2.81    FALSE   FALSE    TRUE

```

```
~EDU :
```

```

-----
      TYP          IIR PairRank CleanCorr Best MostTyp UniqCov GlobUncov
1 Djibouti    Armenia        1      iir 0.97    FALSE   FALSE   FALSE
31 Djibouti  Turkmenistan        1      iir 1.23    FALSE   FALSE   FALSE
6 Djibouti    Bhutan         1      iir 1.43    FALSE   FALSE   FALSE
16 Djibouti   Mongolia        1      iir 1.67    FALSE   FALSE   FALSE
2   Egypt    Armenia         2      both 0.43    TRUE    FALSE   FALSE
4   Haiti    Armenia         2      both 0.68    FALSE   FALSE   FALSE
32 Egypt    Turkmenistan        2      both 0.69    TRUE    FALSE   FALSE
7   Egypt    Bhutan          2      both 0.89    TRUE    FALSE   FALSE
34 Haiti    Turkmenistan        2      both 0.94    FALSE   FALSE   FALSE
17 Egypt    Mongolia         2      both 1.13    TRUE    FALSE   FALSE

```

```
~ECOD*~EDU :
```

```

-----
      TYP          IIR UniqCov GlobUncov Best MostTyp

```

2	Egypt	Armenia	TRUE	TRUE	0.40	TRUE
12	Egypt	Chile	TRUE	TRUE	0.66	TRUE
22	Egypt	Turkmenistan	TRUE	TRUE	0.66	TRUE
4	Haiti	Armenia	TRUE	TRUE	0.66	FALSE
7	Egypt	Bhutan	TRUE	TRUE	0.86	TRUE
1	Djibouti	Armenia	TRUE	TRUE	0.89	FALSE
14	Haiti	Chile	TRUE	TRUE	0.92	FALSE
24	Haiti	Turkmenistan	TRUE	TRUE	0.92	FALSE
17	Egypt	Mongolia	TRUE	TRUE	1.08	TRUE
9	Haiti	Bhutan	TRUE	TRUE	1.12	FALSE

And the best available pairs of typical cases are listed below.

```
# TYP - TYP
```

```
tytyp <- smmr(nec.cond = "~ECOD*~EDU",
             results = sol_p,
             outcome = "BDT",
             match = TRUE,
             cases = 4,
             max_pairs = 7,
             necessity = TRUE)
```

```
tytyp
```

```
~ECOD :
```

```
-----
```

	TYP1	TYP2	PairRank	CleanCorr	Best	MostTyp	UniqCov
6	Egypt	Haiti	1	none	1.53	typ1	none
4	Egypt	Eritrea	1	none	1.80	typ1	none
5	Haiti	Eritrea	1	none	1.95	none	none
1	Egypt	Djibouti	2	typ2	1.48	typ1	none
2	Haiti	Djibouti	2	typ2	1.63	none	none
8	Egypt	Lesotho	2	typ2	1.81	typ1	none
10	Haiti	Lesotho	2	typ2	1.96	none	none

```
~EDU :
```

```
-----
```

	TYP1	TYP2	PairRank	CleanCorr	Best	MostTyp	UniqCov
3	Djibouti	Eritrea	2	typ2	2.24	none	none
7	Djibouti	Lesotho	2	typ2	2.27	none	none
1	Egypt	Djibouti	3	typ1	1.50	typ1	none
2	Haiti	Djibouti	3	typ1	1.81	none	none
6	Egypt	Haiti	4	both	1.43	typ1	none
4	Egypt	Eritrea	4	both	1.70	typ1	none
8	Egypt	Lesotho	4	both	1.73	typ1	none

```
~ECOD*~EDU :
```

```
-----
```

	TYP1	TYP2	UniqCov	Best	MostTyp
1	Egypt	Djibouti	both	1.35	typ1
6	Egypt	Haiti	both	1.38	typ1

2	Haiti	Djibouti	both	1.61	none
4	Egypt	Eritrea	both	1.64	typ1
8	Egypt	Lesotho	both	1.68	typ1
5	Haiti	Eritrea	both	1.90	none
10	Haiti	Lesotho	both	1.94	none

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